



GEO-CONGRESS 2026

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Geo Tools, Technologies, and Techniques in an Environment of Change

CPT and Pile Foundations: Past Insights, Present Trends, & Future Prospects

Short Course

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Measurements

- **CPT/CPTu Measurements (qc, fs, u₂)**
- **Stratigraphy and Soil Variability**
- **Installation Records and Load Test Data**

Interpretation

- **Soil Behavior Type and Weak Layers**
- **Strength and Stiffness Profiling**
- **Axial Capacity and Settlement Indicators**

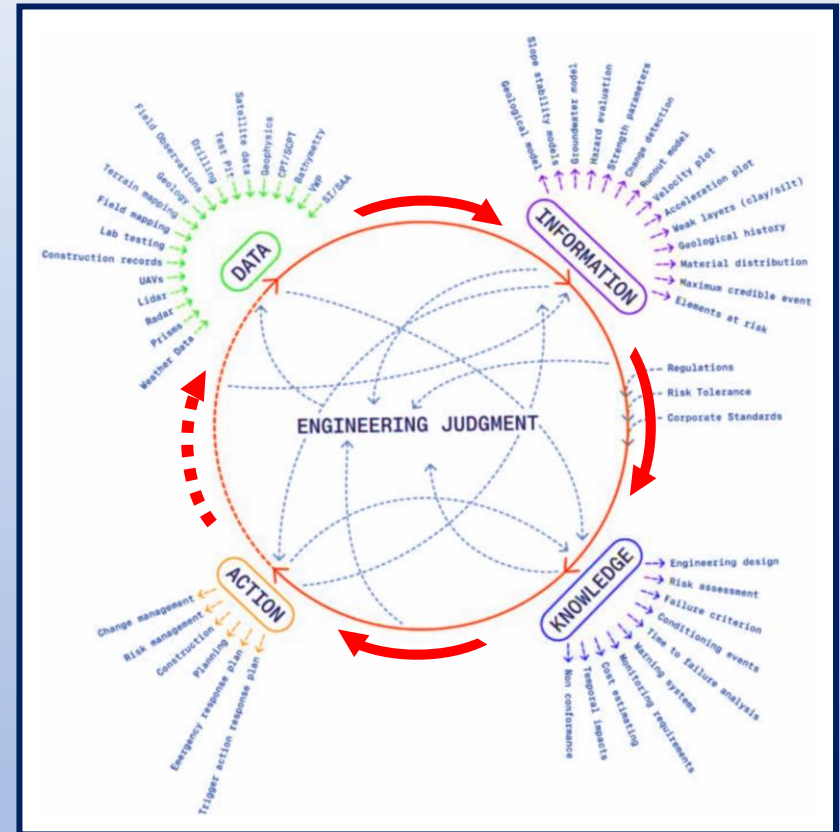
Methodology

- **CPT-Based Axial Design Methodologies**
- **Load-Transfer Mechanisms**
- **Serviceability and Failure Criteria**
- **Uncertainty and Performance Assessment**

Implementation

- **Rational Pile Design; Axial Capacity**
- **Settlement Verification**
- **Risk-Informed Foundation Selection**

Aims, Scope & Objectives

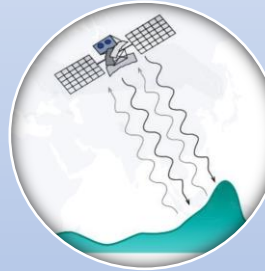
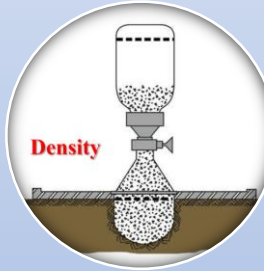
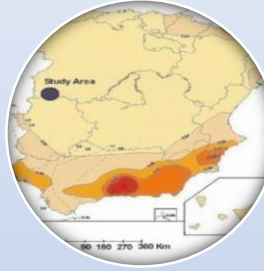


(Lato et al., Geostrata; February/March 2026)

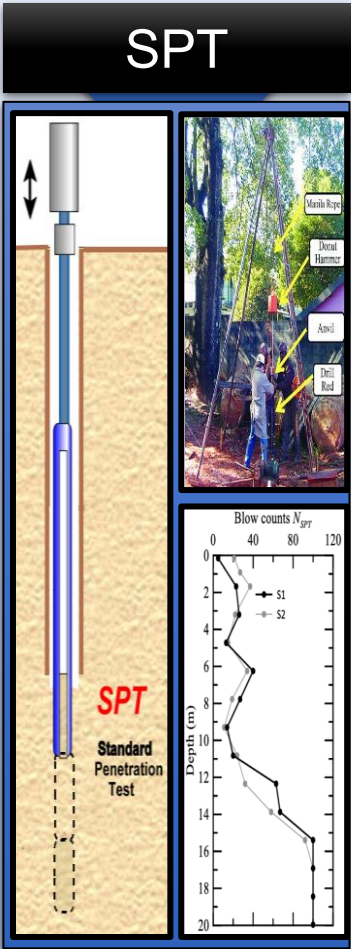
- 1 **CPT & CPTu in Geotechnical Engineering**
- 2 **Applications in Foundation Engineering**
- 3 **CPT-Based Methods for Deep Foundations**
- 4 **Worked Examples**
- 5 **Case Histories**
- 6 **Prospects**

Data Sources

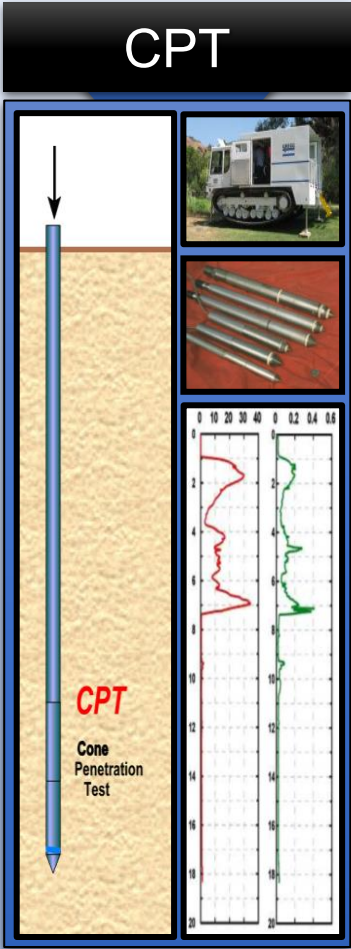
- (1) Maps
- (2) Aerial Photos
- (3) Site Visit
- (4) Non Destructive Tests
- (5) Remote Sensing
- (6) On-Situ Testing
- (7) In-situ Penetration Testing
- (8) Boring and Sampling
- (9) Laboratory Testing
- (10) Physical Modeling
- (11) Full-Scale Tests
- (12) Instrumentation & Monitoring



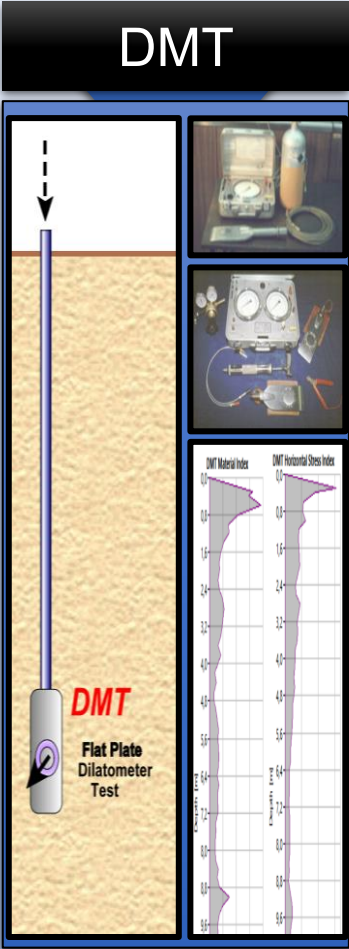
Major Approaches: In Situ Penetration Tests



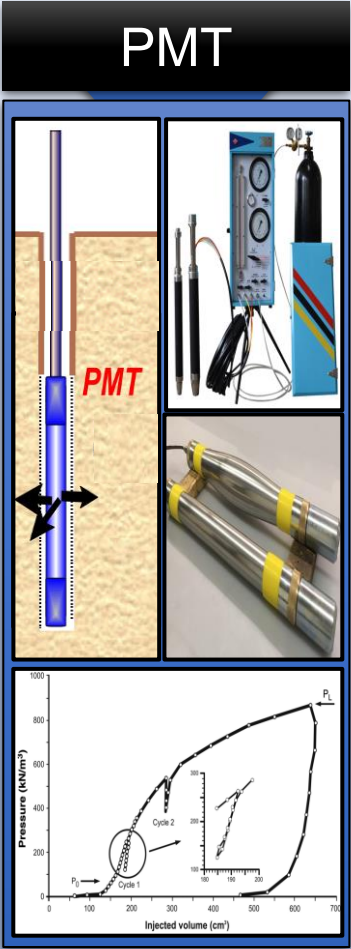
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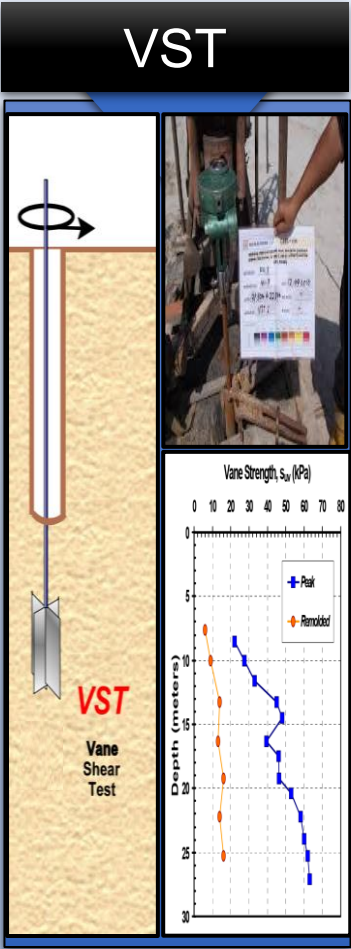
$q_c, f_s \text{ \& } u_2$



$K_D, I_D \text{ \& } E_D$

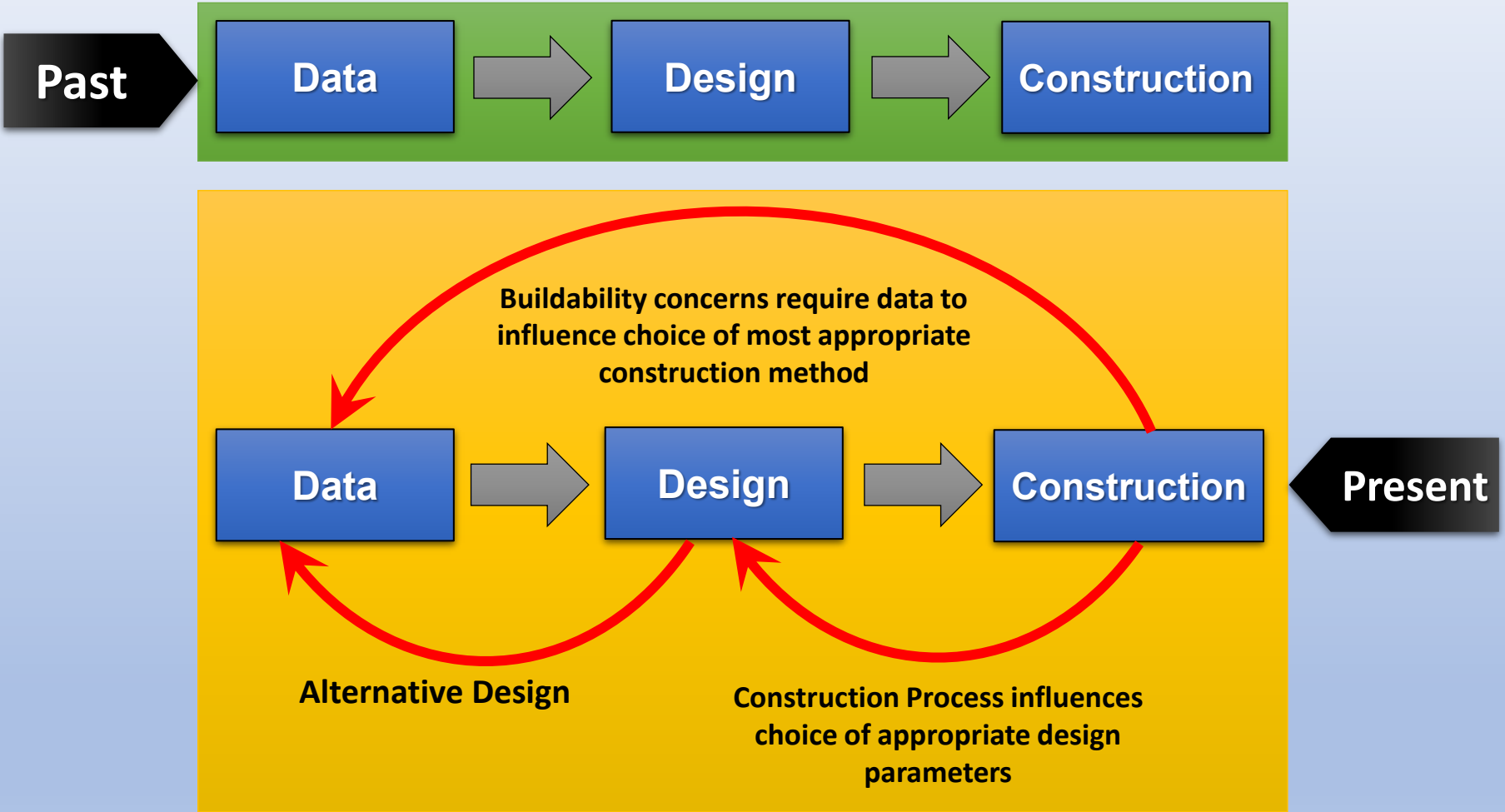


$P_L \text{ \& } P_0$



S_u

Cycle of Data, Design, and Performance



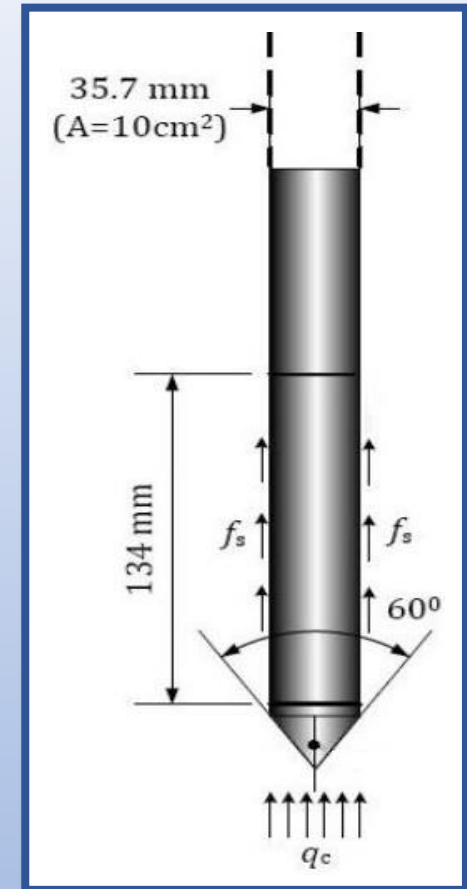
ICE, Geotechnical Manual (2012)

CPT Device

CPT involves driving a system of a steel cone and rods into the ground, and recording the mobilized resistance to penetration in the soil.

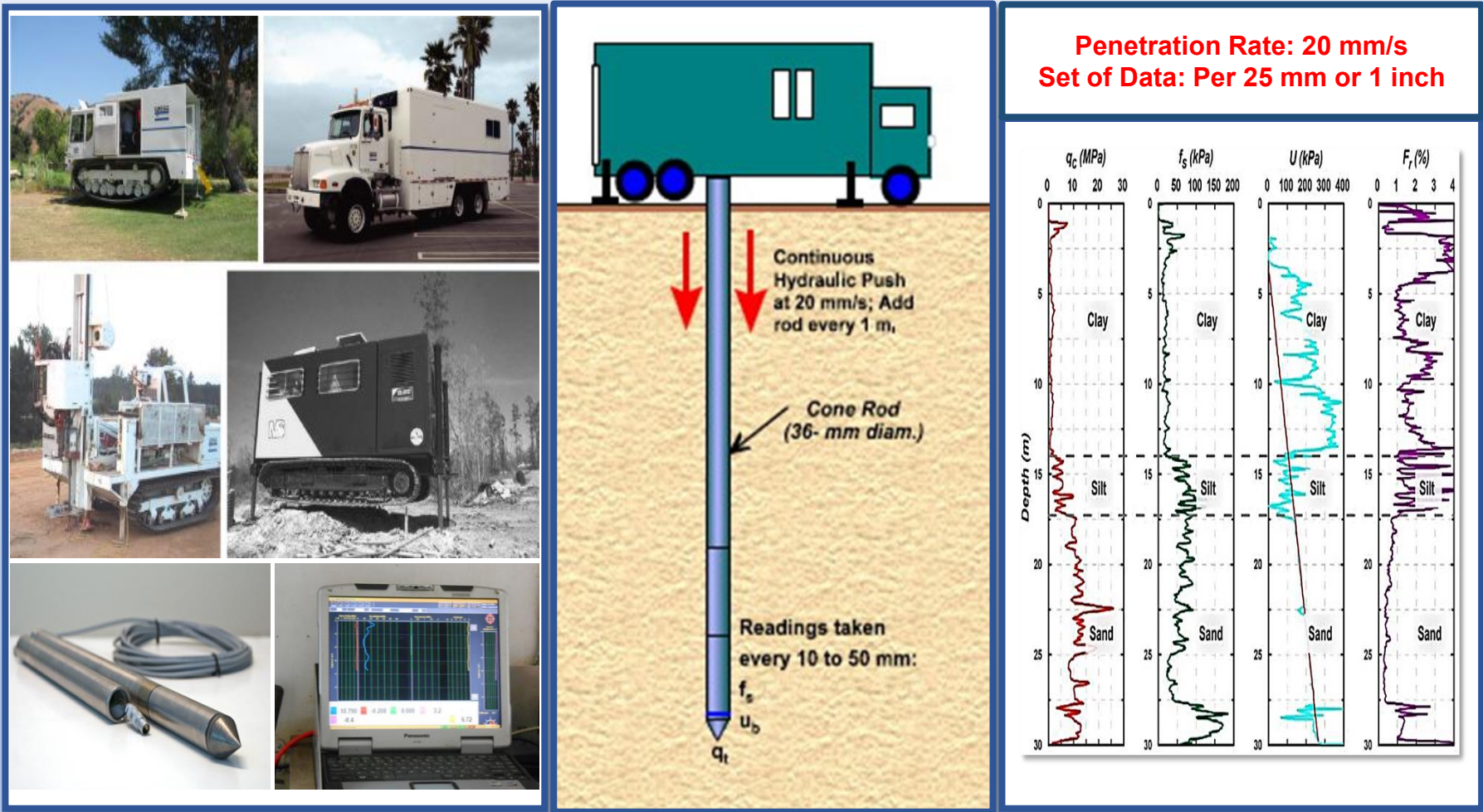
- ❖ Simple and relatively economical,
- ❖ Continuous records with depth,
- ❖ Interpretable on both empirical and analytical bases,
- ❖ Sensors can be incorporated with penetrometer,
- ❖ Availability of Profound experience-based knowledge

Penetration rate: 20 mm/s
Set of Data: Per 1 inch



CPT; mostly applicable in soft to medium, compressible & problematic deposits

Equipment & Procedure



Data & Graphical Presentation

1. Measured Parameters

q_c, f_s, u

2. Corrected Parameters

- Corrected tip resistance:

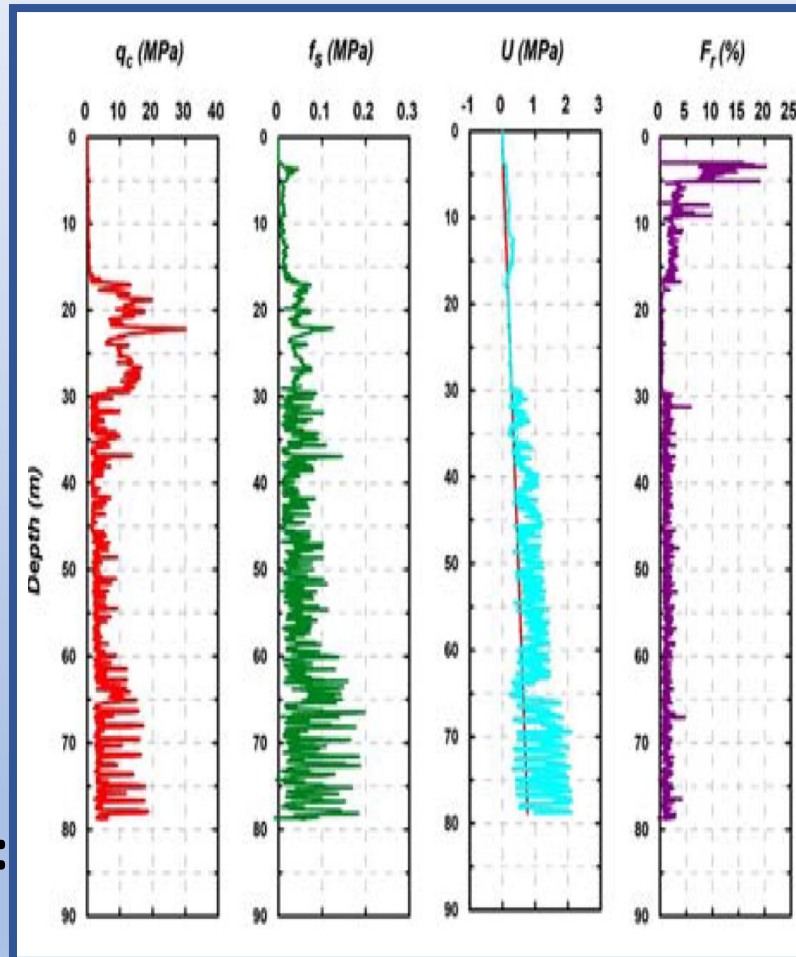
$$q_t = q_c + u_2(1 - \alpha)$$

- Friction ratio:

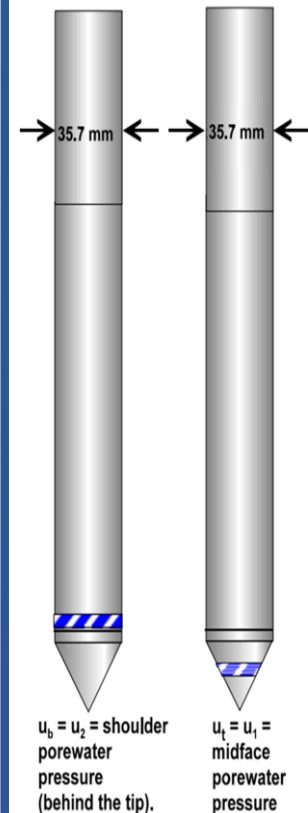
$$R_f = f_s / q_c$$

- Pore pressure coefficient:

$$B_q = \Delta u / (q_t - \sigma_{vo})$$



Standard Cone;
Base area: 10 cm²



Soil Characterization and Profiling

Soil Behavior Classification (SBC)

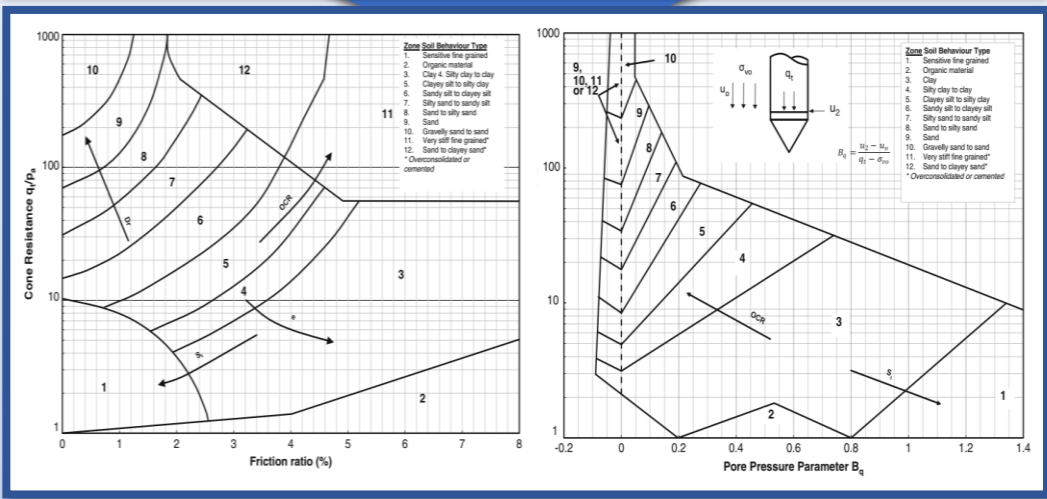
Estimating Engineering Parameters

Ground Improvement Practice

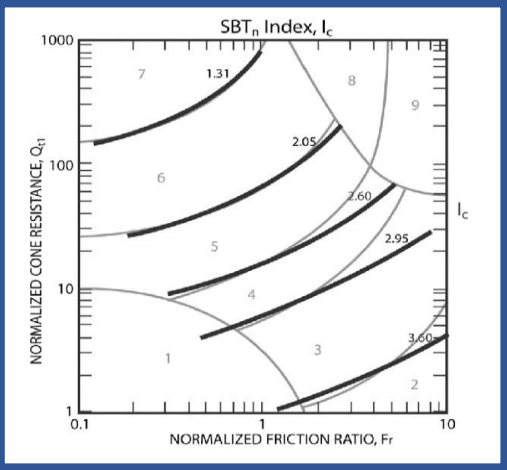
Foundation Engineering

Soil Behavior
Classification:
Charts &
Diagrams

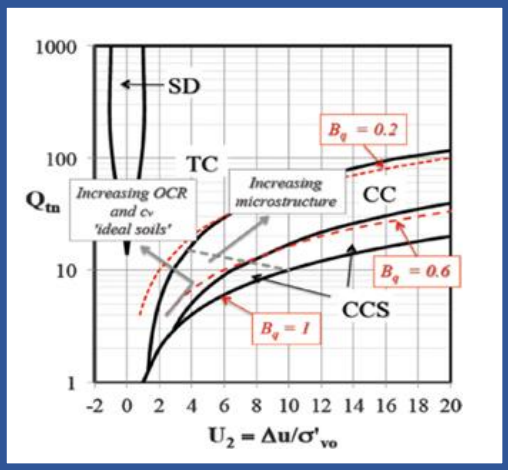
Robertson et al. (1986)



Robertson (2010)



Robertson (2016)



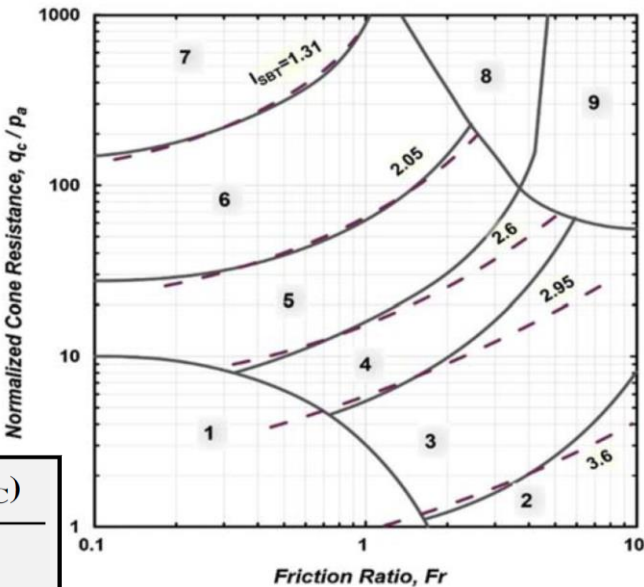
Soil Behavior Classification: Charts & Diagrams

Jefferies and Davies (1991): I_{SBT} (I_c)

$$I_{SBT} = \left[\left(3.47 - \log \left(q_c / p_a \right) \right)^2 + \left(\log R_f + 1.22 \right)^2 \right]^{0.5}$$

Soil classification based on I_{SBCT} (Li et al., 2015)

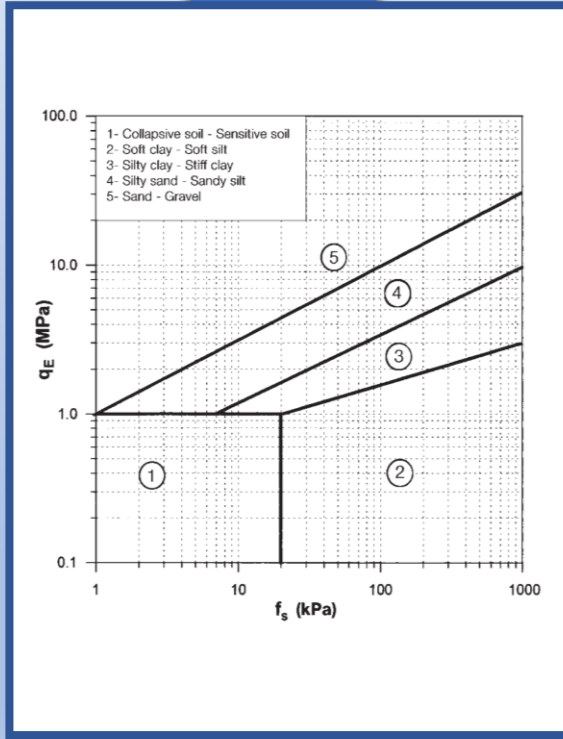
Soil classification	Zone	CPTu index (I_{SBC})
Gravelly sands	7	$I_{SBC} < 1.25$
Sands—clean sand to silty sand	6	$1.25 < I_{SBC} < 1.90$
Sand mixture—silty sand to sandy silt	5	$1.90 < I_{SBC} < 2.54$
Silt mixture—clayey silt to silty clay	4	$2.54 < I_{SBC} < 2.82$
Clays	3	$2.82 < I_{SBC} < 3.22$
Organic clays	2	$I_{SBC} > 3.22$



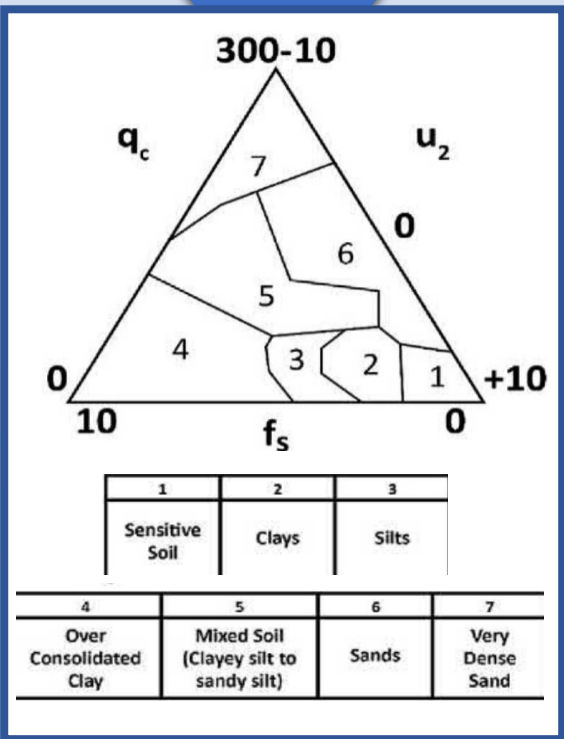
Values of I_c on the Robertson (1990) classification chart (Jefferies and Davies, 1991)

Soil Behavior Classification: Charts & Diagrams

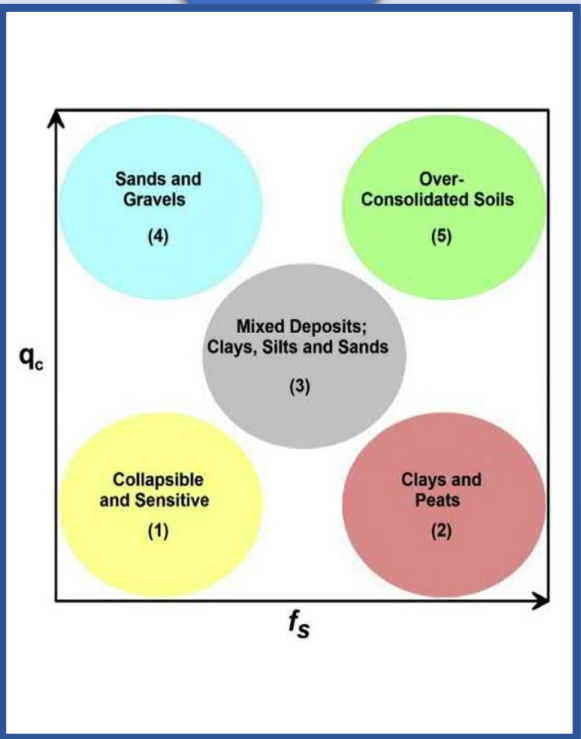
Eslami and Fellenius (1997)



Eslami et al. (2016 & 2022)

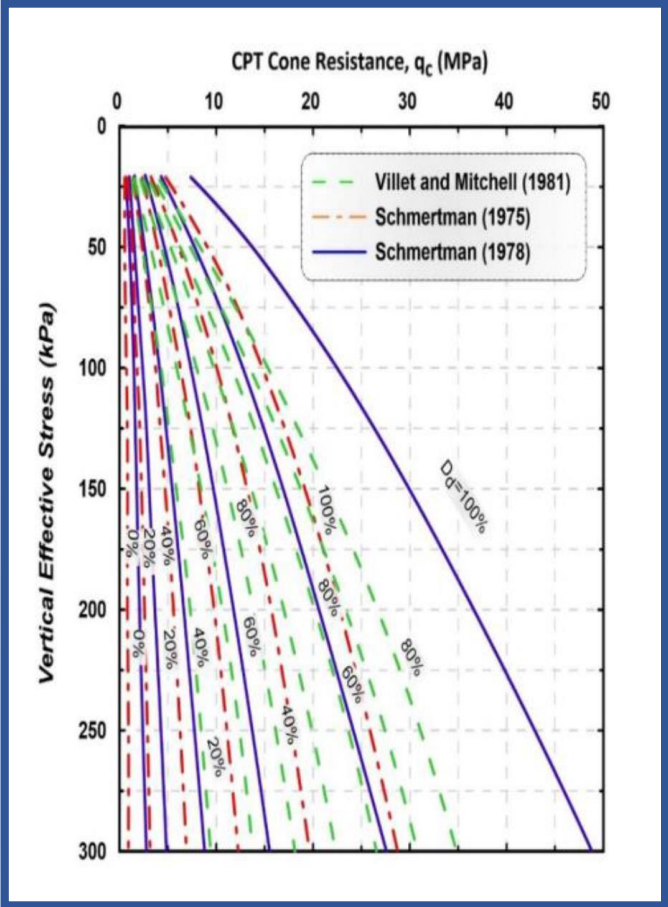


Eslami et al. (2018)

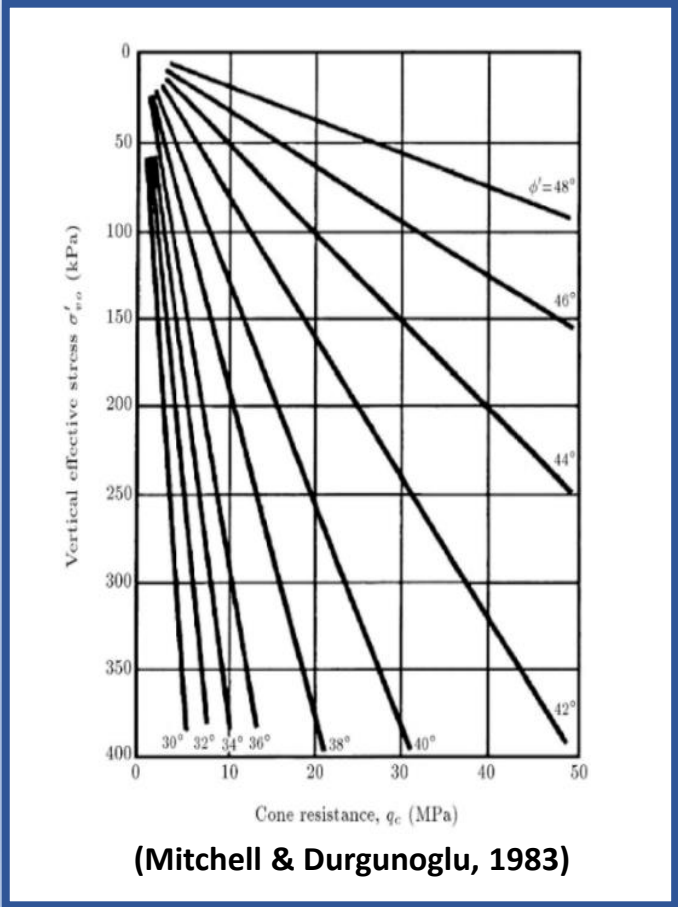


Estimating Soil Engineering Parameters

Relative Density (D_r)



Friction Angle (ϕ)



Estimating Soil Engineering Parameters

Stiffness (E_s)

Soil Type	CPT
Sand	$E_s = (2 - 4)q_u$ $= 8000q_u$ -----
	$E_s = 1.2(3D_r^2 + 2) \cdot q_c$ $E_s = (1 + D_r^2) \cdot q_c$
Saturated Sand	$E_s = F \cdot q_c$ $e = 1.0 \quad F = 3.5$ $e = 0.6 \quad F = 7.0$
OCR Sand	$E_s = (6 - 30)q_c$
Clay Sand	$E_s = (3 - 6)q_c$
Silty Sand	$E_s = (1 - 2)q_c$ $q_c < 2500 \text{ kPa} \quad E'_s = 2.5q_c$
	$2500 < q_c < 5000 \text{ kPa} \quad E'_s = 4q_c + 5000$
Soft Clay	$E_s = (3 - 8)q_c$

Undrained Shear Strength (S_u)

Correlations for undrained shear strength of the cohesion of soils		
Reference	Correlations	Remarks
Lunne et al. (1997)	$S_u = (q_c - \sigma_v) / N_c$	N_c : cone factor
Risery (1974)	$S_u = q_c / 23$	-
Kulhawy and Mayne (1990)	$S_u = \frac{\Delta u}{N_{\Delta u}}$	Δu = excess pore pressure measured at u_2 position = $u_2 - u_0$ $N_{\Delta u}$ = Pore pressure cone factor $N_{\Delta u} = N_{kt} Bq$ $N_{\Delta u}$ varies between 4 and 10
Naeini and Moayed (2007)	$S_u / \sigma'_v = 0.107 + 0.111 q_{cn1}$	q_{cn1} : normalized cone tip resistance; $FC < 30\%$
Rémai (2013)	The same as Kulhawy and Mayne (1990) method	$N_{\Delta u} = 24.3 Bq$

Estimating Soil Engineering Parameters

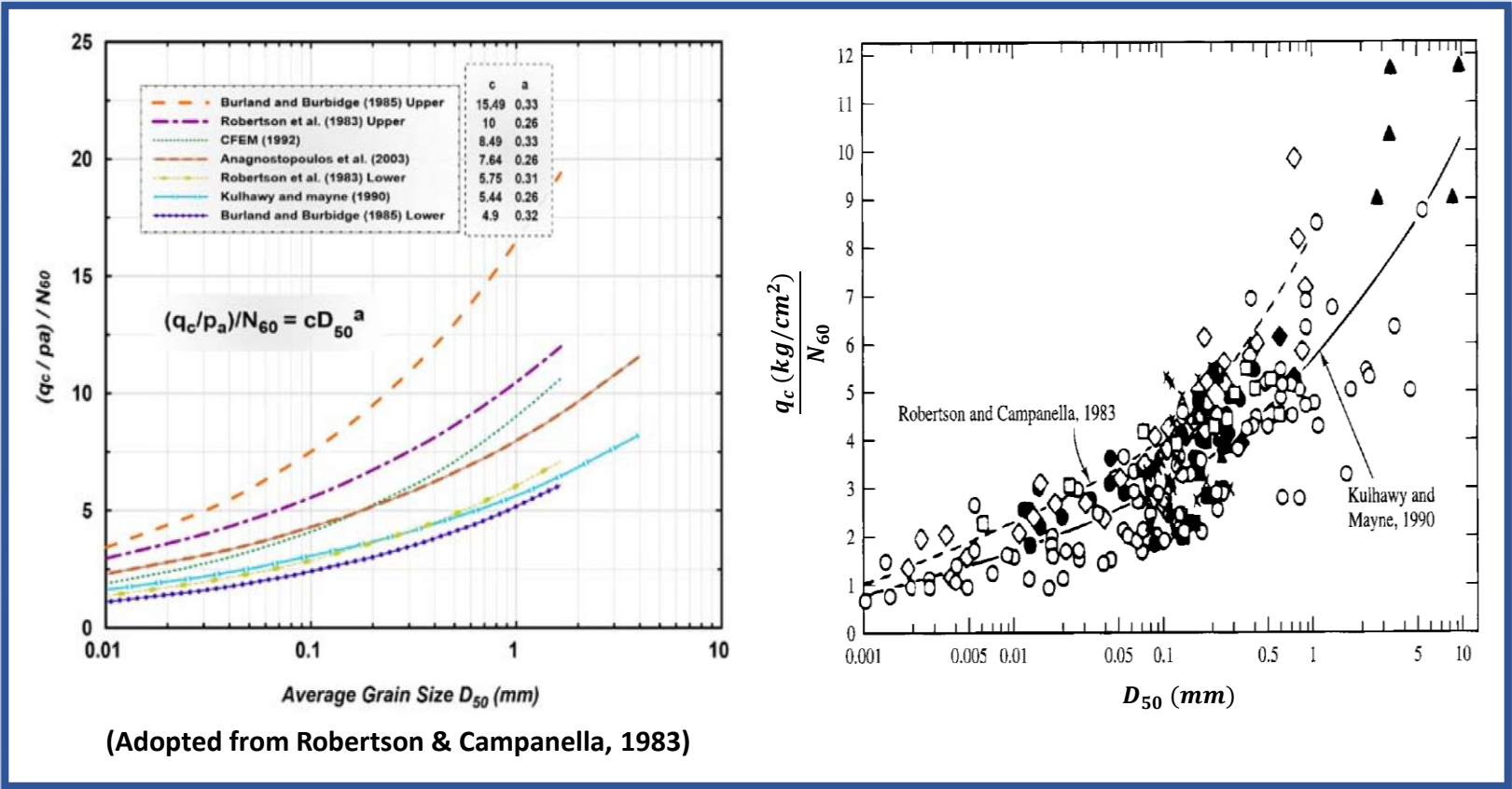
Unit Weight (γ)

Reference	Correlations	Parameter unit
Robertson and Cabal (2010)	$\gamma/\gamma_w = 0.27(\log R_f) + 0.36(\log q_t/p_a) + 1.236$	R_f (%)
Mayne (2010)	$\gamma_t = 1.95\gamma_w(\sigma'_{vo}/p_a)^{0.06}(f_s/p_a)^{0.06}$	f_s (MPa)
Mayne (2014)	$\gamma = 26 - \frac{14}{1 + (0.5 \log(f_s + 1))^2}$	f_s (kPa)
Baginska (2016)	$\gamma = 11 + 24 \ln(f_s + 0.7)$	f_s (MPa)
Lengkeek et al. (2018)	$\gamma_{sat} = 19 - 4.12 \frac{\log(5/q_t)}{\log(30/R_f)}$	R_f (%), q_t (MPa)

P_a : Atmosphere pressure; q_t : Corrected q_c ; σ'_v : Effective vertical stress; γ (kN/m³)

Estimating Soil Engineering Parameters

CPT (q_c) correlations with SPT (N)



Estimating Soil Engineering Parameters

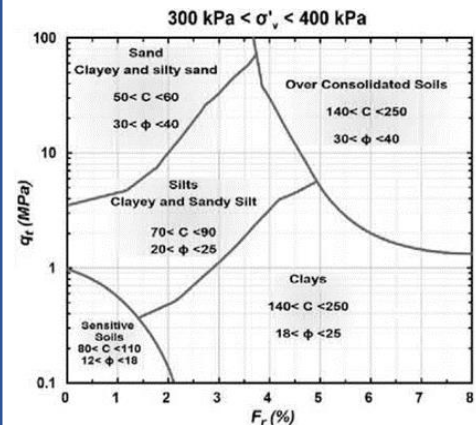
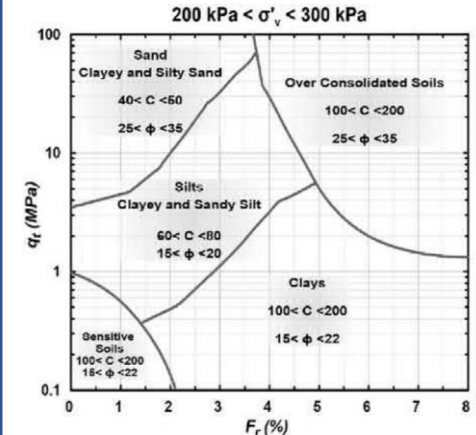
• Eslami & Mohammadi (2016)

 q_c, f_s, u_2
 c', ϕ'

$$\begin{aligned} f_s &= \tau = \sigma'_z \tan \phi + C \\ q_c &= q_u = CN_c + \bar{q} N_q + 0.5 \gamma B N_\gamma \\ N_c, N_q \text{ \& } N_\gamma &\rightarrow f(\phi) \end{aligned}$$

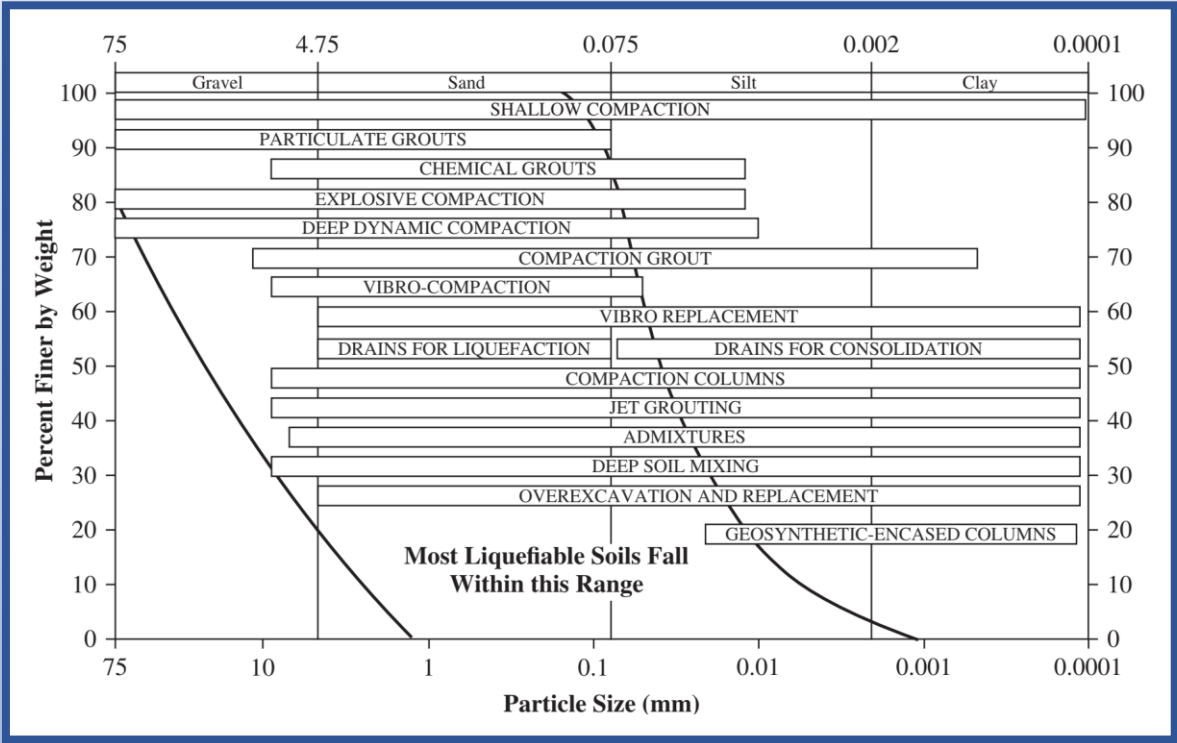
$$\left\{ \begin{aligned} &C + 0.000789(1 - \sin \phi) \sigma'_{v_0} \tan \left(\frac{2}{3} \phi \right) \left[\frac{q_c - \left(\frac{\sigma'_{v_0} - 2\sigma'_{h_0}}{3} \right)}{\left(\frac{\sigma'_{v_0} - 2\sigma'_{h_0}}{3} \right)} \right]^{1.44} = f_s \\ &\left(\tan^2 \left(\frac{\pi}{4} + \frac{\phi}{2} \right) e^{\pi \tan \phi} - 1 \right) C \cot \phi + \bar{q} \cdot \tan^2 \left(\frac{\pi}{4} + \frac{\phi}{2} \right) e^{\pi \tan \phi} + \\ &\gamma B \left[\tan^2 \left(\frac{\pi}{4} + \frac{\phi}{2} \right) e^{\pi \tan \phi} + 1 \right] \tan \phi = q_E + N_u \Delta U \end{aligned} \right.$$

Variation range for C (kPa) and ϕ (Degree)

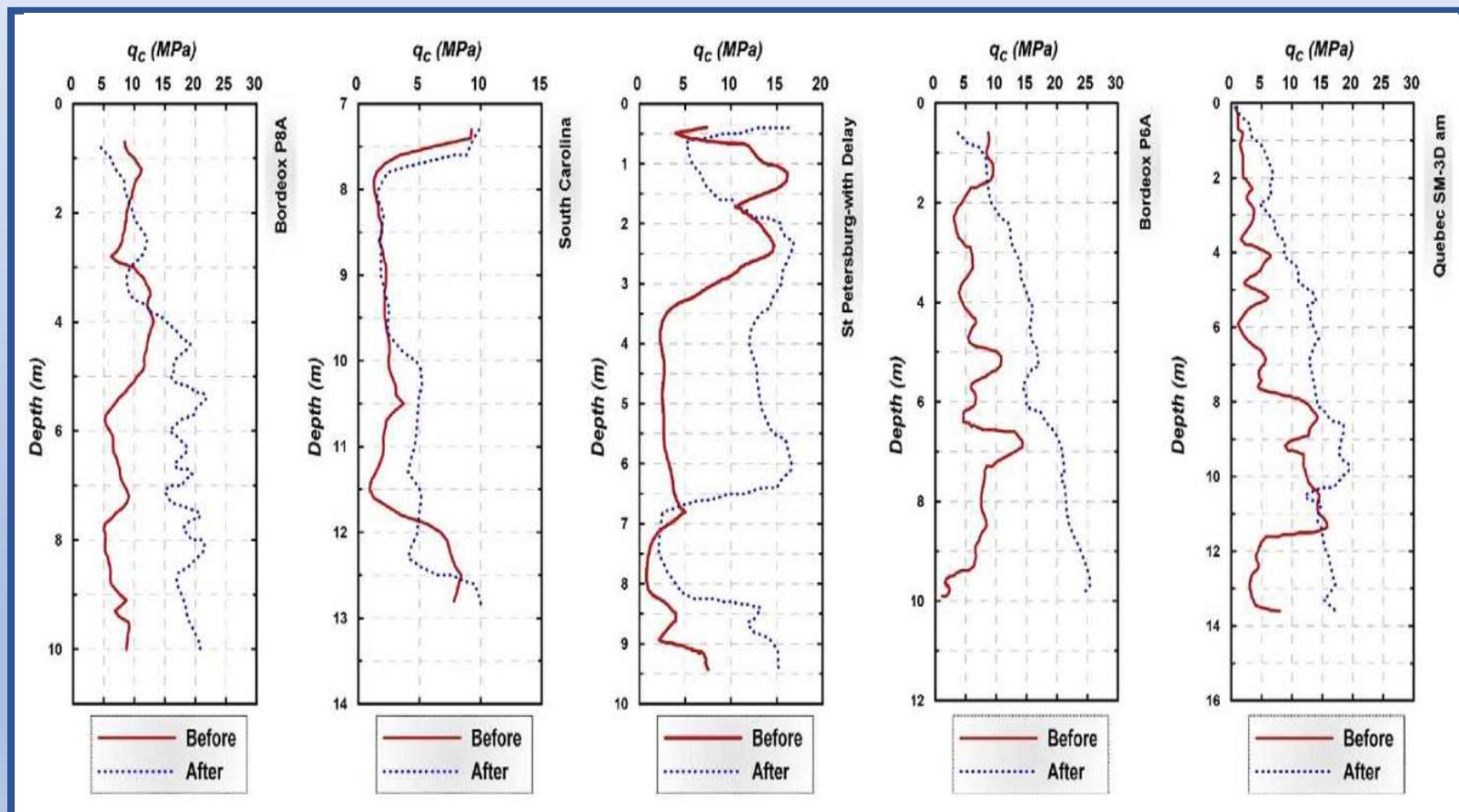


Role in Ground Improvement

- Identification
- Improvement Justification
- Design Procedure
- Method Selection
- Performance Assessment



Available ground improvement methods for different soil types (modified from Schaefer et al., 2012)

Assessment of Soil Improvement Practice➤ **Blast or Explosive Densification (Eslami, 2015)****Pre & Post Soil Improvement Records Comparison**

Applications in Foundation Engineering

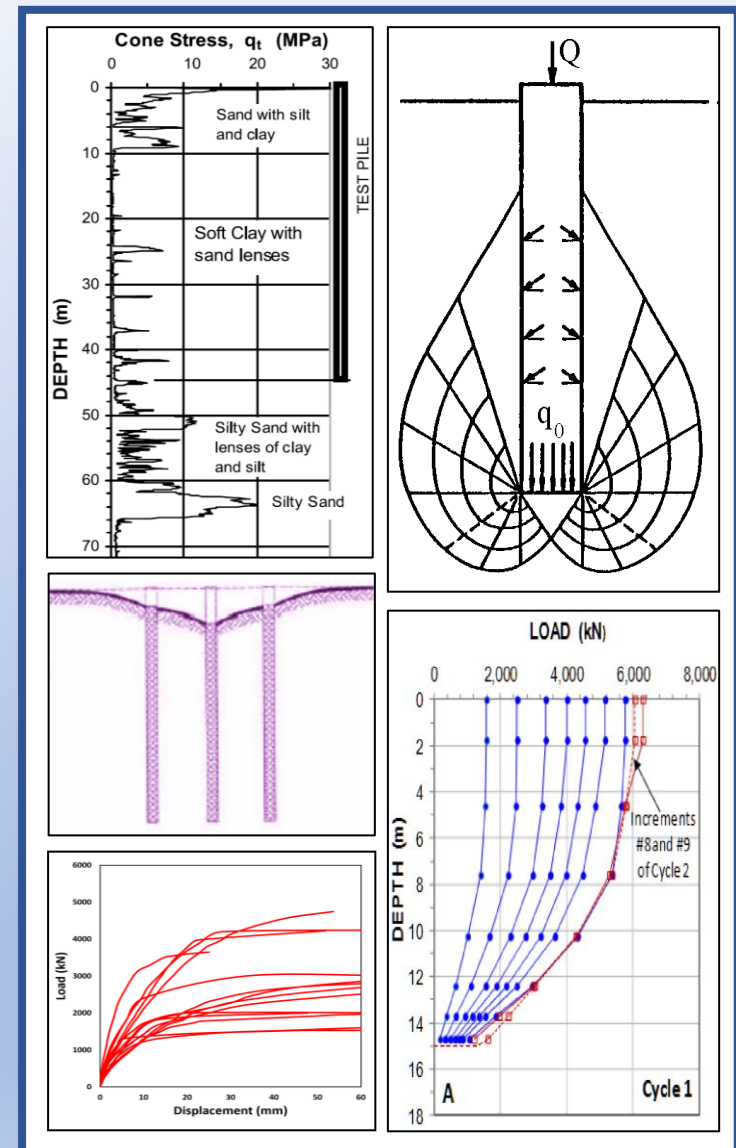
1. Selection & Installation

2. Bearing Capacity

3. Resistance Distribution

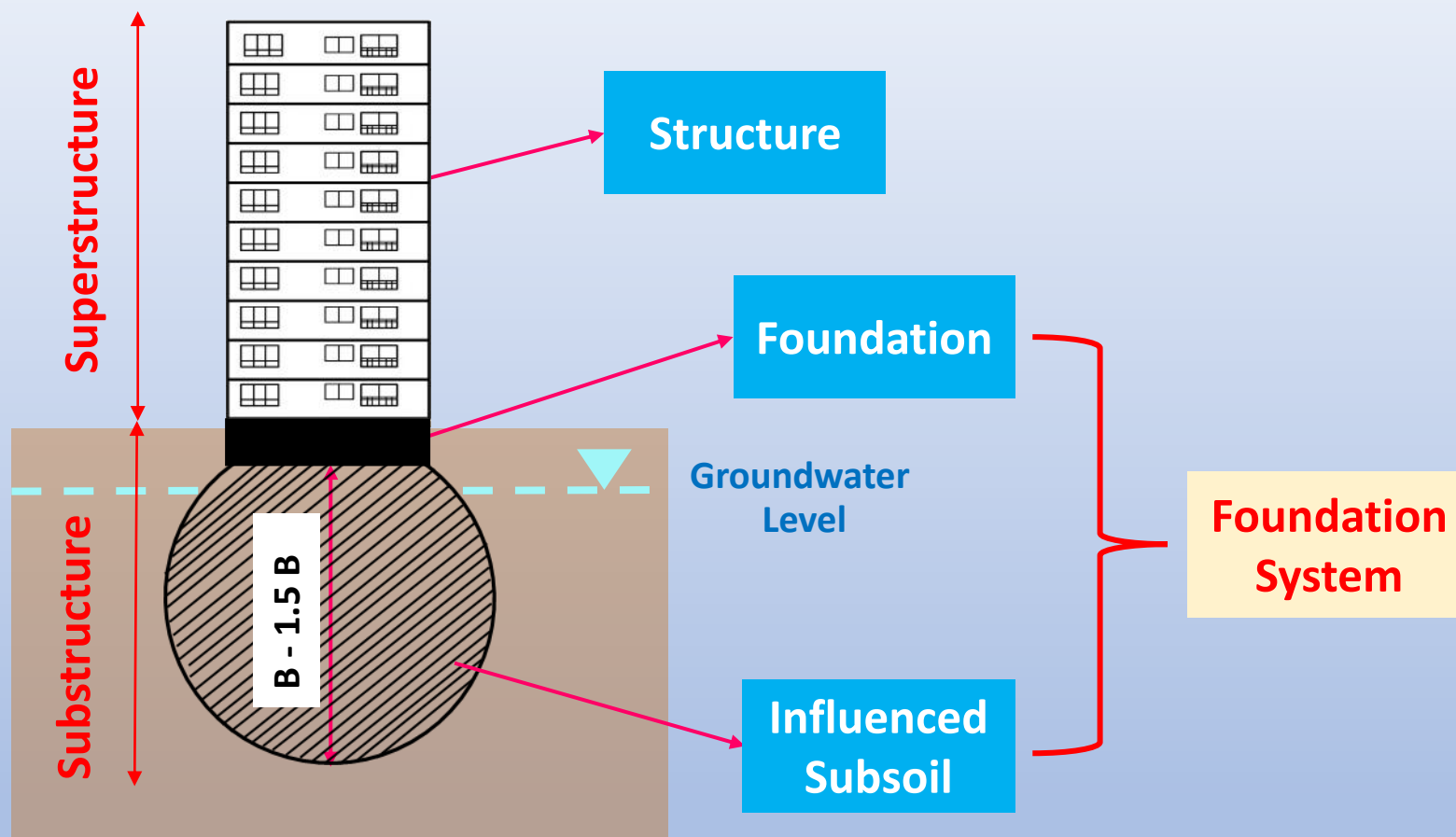
4. Settlement

5. Load - Displacement

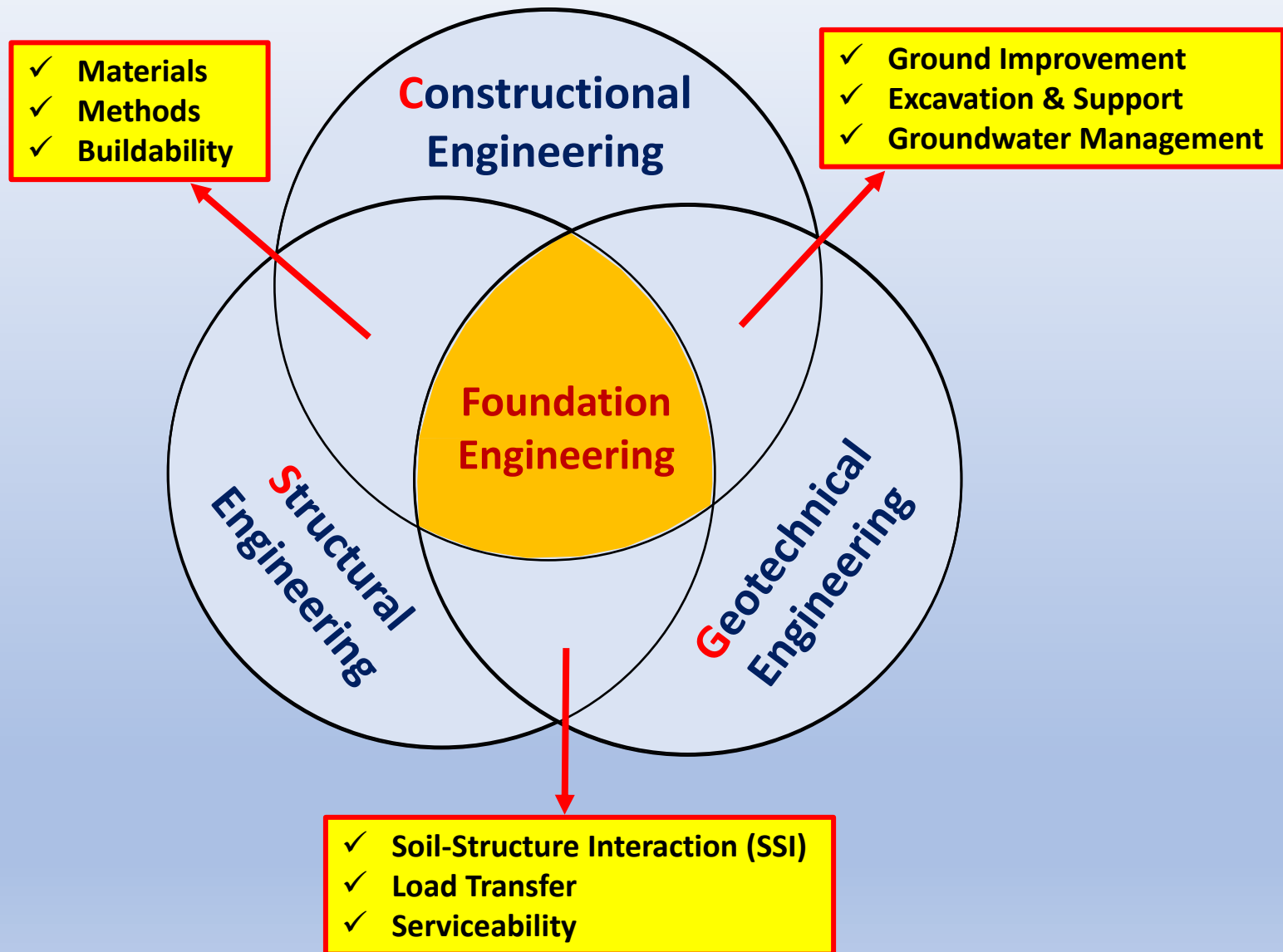


- 1 CPT & CPTu in Geotechnical Engineering
- 2 **Applications in Foundation Engineering**
- 3 CPT-Based Methods for Deep Foundations
- 4 Worked Examples
- 5 Case Histories
- 6 Prospects

Interaction of Superstructure & Substructure



Foundation elements or systems are structural units that transfer various load combinations from the superstructure to the underlying soils or rocks (i.e., geomaterials). Foundation units may tolerate the loads individually or by contribution of other elements such as basement walls, floors, or slabs (Eslami et al., 2020).



Major Analysis & Design Requirements

Eslami et al. (2020):

- Bearing Capacity
- Serviceability
- Structural Design
- Stability Control
- Full or Model Scale Testing
- Constructional Aspects
- Durability
- Economic Requirements

Foundation Engineering Tools:

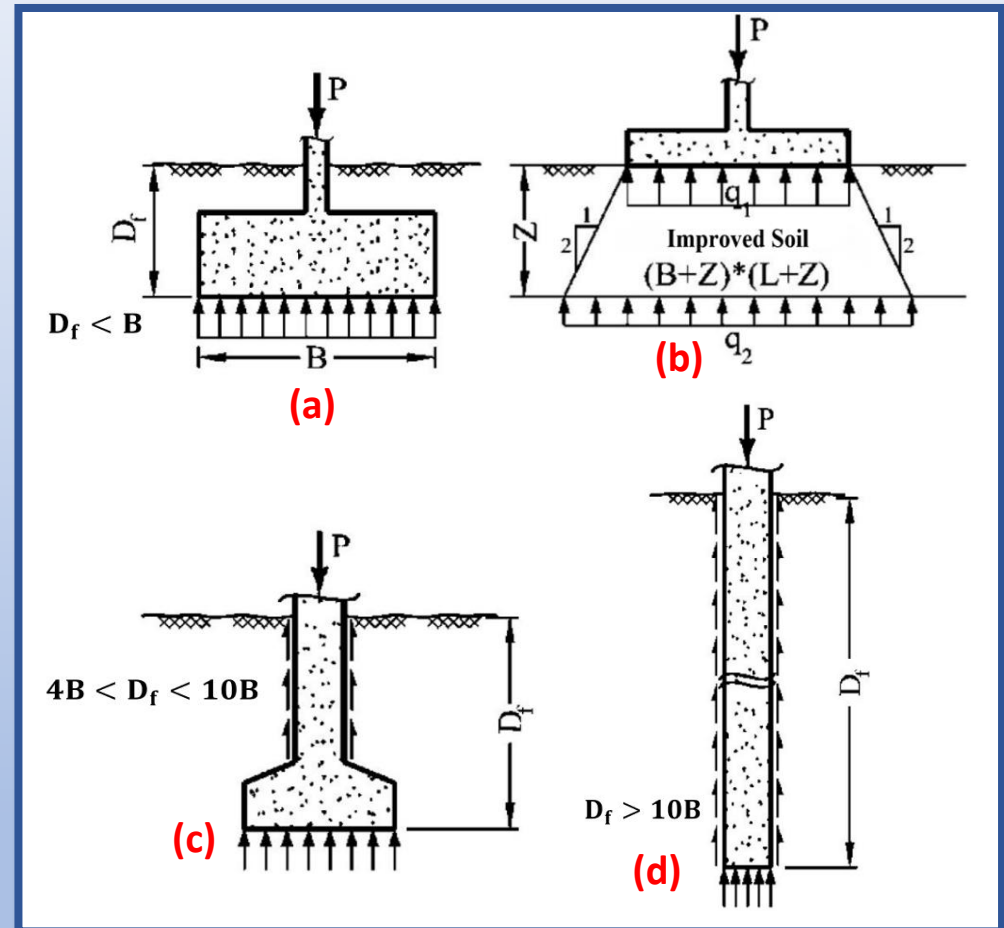
Salgado (2008):

- Soil & Rock Mechanics
- Codes & Standards
- Experience & Empiricism
- Publications: Where to Go for Help
- Conferences & Short Courses
- Computers

Fellenius (2015): The analysis and design of foundations are an **iterative** process since the amount of imposed loads, corresponding settlement, and foundation geometry are **interactive**, affected by geotechnical capacity, structural capacity and settlement requirements.

Foundations Classification**• Embedment Depth**

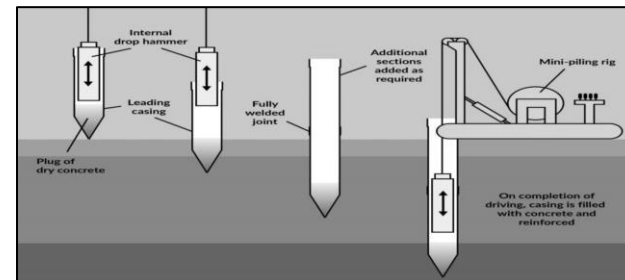
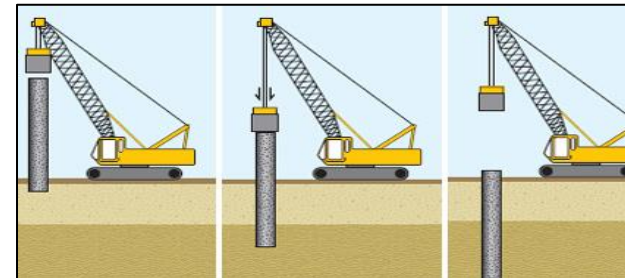
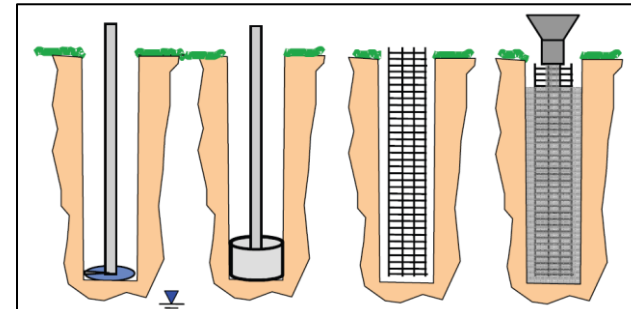
- ✓ **Shallow Foundations (a)**
- ✓ **Shallow + Soil Improvement (b)**
- ✓ **Semi-deep Foundations (c)**
- ✓ **Deep Foundations (d)**



Current categories of foundations
(Eslami et al., 2020)

Different Types of Deep Foundations

- Replacement (non-displacement)
- Displacement
- Special



Common Approaches for Bearing Capacity Appraisal

1. Static Analysis

2. In-Situ Tests Application

3. Static Load Test

4. Dynamic Analysis & Load Test

5. Numerical & Laboratory Modelings

Pile Bearing Capacity

Ultimate Bearing Capacity



Toe Capacity



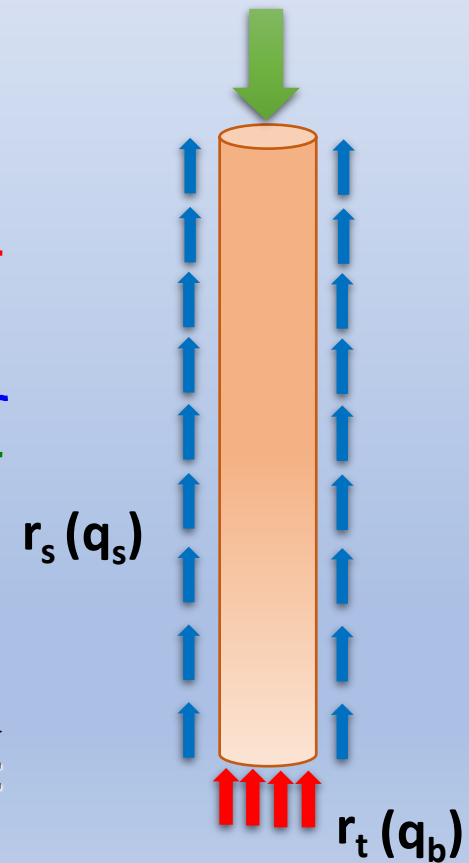
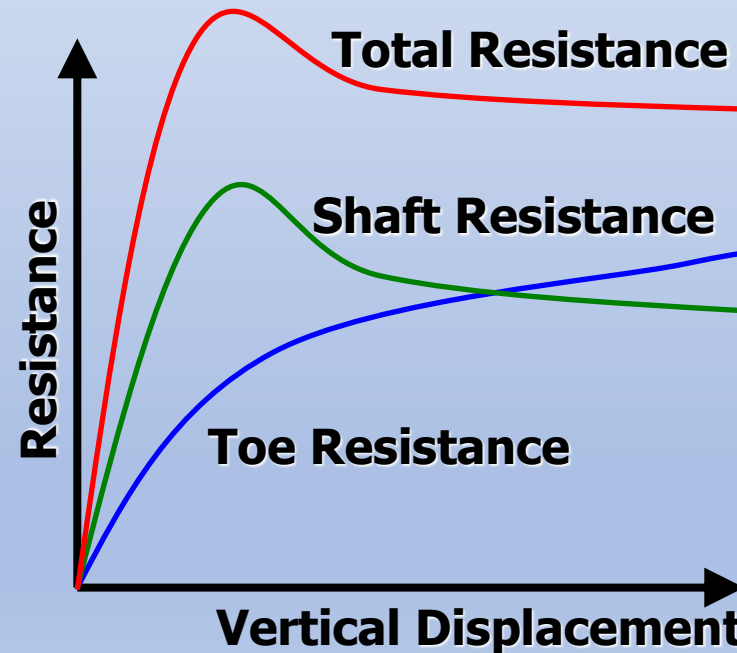
Shaft Capacity

$$R_t = r_t \cdot A_t$$

$$R_s = r_s \cdot A_s \cdot D_f$$

$$R_u = R_t + R_s$$

$$P_a = \frac{R_u}{FS}$$



Static Analysis

Shaft Resistance

For $C - \phi$ Geomaterials $\longrightarrow r_s = K_c(C + \sigma'_v \tan \phi)$

Toe Resistance

$$r_t = CN_C^* + \bar{q}N_q^* + 0.5\gamma BN_\gamma^*$$

For $C - \phi$ Geomaterials $\longrightarrow r_t = CN_C^* + \gamma D_F \cdot N_q^*$

For Fine-Grained Soils (Undrained) $\longrightarrow r_t = CN_C^*$

For Coarse-Grained Soils (Drained) $\longrightarrow r_t = \bar{q} \cdot N_q^*$

Static Analysis

Unified Pile Design (CFEM)

$$q_b = N_t \times \sigma'_{Z=D_f}$$

$\sigma'_{Z=D_f}$ is the effective vertical stress at depth $Z = D_f$

$$q_s = \beta \times \sigma'_{Z-\text{avg}}$$

The values of β and N_t are as given in Table

Soil type	Soil friction angle	Drilled Shafts		Driven Piles	
		β	N_t	β	N_t
Clay	25-30	0.25-0.32	3-10	0.25-0.32	3-10
Silt	28-34	0.2-0.3	10-30	0.3-0.5	20-40
Loose sand		0.2-0.4	20-30	0.3-0.8	30-80
Medium sand	32-42	0.3-0.5	30-60	0.6-1	50-120
Dense sand		0.4-0.6	50-100	0.8-1.2	100-120
Gravel	35-45	0.4-0.7	80-150	0.8-1.5	150-350

Static Analysis

API (2011)

Cohesive Soils

$$q_b = 9S_u$$

$$q_s = \alpha S_u$$

$$\text{For } \Psi \leq 1 \rightarrow \alpha = 0.5\Psi^{-0.5}$$

$$\text{For } \Psi > 1 \rightarrow \alpha = 0.5\Psi^{-0.25}$$

with the constraint that $\alpha \leq 1$

$$\Psi = \frac{S_u}{p'_0(z)}, p'_0(z) = \text{effective stress at depth } z$$

Cohesionless Soils

$$q_b = N_q \times \sigma'_{z=D_f}$$

$$q_s = \beta \times \sigma'_{z-\text{avg}}$$

Relative Density ^a	Soil Description	β	Limiting Shaft Friction Values (kPa)	N_q	Limiting End Bearing Values (MPa)
Very loose	Sand	Not applicable ^d	Not applicable ^d	Not applicable ^d	Not applicable ^d
Loose	Sand				
Loose	Sand-silt ^b				
Medium dense	Silt				
Dense	Silt				
Medium dense	Sand-silt ^b	0.29	67	12	3
Medium dense	Sand	0.37	81	20	5
Dense	Sand-silt ^b				
Dense	Sand	0.46	96	40	10
Very dense	Sand-silt ^b				
Very dense	Sand	0.56	115	50	12

Note: The listed parameters are intended as guidelines only. Other values may be justified in cases where detailed information such as CPT records, strength tests on high-quality samples, model tests, or pile driving performance, is available.

a: The definitions for the relative density percentage description are as follows:

Very loose, 0-15; Loose, 15-35; Medium dense, 35-65; Dense, 65-85; Very dense, 85-100.

b: Sand-silt includes those soils with significant fractions of both sand and silt. Strength values generally increase with increasing sand fractions and decrease with increasing silt fractions.

c: Design parameters given in previous editions for these soil/relative density combinations may be unconservative. Hence, it is recommended to use CPT-based methods.

Static Analysis

NAVFAC (2012)

Cohesive Soils

p'_0 = Average effective vertical stress along the shaft

For $\frac{S_u}{p'_0} \leq 0.4 \rightarrow \text{NC Clay} \rightarrow q_s = p'_0 [0.468 - 0.052 \ln \left(\frac{L_p}{2} \right)] \leq S_u$; L_p = Embedment depth

For $0.4 < \frac{S_u}{p'_0} \leq 2 \rightarrow \text{OC Clay} \rightarrow q_s = S_u [0.458 - 0.155 \ln \left(\frac{S_u}{p'_0} \right)]$

For $\frac{S_u}{p'_0} > 2 \rightarrow q_s = 0.351 S_u$

$$q_b = 9S_u$$

Cohesionless Soils

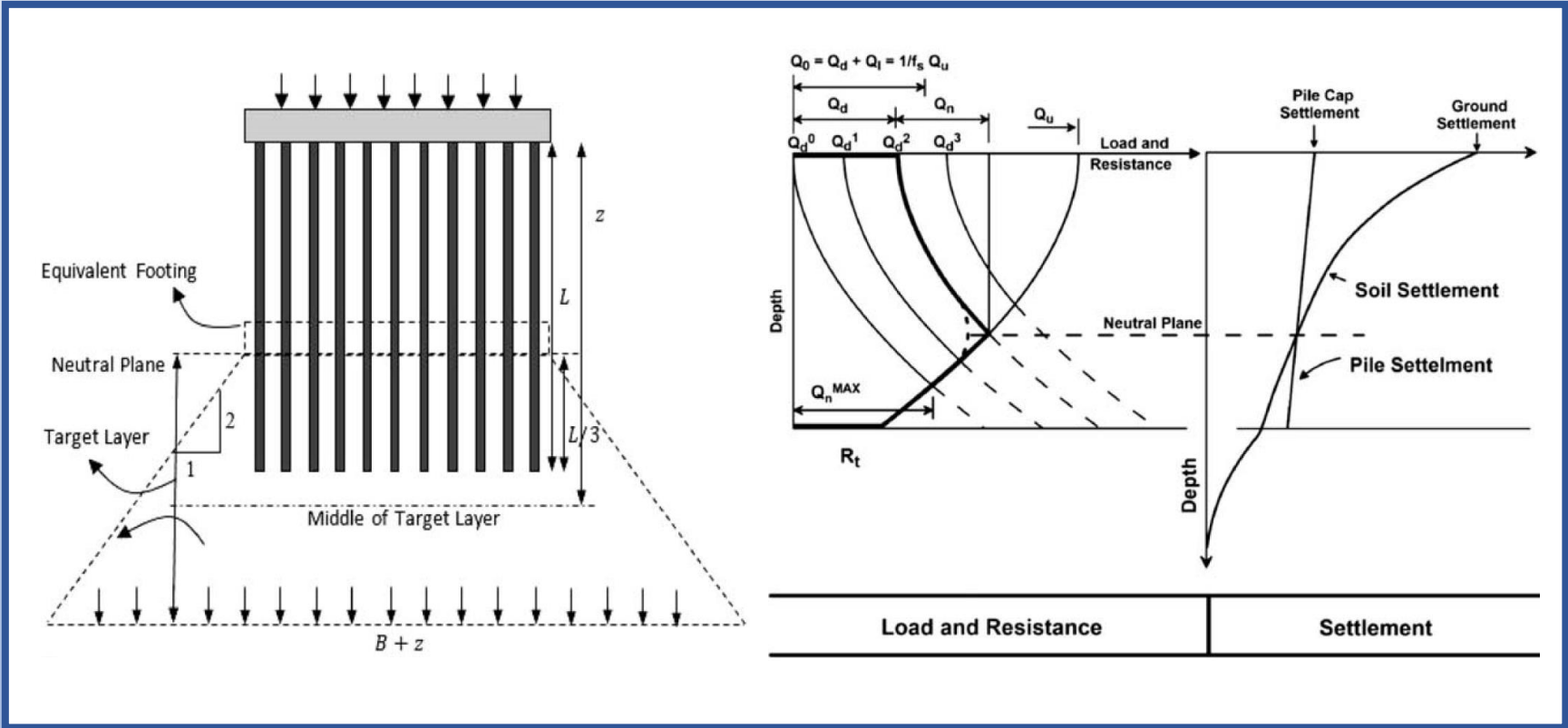
$$q_b = N_q \times \sigma'_{z=D_f}$$

$$q_s = K \tan(\phi - 5) \times \sigma'_z$$

K: Compression=0.7, Uplift=0.5

Soil Type	ϕ (deg)	δ (deg)	N_q	f_s (max) (ksf)	q_p (max) (ksf)
<i>Noncalcareous Soils</i>					
Sand	35	30	40	2.0	200
Silty Sand	30	25	20	1.7	100
Sandy Silt	25	20	12	1.4	60
Silt	20	15	8	1.0	40
<i>Calcareous Soils</i>					
Uncemented calcareous sand (easily crushed)	30	20	20	0.3 ^a	60

Settlement & Resistance Distribution



Simple model to estimate pile group settlement proposed by Terzaghi and Peck (1948)

Unified approach: load, resistance, and settlement distribution along depth (Fellenius, 2015)

Direct Application for Settlement

Valikhah & Eslami (2019)

$$\Delta H = \left(\frac{1}{mj} \left[\left(\frac{\sigma'_0 + \Delta \sigma'}{\sigma'_r} \right)^j - \left(\frac{\sigma'_0}{\sigma'_r} \right)^j \right] \right) \times H$$

$$m = 0.25b \times \left(\frac{2B+1}{3B} \right)^3 \times q_c$$

b : penetration cone diameter

B : foundation width

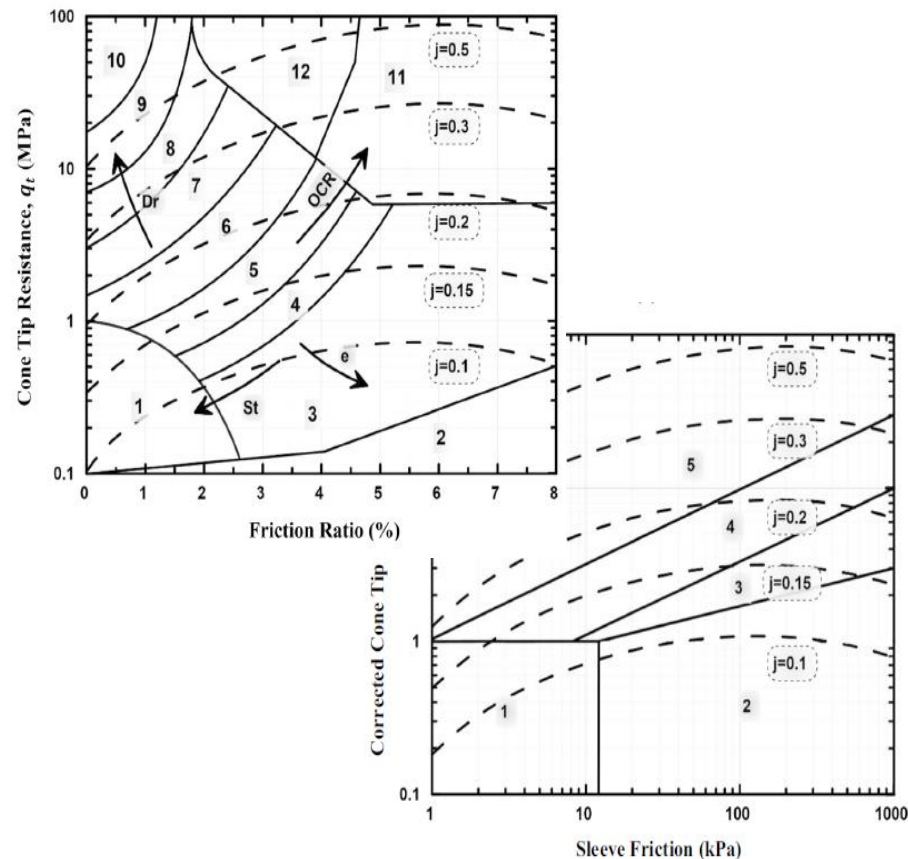
(b and B are in m and q_c is in kPa)

$$j = \frac{q_c}{x + yq_c}$$

$$x = 0.02R_f + 0.5$$

$$y = 7.53(\sigma'_0)^{-0.25}$$

(q_c and σ'_0 are in kPa)



Integrated Settlement Estimation: New Approach

$$\Delta L = \frac{PL}{EA} = \frac{\sigma L}{E}$$

$$S = k \frac{qB}{E}$$



q = Applied Pressure,

B = Breadth,

k = f (Shape, Confinement & Time) ~ 0.5 – 1.5

E = Elastic Modulus → From q_c Variation

Load-Displacement & Dominant Factors

Foundation

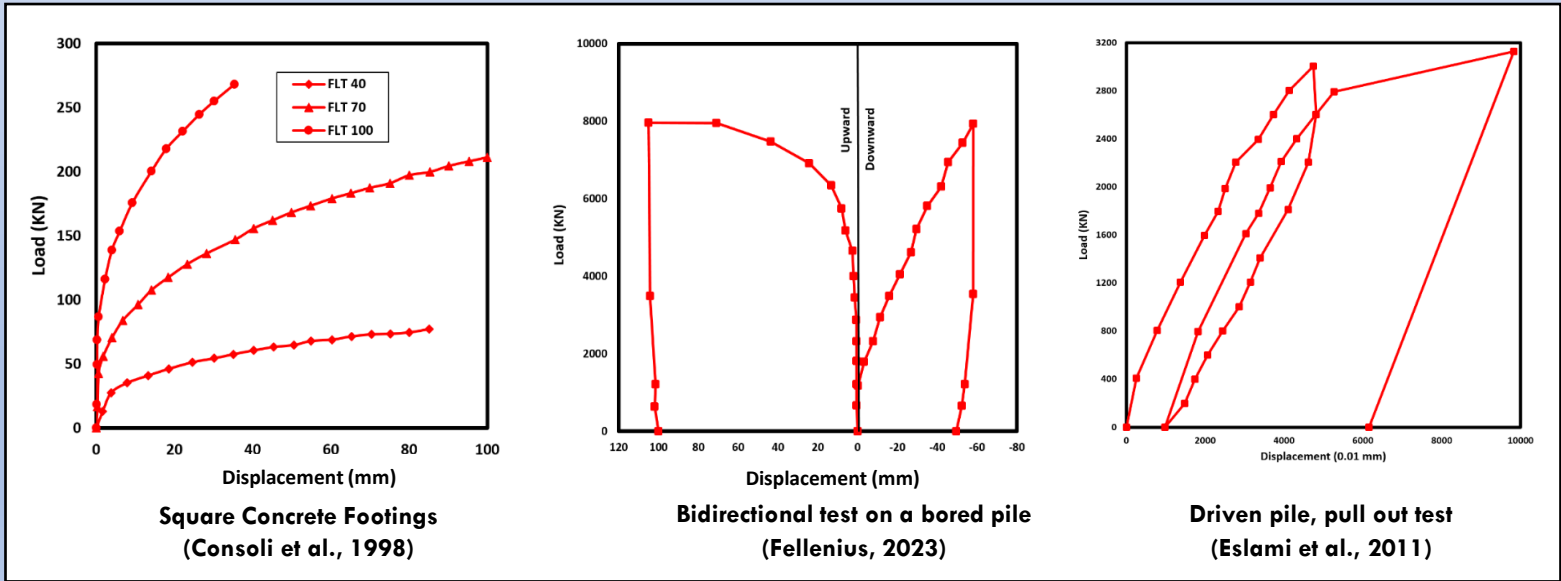
Geometry & Embedment
Installation Effects
Interface Properties
Structural Material

Geomaterial

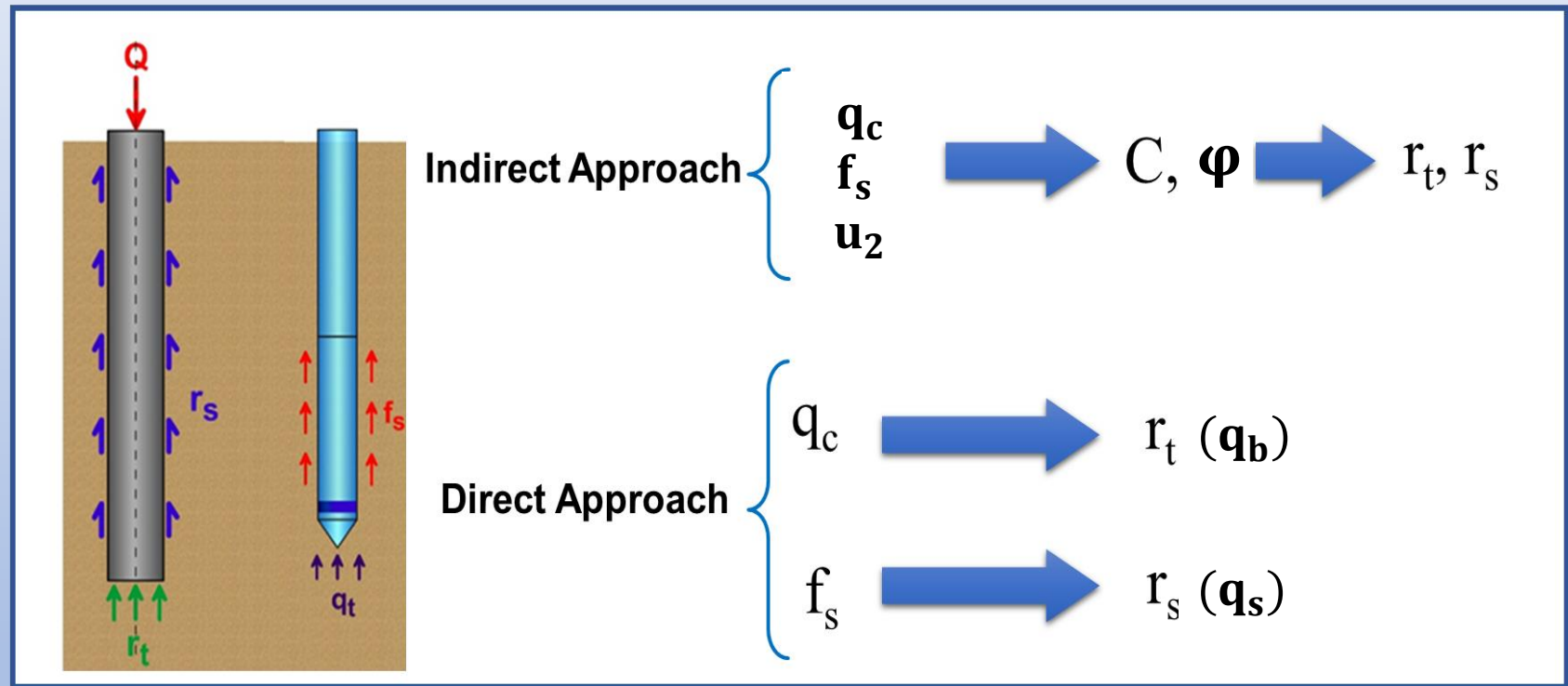
Strength & Stiffness
Drainage Condition
Time History & Aging
Sensitivity & Thixotropy

Loading

Pattern:
Slow or Rapid
Type:
Compressive, Tensile, Cyclic



Direct & Indirect Approach



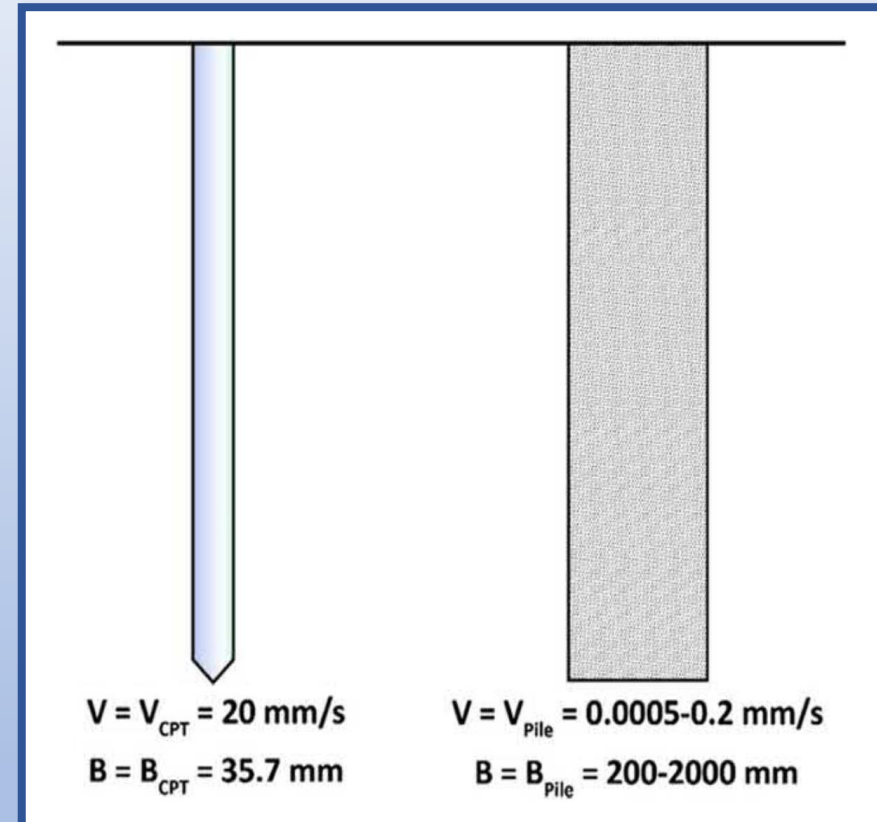
- 1 **CPT & CPTu in Geotechnical Engineering**
- 2 **Applications in Foundation Engineering**
- 3 **CPT-Based Methods for Deep Foundations**
- 4 **Worked Examples**
- 5 **Case Histories**
- 6 **Prospects**

Scale Effect Correlations

Determinant Factors for Toe Capacity

1. Embedment depth
2. Influence zone
3. Data production processing and averaging
4. Diameter
5. Nonhomogeneous condition
6. Penetration rate and failure mechanism
7. Ultimate capacity interpretation

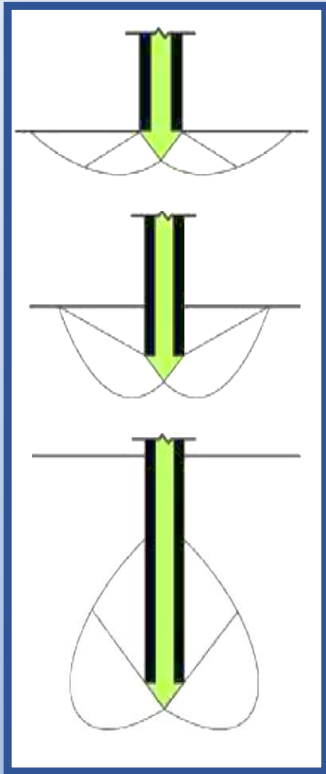
**Penetrometers can be realized
as a *model pile***



Schematic view of pile and cone penetration test differences in material, penetration rate, and dimensions (Eslami et al., 2020)

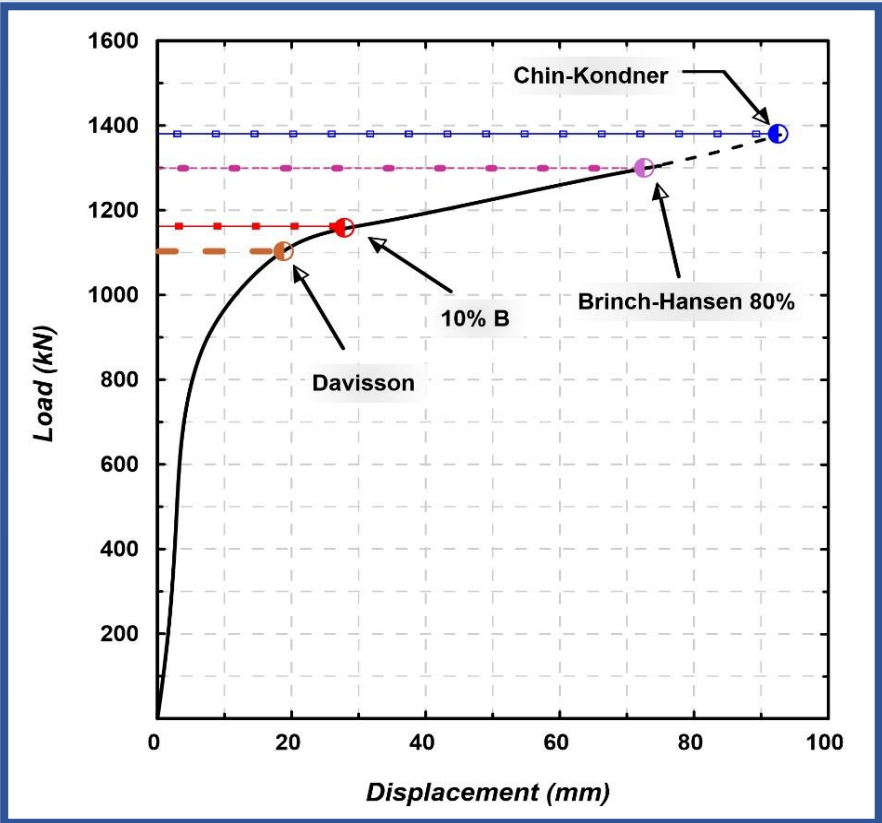
Scale Effect Correlations

Embedment Depth



Schematic view of transformation of shear failure from shallow to deep (Nottingham, 1975)

Ultimate Capacity Condition

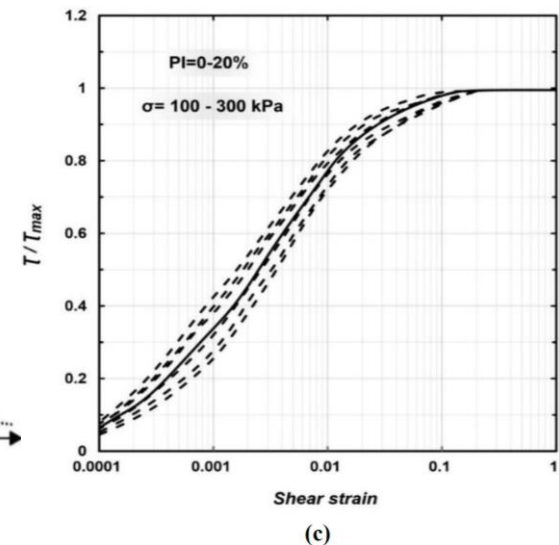
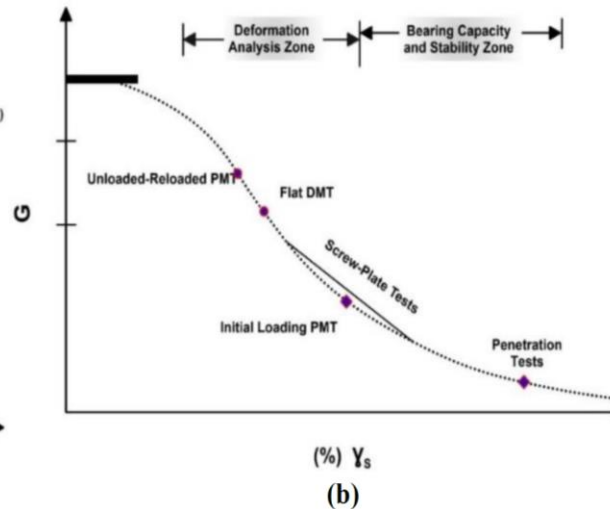
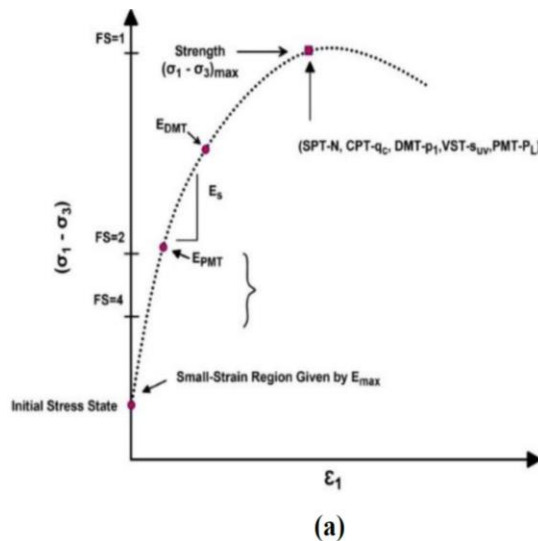


Interpretation of load displacement diagram for Case 001-L&D31 (Moshfeghi & Eslami, 2016)

Scale Effect Correlations

$$\frac{\gamma_{pile}}{\gamma_{CPT}} = \left(\frac{V_{pile}}{V_{CPT}}\right)^{0.61} \cdot \left(\frac{D_{pile}}{D_{CPT}}\right)^{0.5}$$

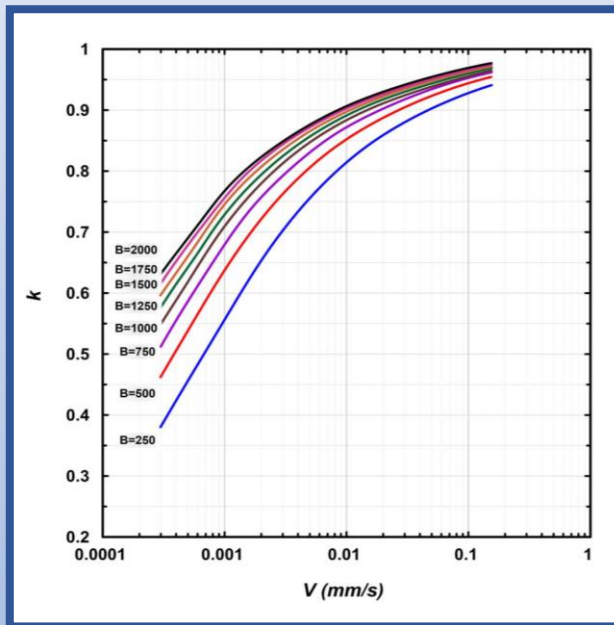
$$\gamma_{pile} = 0.0255 (V_{pile})^{0.61} \cdot (D_{pile})^{0.5}$$



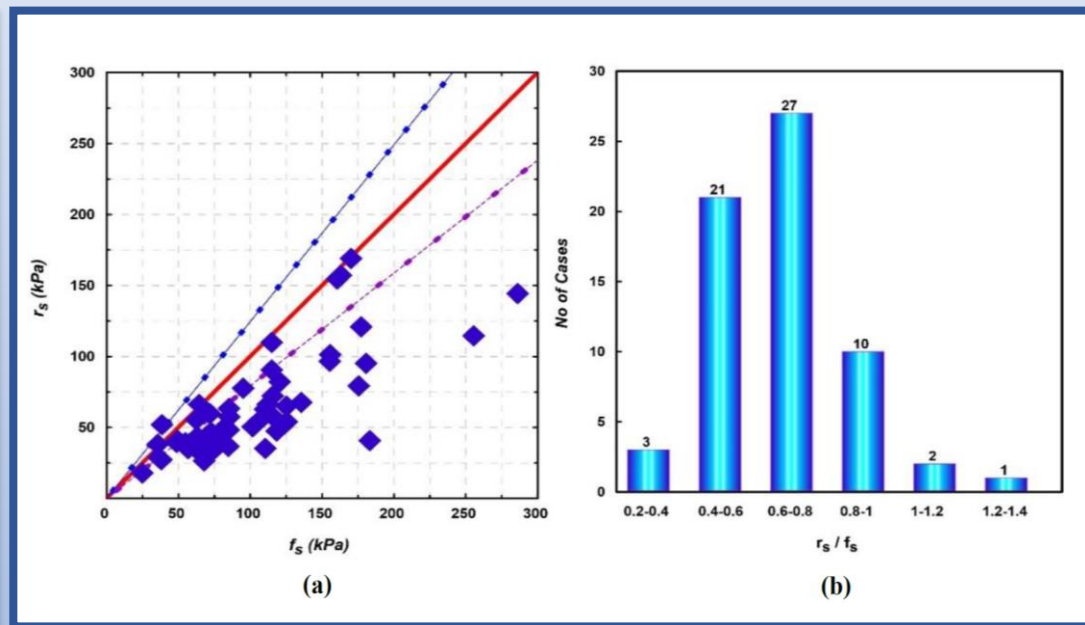
Stress strain Strength curves for different in situ tests; (a) strength measured by in situ tests at the peak of the stress strain curve, (b) variation of shear modulus with strain level (c) Variation of shear stress with shear strain (Sabatani et al., 2002)

Scale Effect Correlations

$$r_s = k \cdot f_s$$



Determining k regarding pile diameter and pile penetration rate (Eslami et al., 2020)



(a) Comparison of r_s and f_s , (b) distribution of r_s/f_s values for Eslami et al. (2013) database (Eslami et al., 2020)

Scale Effect Correlations

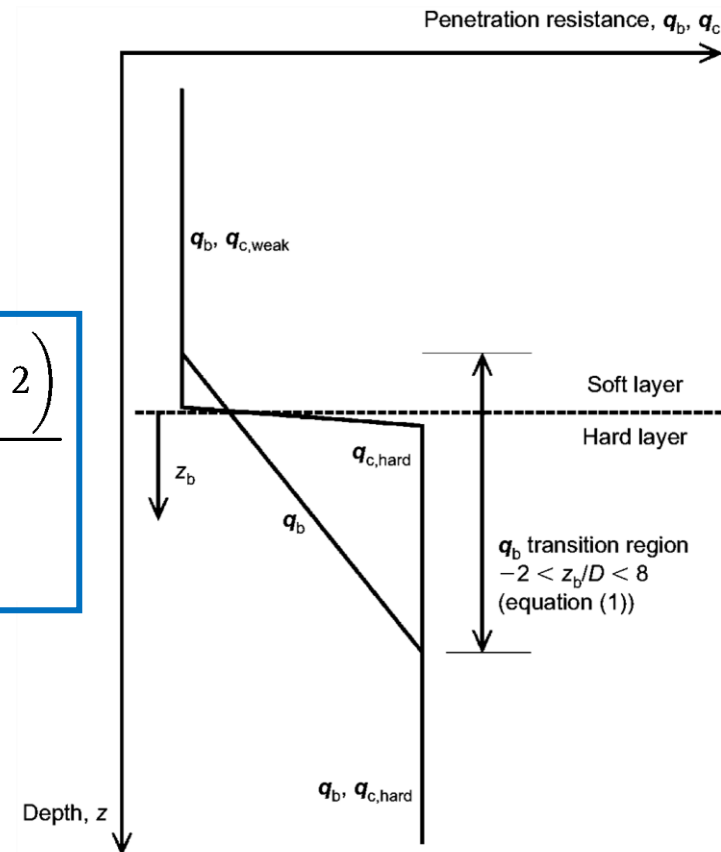
White and Bolton (2005):

Partial embedment reduction factor on
toe resistance:

$$q_{c,corrected} = q_{c,weak} + \frac{(q_{c,hard} - q_{c,weak}) \left(\frac{z_b}{D} + 2 \right)}{10}$$

for $-2 < \frac{z_b}{D} < 8$

Partial embedment reduction factor on base
resistance (White & Bolton, 2005)



Direct Application for Deep Foundations Axial Capacity

List of common CPT- and CPTu-based methods for pile bearing capacity

No.	Method/ Reference	No.	Method/ Reference
1	Begemann (1963, 1965, 1969)	15	Fugro-05 (Kolk et al. 2005)
2	Meyerhof (1956, 1976, 1983)	16	UCD-05 (Gavin and Lehane 2005)
3	Aoki and Velloso (1975)	17	ICP-05 (Jardine et al. 2005)
4	Nottingham (1975), Schmertmann (1978)	18	UWA-05 (Lehane et al. 2005)
5	Penpile (Clisby et al. 1978)	19	NGI-05 (Clausen et al. 2005)
6	Dutch (de Ruiter & Beringen 1979)	20	Cambridge-05 (White & Bolton 2005)
7	Philipponnat (1980)	21	Togiliani (2008)
8	LCPC (Bustamante & Gianceselli 1982)	22	German (Kempfert and Becker 2010)
9	Cone-m (Tumay & Fakhroo 1982)	23	UCD-11 (Igoe et al. 2010, 2011)
10	Price and Wardle (1982)	24	V-K (Van Dijk and Kolk 2011)
11	Gwizdala (1984)	25	SEU (Cai et al. 2011, 2012)
12	UniCone (Eslami & Fellenius 1997)	26	HKU (Yu and Yang 2012)
13	KTRI (Takesue et al. 1998)	27	UWA-13 (Lehane et al. 2013)
14	TCD-03 (Gavin and Lehane 2003)	28	Modified UniCone (Niazi and Mayne 2016)

Summary of Commonly Used CPT-Based Methods

Method/Reference	Pile unit side resistance (r_s)	Pile unit end bearing (r_t)
Meyerhof (1976)	$r_s = k f_s$ $k = 1$ $r_s = c q_c$ $c = 0.5\%$	$r_t = q_{c,a} c_1 c_2$ $c_1 = \left(\frac{B+0.5}{2B} \right)^n$, $c_2 = \frac{D_b}{10B}$ D_b bearing embedment depth $n = 1$ (loose), 2 (medium dense), 3 (dense)
LCPC (Bustamante and Gianeselli, 1982)	$r_s = \frac{1}{k_s} q_c$ $k_s = 30 - 150$	$r_t = k_b q_{eq}$ $k_b = 0.4 \sim 0.55$
Dutch Method (de Ruiter and Beringen 1979)	Compression: $r_s = \min[f_s, \frac{q_c}{300}, 120 \text{ kPa}]$ Tension: $r_s = \min[f_s, \frac{q_c}{400}, 120 \text{ kPa}]$	Similar to Nottingham (1975) and Schmertmann (1978)
Nottingham (1975) Schmertmann (1978)	$r_s = C_s q_c$ $r_s = K f_s$ $C_s = 0.8 \sim 1.8\%$, $K = 0.8 \sim 2$ (sand)	$r_t = q_{ca}$
Unicone (Eslami and Fellenius, 1997)	$r_s = c_{se} \times q_E$ $q_E = q_t - u_2$ $c_{se} = 0.3 \sim 8\%$	$r_t = c_{te} \times q_{Eg}$ $q_{cg} = (q_{c1} \times q_{c2} \times q_{c3} \times \dots \times q_{cn})^{\frac{1}{n}}$ $c_{te} = 1$

Summary of Commonly Used CPT-Based Methods

UWA-05 Method (Lehane et al., 2005)	unit side resistance (r_s)	$r_s = \frac{f_t}{f_c} \left[0.03 q_c A_{rs,eff}^{0.3} \left[\max \left(\frac{h}{B}, 2 \right) \right]^{-0.5} + \Delta \sigma'_{rd} \right] \tan \delta_f$ $A_{rs,eff} = 1 - IFR \left(\frac{B_i}{B} \right)^2, \frac{f_t}{f_c} = 1 \text{ in compression, } 0.75 \text{ in tension}$ $IFR_{mean} \approx \min \left[1, \left(\frac{B_i(m)}{1.5(m)} \right)^{0.2} \right]$
	unit end bearing (r_t)	$\frac{r_{t0.1}}{q_{c,avg}} = 0.15 + 0.45 A_{rb,eff}$ $A_{rb,eff} = 1 - FFR \left(\frac{B_i^2}{B^2} \right), FFR \approx \min \left[1, \left(\frac{B_i(m)}{1.5(m)} \right)^{0.2} \right]$
Fugro-05 Method (Kolk et al., 2005)	unit side resistance (r_s)	Compression Loading: $h/R^* \geq 4 : r_s = 0.08 q_c \left(\frac{\sigma'_{v0}}{p_{ref}} \right)^{0.05} \left(\frac{h}{R^*} \right)^{-0.90}$ $h/R^* \leq 4 : r_s = 0.08 q_c \left(\frac{\sigma'_{v0}}{p_{ref}} \right)^{0.05} (4)^{-0.90} \left(\frac{h}{4R^*} \right)$ Tension Loading: $r_s = 0.045 q_c \left(\frac{\sigma'_{v0}}{p_{ref}} \right)^{0.15} \left(\max \left(\frac{h}{R^*}, 4 \right) \right)^{-0.85}$
	unit end bearing (r_t)	$r_{t0.1} = 8.5 q_{c,avg} \left(\frac{p_{ref}}{q_{c,avg}} \right)^{0.5} A_r^{0.25}$ $A_r = 1 - \left(\frac{B_i^2}{B^2} \right)$

Summary of Commonly Used CPT-Based Methods

ICP-05 Method (Jardine et al., 2005)	unit side resistance (r_s)	$r_s = a \left[0.029bq_c \left(\frac{\sigma'_{v0}}{p_{ref}} \right)^{0.13} \left[\max\left(\frac{h}{R^*}, 8\right) \right]^{-0.38} + \Delta\sigma'_{rd} \right] \tan \delta_f$ $a = 0.9$ (OE piles in tension), 1.0 (all other cases), $b = 0.8$ (tension), 1.0 (compression), δ_f measured or estimated as $\text{fctn}(d_{50})$
	unit end bearing (r_t)	$\frac{r_{t0.1}}{q_{c,avg}} = \max \left[1 - 0.5 \log \left(\frac{B}{B_{CPT}} \right), 0.3 \right]$ The pile is fully plugged if: $B_i < 0.02(D_r - 30)$ or $B_i < 0.083 \left(\frac{q_{c,avg}}{p_{ref}} \right) B_{CPT}$ Fully plugged: $\frac{r_{t0.1}}{q_{c,avg}} = \max \left[0.5 - 0.25 \log \left(\frac{B}{B_{CPT}} \right), 0.15, A_r \right]$ Coring: $\frac{q_{b0.1}}{q_{c,avg}} = A_r$
NGI-05 Method (Clausen et al., 2005)	unit side resistance (r_s)	$r_s = \left(\frac{z}{Dp_{ref}F_{Dr}F_{sig}F_{tip}F_{load}F_{mat}} \right) \geq 0.1\sigma'_{v0}$ $F_{Dr} = 2.1(D_r - 0.1)^{1.7}$, $F_{sig} = \left(\frac{\sigma'_{v0}}{p_{pa}} \right)^{0.25}$, $F_{tip} = 1.0$ (driven OE), 1.6 (driven CE) $F_{load} = 1.0$ (tension), 1.3 (compression), $F_{mat} = 1.0$ (steel), 1.2 (concrete)
	unit end bearing (r_t)	Closed ended pile: $\frac{r_{t0.1}}{q_{c,tip}} = \frac{0.8}{1+D_r^2}$ Open ended pile: <i>Plugged</i>: $\frac{r_{t0.1}}{q_{c,tip}} = \frac{0.7}{1+3D_r^2}$ <i>Unplugged</i>: $r_{t0.1} = r_{t,ann}A_r + r_{t,plug}(1 - A_r)$ $r_{t,ann} = q_{c,tip}$, $r_{t,plug} = \frac{12r_{s,avg}L}{\pi D_i}$, $r_{t0.1} = \min(r_{t0.1,plugged}, r_{t0.1,unplugged})$

Meyerhof Method (1956, 1976, 1983)

Toe resistance: $r_t = q_{c.a} c_1 c_2$

$q_{c.a}$ = arithmetic average of q_c values in a zone ranging from “1b” below through “4b” above pile toe

$c_1 = \left(\frac{B+0.5}{2B}\right)^n$; modification factor for scale effect when $b > 0.5$, otherwise $C_1=1$

$c_2 = \frac{D_b}{10B}$; modification factor for penetration into dense strata when $D_b < 10b$, otherwise $C_2=1$

B = pile diameter (m)

n = an index; 1 for loose sand, 2 for medium dense sand, and 3 for dense sand

D_b = embedment of pile (m) in dense sand strata

Shaft resistance: $r_s = K f_s$, ($K = 1$); $r_s = c q_c$, ($c = 0.5\%$)

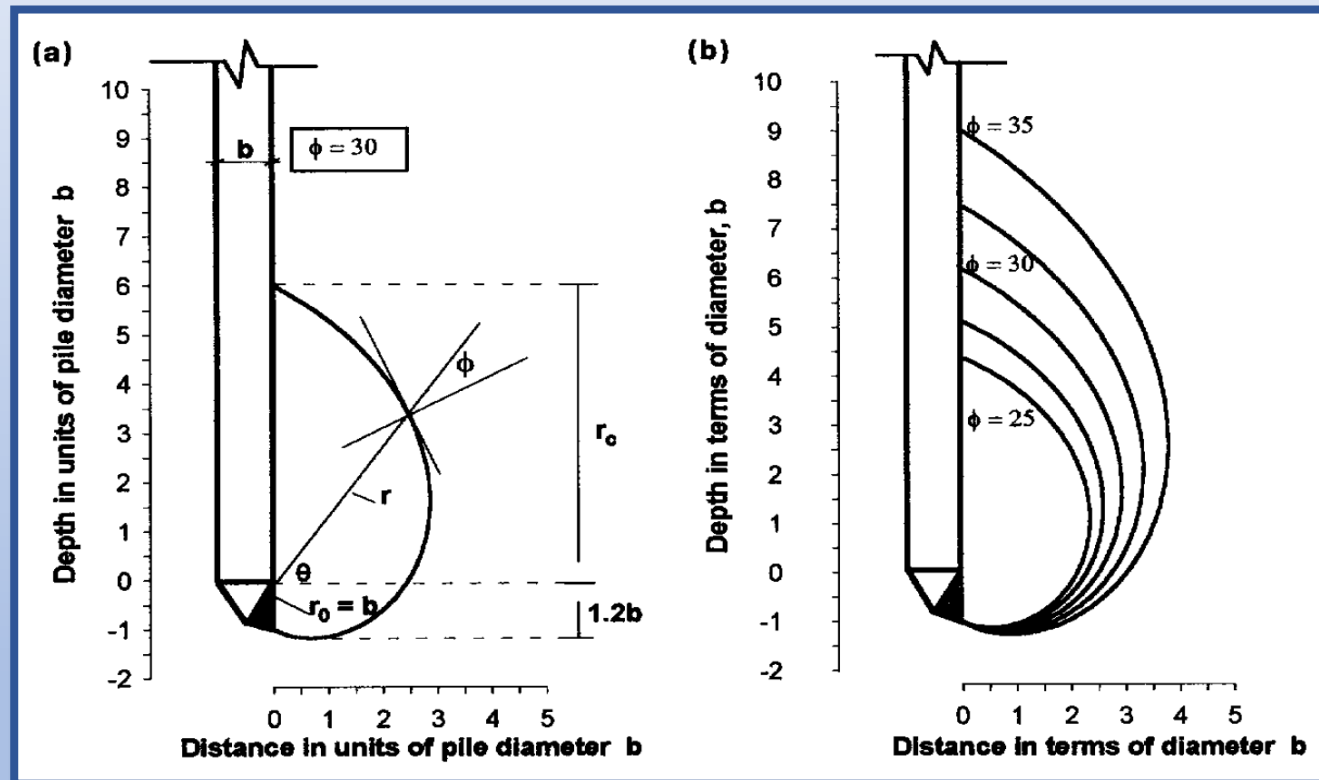
UniCone Method, Eslami & Fellenius (1997)**Pile capacity by direct CPT and CPTu methods applied to 102 case histories****Abolfazl Eslami and Bengt H. Fellenius**

Abstract: Six methods to determine axial pile capacity directly from cone penetration test (CPT) data are presented, discussed, and compared. Five of the methods are CPT methods that apply total stress and a filtered arithmetic average of cone resistance. One is a recently developed method, CPTu, that considers pore-water pressure and applies an unfiltered geometric average of cone resistance. To determine unit shaft resistance, the new method uses a new soil profiling chart based on CPTu data. The six methods are applied to 102 case histories combining CPTu data and capacities obtained in static loading tests in compression and tension. The pile capacities range from 80 to 8000 kN. The soil profiles range from soft to stiff clay, medium to dense sand, and mixtures of clay, silt, and sand. The pile embedment lengths range from 5 to 67 m and the pile diameters range from 200 to 900 mm. The new CPTu method for determining pile capacity demonstrates better agreement with the capacity determined in a static loading test and less scatter than by CPT methods.

Key words: cone penetration test, pile capacity, toe resistance, shaft resistance, soil classification.

UniCone Method, Eslami & Fellenius (1997)

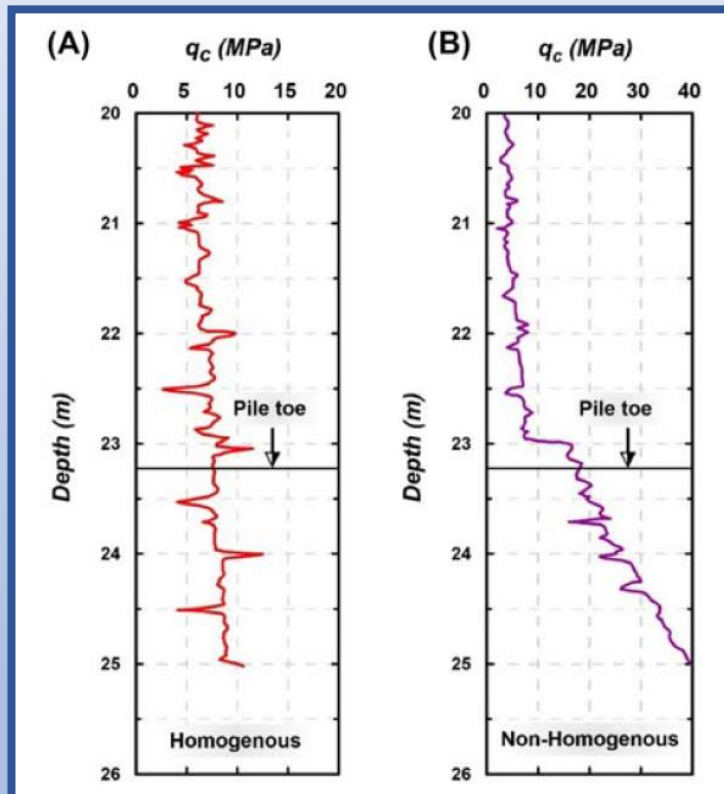
Toe Failure Zone



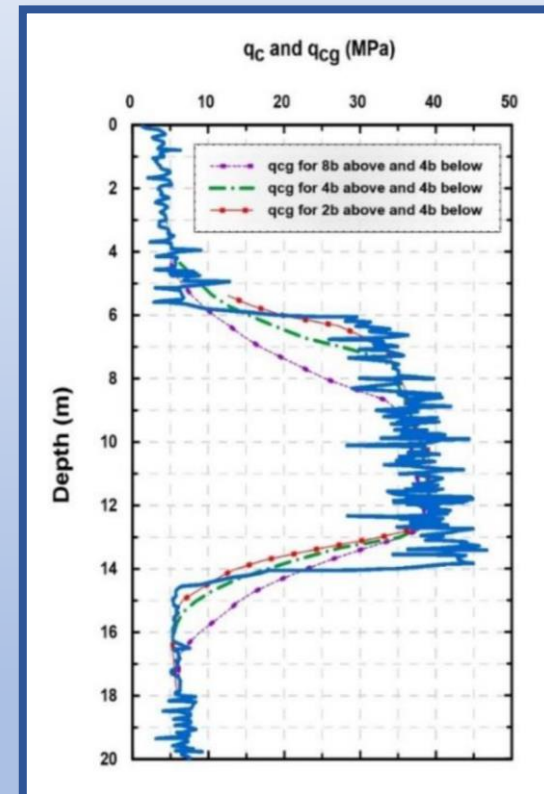
a) Principle of a logarithmic spiral rupture, b) rupture surfaces around pile toe for different soils (Eslami & Fellenius, 1997)

UniCone Method, Eslami & Fellenius (1997)

Homogeneous and Nonhomogeneous Deposits



Comparison of pile unit toe resistance for different zones: (A) Homogeneous and (B) Nonhomogeneous



Comparison of cone resistance and calculated geometric average for a dense soil layer laid between loose layers

UniCone Method, Eslami & Fellenius (1997)**Toe Capacity**

$$r_t = c_t \times q_{Eg}$$

$$c_t = 1$$

$$q_E = q_t - u_2$$

$$q_t = q_c + (1 - a)u_2$$

$$q_{Eg} = \sqrt[n]{q_{E1} \times q_{E2} \times \cdots \times q_{En}}$$

Fellenius (2002):

Adjustment factor:

$$c_t = \frac{1}{3B} \text{ (B in meter)}$$

$$c_t = \frac{12}{B} \text{ (B in inches)}$$

UniCone Method, Eslami & Fellenius (1997)

Shaft Capacity

$$r_s = c_s \times q_{Eg}$$

q_{Eg} = Geometrical – mean within proposed layer

$$r_s = \beta \times \sigma'_{z-avg} \quad \text{Eq. 1}$$

$$r_t = N_t \times \sigma'_{z=D_f} \quad \text{Eq. 2}$$

$$r_t = q_c \quad \text{Eq. 3}$$

$$\text{Eq. 1 \& Eq. 2} \rightarrow \frac{r_s}{r_t} = \frac{\beta}{N_t} \quad \text{Eq. 4}$$

$$\text{Eq. 3 \& Eq. 4} \rightarrow r_s = \left(\frac{\beta}{N_t} \right) \times (r_t \text{ or } q_c)$$

$$c_s = f \left(\frac{\beta}{N_t} \right)$$

Shaft coefficient correlation

Soil type	Cs
Soft sensitive soils	8.0%
Clay	5.0%
Stiff clay and mixture of clay and silt	2.5%
Mixture of silt and sand	1.0%
Sand	0.4%

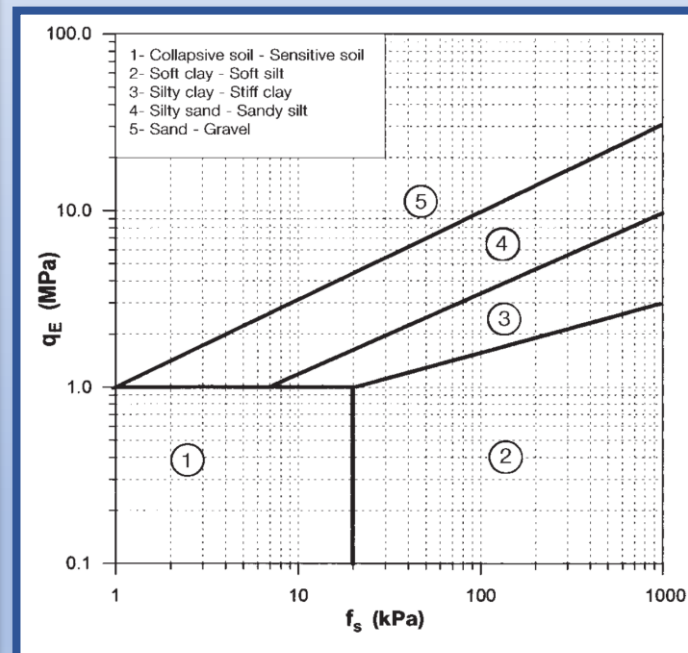


Chart for soil classification
(Eslami & Fellenius, 1997)

Comments on the Current CPT-Based Methods for Pile Design

- **Old Technology:** Developed mechanically in the 1970s–1980s before the introduction of the piezocone (CPTu), these approaches do not reflect the accuracy and capabilities of modern electronic CPT measurements.
- **Uncorrected Measurements:** Early formulations did not correct cone resistance for pore pressure effects (u_2), leading to minor discrepancies in sands but significant errors in clays.
- **Total Stress Framework:** Several methods rely on total stress parameters, although long-term pile behavior is governed primarily by effective stress conditions.
- **Data Processing Practices:** Representative soil resistance must be based on geometric averaging instead of adjusted arithmetic means; resulting in variability in interpretation.
- **Locally Derived Databases:** Many methods were calibrated using limited regional pile load tests, without sufficient diversity in soil profiles and pile types.

Comments on the Current CPT-Based Methods for Pile Design

- **Arbitrary Resistance Limits:** Certain approaches impose upper limits on unit toe resistance that may not reflect the higher values recorded in very dense sands.
- **Influence Zone Considerations:** Scale effects between the small-diameter cone and the larger pile are not consistently quantified.
- **Soil Classification Approach:** Most methods lack CPT-based soil typing and instead depend on conventional borings and laboratory classifications that misalign with CPT Data.
- **Capacity Interpretation Criteria:** While some methods define clear benchmarks for interpreting static load tests, others do not explicitly establish ultimate capacity criteria.
- **Limited Soil Applicability:** Methods such as NGI, ICP, Fugro, and UWA primarily address displacement piles in sand, with broadly similar formulations and restricted soil coverage.

These limitations highlight the need for a unified CPT-based framework that integrates corrected measurements, soil behavior typing, and consistent capacity criteria.

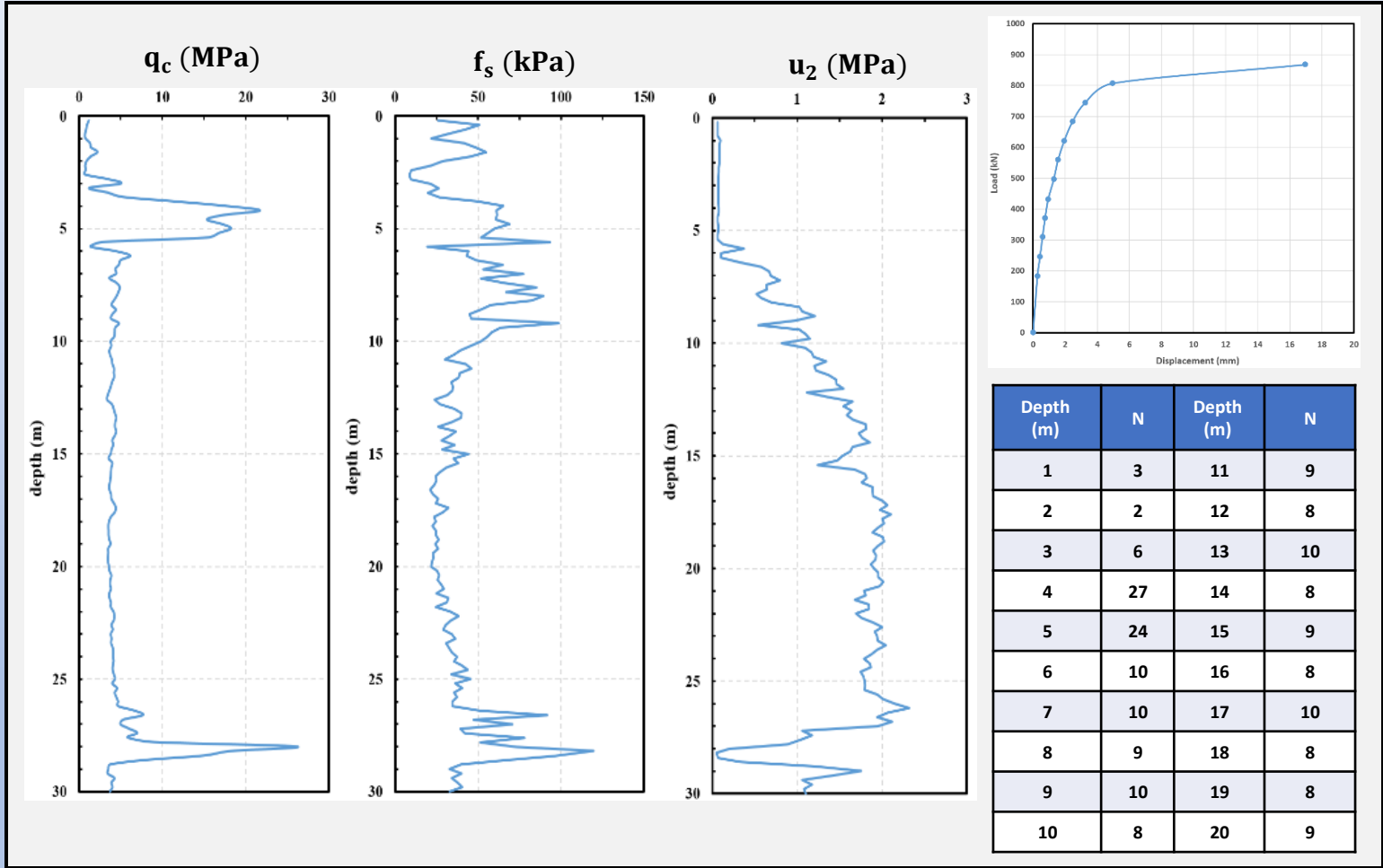
- 1 CPT & CPTu in Geotechnical Engineering
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Example No. 3: In-Situ Based Methods versus Static Load Test (SLT); Single Pile

*A square concrete pile with an embedment depth of **15.2 m** and a width of **0.305 m** is driven in VA, USA. The variation of CPT and SPT records with depth is illustrated and also tabulated. Predict the axial bearing capacity of this pile according to the following methods:*

- a) UniCone (Eslami & Fellenius, 1997)*
- b) Schmertmann (1978)*
- c) LCPC (Bustamante & Gianesselli, 1983)*
- d) Bazaraa & Kurkur (1986)*
- e) Briaud & Tucker (1988)*
- f) Decourt (1992)*
- g) Compare the results with the given static pile load test*

Example No. 3:
In-Situ Based Methods versus Static Load Test (SLT); Single Pile



1. Worked Examples

Example No. 3: Solution

a) Eslami & Fellenius (1997)

$$q_{E-toe} = 2.23 \text{ MPa}, r_t = 2230 \text{ kPa},$$

$$R_t = 2230 \times 0.305^2 = 207.5 \text{ kN}$$

$$R_s = 707.1 \text{ kN}$$

$$R_u = R_t + R_s = 914.6 \text{ kN}$$

b) Schmertmann (1978)

$$r_t = 3260 \text{ kPa},$$

$$R_t = 3260 \times 0.305^2 = 303 \text{ kN}$$

$$R_s = 710.1 \text{ kN}$$

$$R_u = R_t + R_s = 1013.1 \text{ kN}$$

c) LCPC (Bustamante & Gianesselli, 1983)

$$r_t = 1760 \text{ kPa}$$

$$R_t = 1760 \times 0.305^2 = 163.8 \text{ kN}$$

$$R_s = 776.5 \text{ kN}$$

$$R_u = R_t + R_s = 940.3 \text{ kN}$$

Summary of SPT-Based Methods

	Method	Pile Type	Soil	n_s	n_t	Relevant Zone of End Bearing Capacity	Remark
1	Meyerhof (1956)		Clay	2	22.5		$N \leq 50$
2	Aoki & Velloso (1975)	Bored & Driven	Clay Silt Sand	$\frac{\alpha \cdot K}{F_2}$	$100 \times \frac{K}{F_1}$	Average of the 3 N-Values Closest to Pile Tip.	For α, K, F_1, F_2 See Fakharian & Eslami (2006)
3	Decourt & Quaresma (1982)		Clay Clayey Silt Sandy Silt Sand	$r_t = 10 + 3.33N_t$	120 200 250 400	[D-1m, D+1m]	$3 \leq N \leq 50$
4	Shioi & Fukui (1982)	Bored Driven	Clay Sand Clay Sand	5 1 10 2	$=q_a$ (See Fig. 1) 100		
5	Meyerhof (1983)	Bored Driven	Sand	1 2	$120 \cdot C_1 \cdot C_2$ $400 \cdot C_1 \cdot C_2$	[D-8B, D+3B]	Correction of N_s Due to Depth effect. $C_1 = \left(\frac{B+0.5}{2B} \right)^n \leq 1$ n for Loose, Medium and Dense Sand is 1, 2 and 3. $C_2 = \frac{L_2}{10B} \leq 1$
6	Briaud & Tucker (1984)	Driven	Sand			[D-4B, D+4B]	See Fakharian & Eslami (2006)
7	Bazaraa & Kurkur (1986)	Bored Driven	Cohesive Cohesionless Cohesive Cohesionless	2 0.67 (B $\leq$ 0.5m) 1.34B (B $>$ 0.5m) 3.3 2.2 (B $\leq$ 0.5m) 4.4B (B $>$ 0.5m)	40 135 (B $\leq$ 0.5m) 270 (B $>$ 0.5m) 60 200 (B $\leq$ 0.5m) 400 (B $>$ 0.5m)	[D-3.75B, D+1B]	$N < 50$
8	Lopes & Laprovitera (1988)	Bored		Same as 2 nd Method	Same as 2 nd Method	[D-1B, D+1B]	
9	Resse & O'Neill (1989)	Bored		β - Method	60 (0.52 $<$ B $<$ 1.27m) 76.2 (B $>$ 1.27m) $\frac{B}{B}$	[D, D+2B]	
10	Hirayama (1990)	Bored	Clay Silt Sand Clay	10 5 5 5	100 250 400 600	[D-1B, D+1B]	For Clay $r_t \leq 150$ For Sand $r_t \leq 200$
11	Robert (1997)	Bored Driven	Sand	1.9 1.9	115 190		Correction of N_t Due to Depth effect.
12	Bouafia & Yaich Achour (2004)	Bored	Sand	4.14	120	[D-8B, D+3B]	

Example No. 3: Solution

d) Bazaraa & Kurkur (1986)

$$N_s = 10.2, n_s = 3 \rightarrow r_s = 30.6 \text{ kPa}$$

$$R_s = 30.6 \times 15.24 \times 4 \times 0.305 = 568.9 \text{ kN}$$

$$N_b = 8.5, n_b = 0.13 \rightarrow r_t = 1110 \text{ kPa and } R_t = 1110 \times 0.305^2 = 102.8 \text{ kN}$$

$$R_u = R_t + R_s = 671.7 \text{ kN}$$

e) Briaud & Tucker (1988)

$$N_b = 8.5, K_t = 1894571.86, r_{t,\max} = 4267.35, r_{t,\text{res}} = 1667.92$$

$$r_t = 4232.16 \text{ kPa}, R_t = 4232.16 \times 0.305^2 = 393.7 \text{ kN}$$

$$N_s = 10.2, K_s = 37441.40, r_{s,\max} = 43.93, r_{s,\text{res}} = 8.33$$

$$r_s = 43.21 \text{ kPa}, R_s = 43.21 \times 15.24 \times 4 \times 0.305 = 803.4 \text{ kN}$$

$$R_u = R_t + R_s = 393.7 + 803.4 = 1197.1 \text{ kN}$$

f) Decourt (1992)

$$r_t = 1837.5 \text{ kPa}, R_t = 1837.5 \times 0.305^2 = 170.9 \text{ kN}$$

$$r_s = 33.8 \text{ kPa}, R_s = 33.8 \times 15.24 \times 4 \times 0.305 = 628.4 \text{ kN}$$

$$R_u = R_t + R_s = 170.9 + 628.4 = 799.3 \text{ kN}$$

Example No. 3: Solution

Capacity	CPT-Based Methods			SPT-Based Methods			Load-Displacement	
	Eslami & Fellenius (1997)	Schmertmann (1978)	LCPC (1983)	Bazaraa & Kurkur (1986)	Briaud & Tucker (1988)	Decourt (1992)	Davisson Offset Limit (1972)	w/d=1 0%
R_t (kN)	207.5	303	163.8	102.8	393.7	170.9	-	-
R_s (kN)	707.1	710.1	776.5	568.9	803.4	628.4	-	-
R_u (kN)	914.6	1013.1	940.3	671.7	1197.1	799.3	840.75	888.2

Example No. 4: CPT & SPT Based Methods versus Static Load Test (SLT); Single Pile

*The records of SPT & CPT tests in a piling site are given below. The installed piles are closed-end steel pipe piles with a diameter of **324 mm** and an embedded length of **14 m**. The existing soil type is recognized as sand based on site investigation. Determine the axial bearing capacity utilizing the given method and compare the results with the load-displacement diagram.*

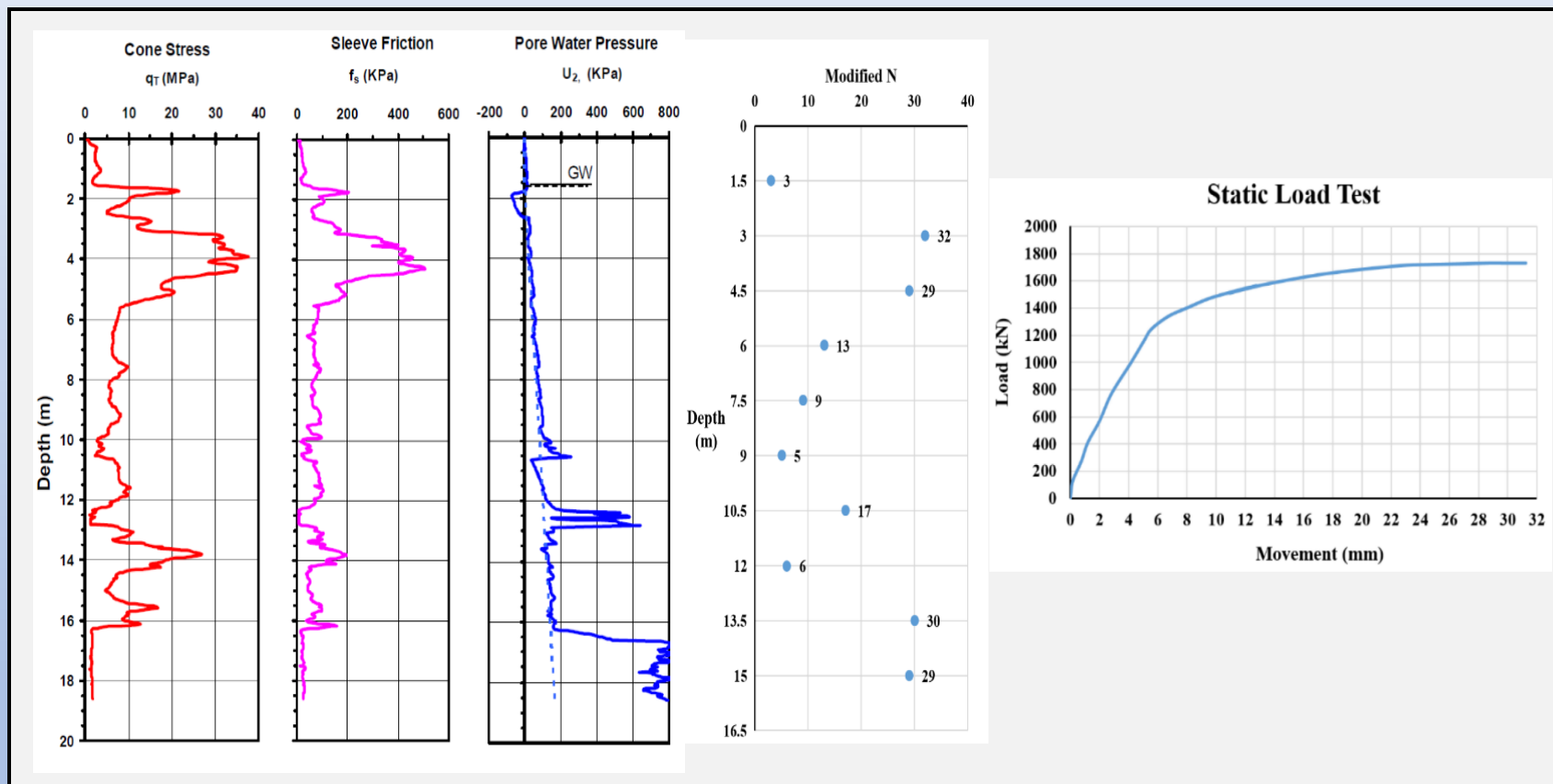
SPT-based:

- *Meyerhof (1976)*
- *Shariatmadari et al. (2008)*

CPT-based:

- *Eslami & Fellenius (1997)*
- *German (2010)*

Example No. 4: CPT & SPT Based Methods versus Static Load Test (SLT); Single Pile



Example No. 4: Solution

SPT-based Methods

Meyerhof (1976)

$$N_{avg-shaft} = 16$$

$$n_s = 2 \rightarrow r_s = 2 \times 16 = 32 \text{ KPa} \quad A_s = 14.25 \quad R_s = 456 \text{ KN}$$

$$n_t = 400 \quad C_1 = 1, \quad C_2 = 1$$

$$n_t = 400 \quad [11.4, 14.97] \rightarrow N_{avg} = 21.67$$

$$r_t = 400 \times 21.67 = 8668 \quad A_t = 0.082 \text{ m}^2, \quad R_t = 8668 \times 0.082 = 710.77$$

$$R_u = 1166.77 \text{ KN}$$

Shariatmadari et al. (2008)

$$N_{avg-shaft-geometrical} = 12$$

$$n_s = 3.65 \rightarrow r_s = 3.65 \times 12 = 43.8 \text{ KPa} \quad A_s = 14.25 \quad R_s = 624.15 \text{ KN}$$

$$n_t = 385 \quad [11.4, 15.3] \rightarrow N_{avg} = 17.35$$

$$r_t = 385 \times 17.35 = 6680 \quad A_t = 0.082 \text{ m}^2, \quad R_t = 6680 \times 0.082 = 547.76$$

$$R_u = 1171.91 \text{ KN}$$

Example No. 4: Solution

CPT-based Methods

German (2010)

$$q_{c\text{-shaft}} \rightarrow 12.5 \quad r_s = 80 \text{ kPa}$$

$$q_{c\text{-toe}} = 17 \text{ MPa} \quad r_t = 9 \text{ MPa}$$

$$R_s = 80 \times 14.25 = 1140 \text{ kN} \quad R_t = 9000 \times 0.082 = 738 \text{ kN} \rightarrow R_u = 1878 \text{ kN}$$

Eslami & Fellenius (1997)

$$q_{E\text{-shaft}} = 9.11 \text{ MPa} \quad q_{E\text{-toe}} = 8.98 \text{ MPa}$$

$$r_s = 0.01 \times 9110 = 91.1 \text{ kPa} \quad r_t = 8980$$

$$R_s = 91.1 \times 14.25 = 1298.18 \text{ kN} \quad R_t = 8980 \times 0.082 = 736.36 \text{ kN} \rightarrow R_u = 2034.54 \text{ kN}$$

Load-Displacement Diagram

$$\text{Davisson Offset Limit (1972)} \rightarrow \text{offset} = 4 + \frac{344}{120} = 6.7 \text{ mm} \quad K = 90 \rightarrow Q_u = 1725 \text{ kN}$$

$$\text{Brinch - Hansen (1963)} \quad Q_u = 1767.77 \text{ kN}, \quad C_1 = 0.00005, \quad C_2 = 0.00016$$

- 1 **CPT & CPTu in Geotechnical Engineering**
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I. Supplementary Cases

7. Four Piles Prediction Symposium; ASCE (Finno et al., 1989)

8. The Hong Kong Bridge (Duan et al., 2021)

9. AUT:Geo-CPT&Pile Database (Eslami et al., 2016 - 2024)

10. Three oil tanks -Belgium (Van Impe et al., 2013 & 2015)

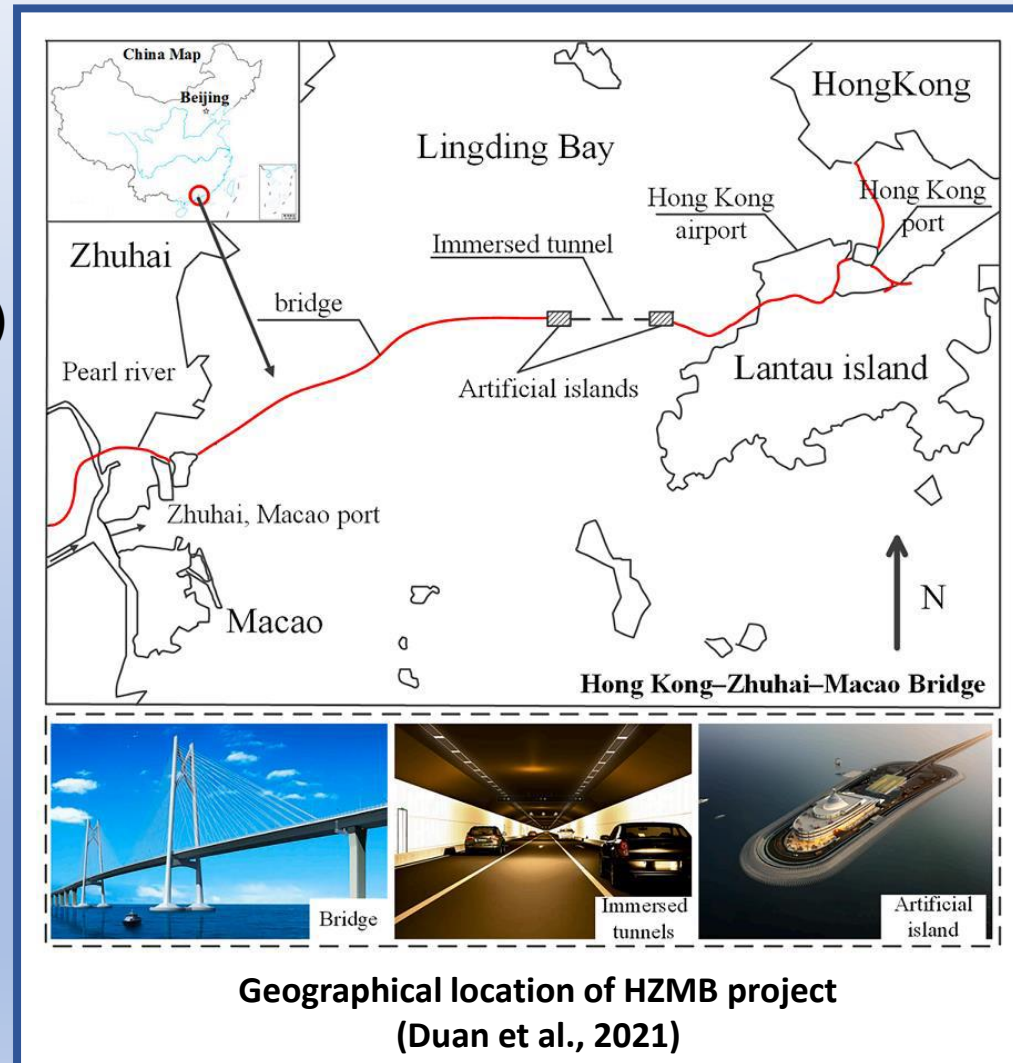
11. James River bridge, Virginia (Batten & Keaney, 2021)

12. Pile Prediction Event, Alabama (Fellenius, 2025)

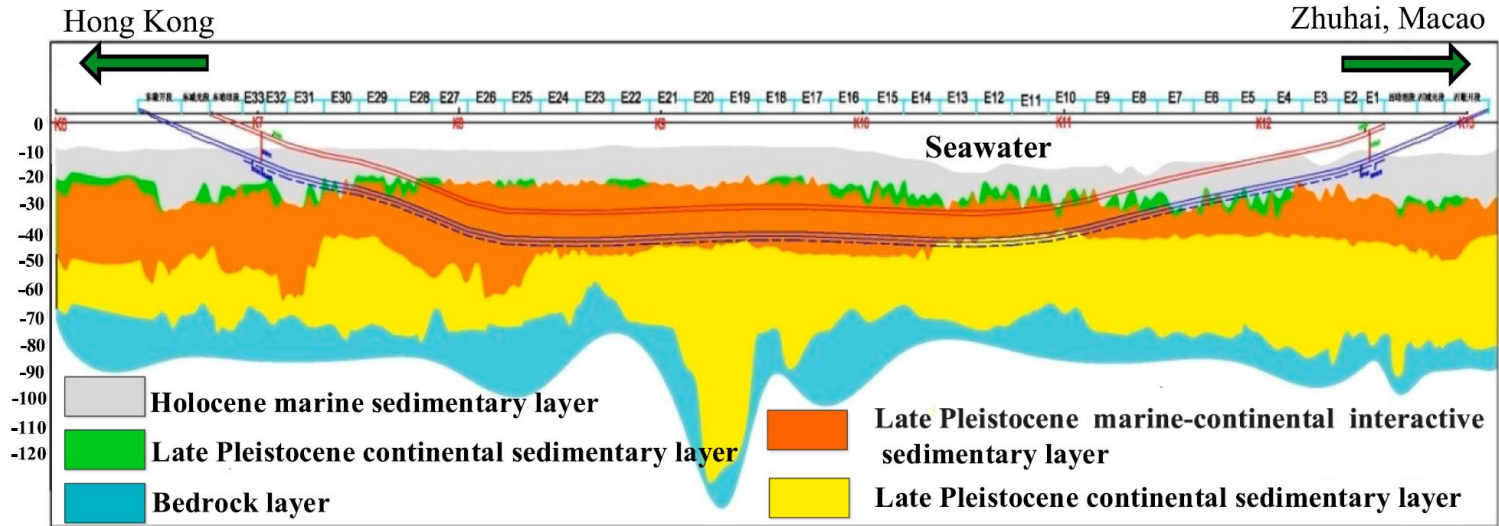
13. Pile Instrumentation, Louisiana (Abu-Farsakh et al., 2016)

Case History No. 8: The Hong Kong Bridge (Duan et al., 2021)

- Soft marine clay located on the bedrock
- Project Cost: Over \$12 billion
- The Longest bridge-Tunnel Combo (50 km)
- The max span = 180m
- 700 drilled shafts
- 660 of piles in the marine environment
- The piles length: 7 m to 107 m
- Average diameter of 2.5 m
- About 400 CPTu & geotechnical data



Case Study No. 8: Continued

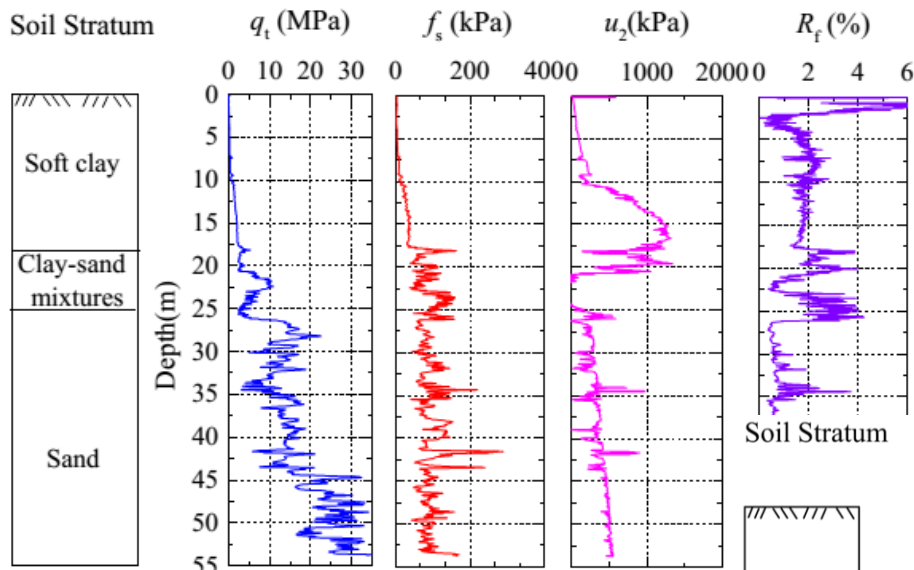


	Soft clay with medium sand for local areas
	Clay with silty sand for local areas
	Clay , clay with sand for local areas, followed by fine sand and medium sand
	Medium coarse gravel sand, followed by fine sand and clay
	Huanggang rock

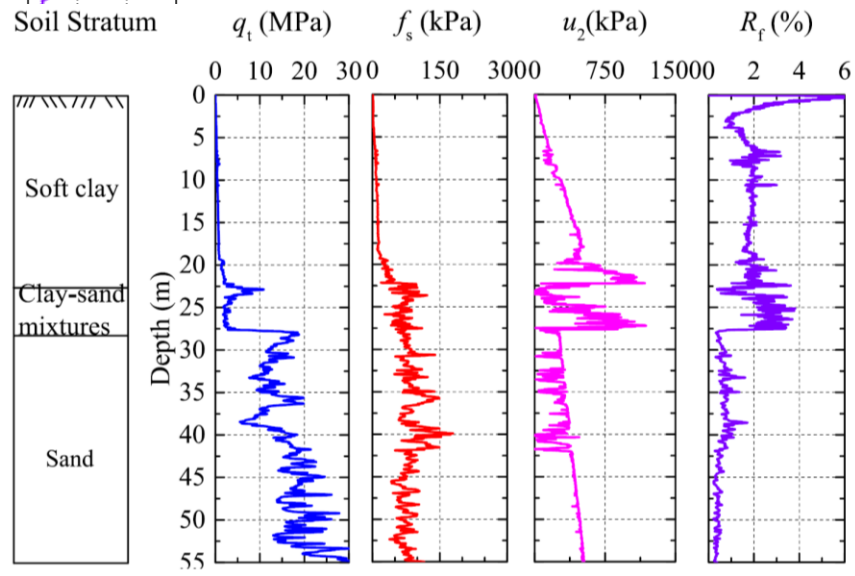


Simplified comprehensive geological longitudinal profile of island and tunnel
(Duan et al., 2021)

Case Study No. 8: Continued



Typical CPT records of HZMB project
(Duan et al., 2021)



Case History No. 11: James River bridge, Virginia (Batten & Keaney, 2021)

Optimization Large Diameter Concrete Piles for Marine Bridges

Project Overview

- \$3.8 Billion Design-Build project, awarded by VDOT to HRCF Construction Joint Venture in 2019
- Design Joint Venture of HDR and Mott MacDonald
- 2.7 miles marine trestle bridges over the James River on I-64
- Connect Hampton to Norfolk, VA
- North and South Trestles connect shoreline to man made island expansions



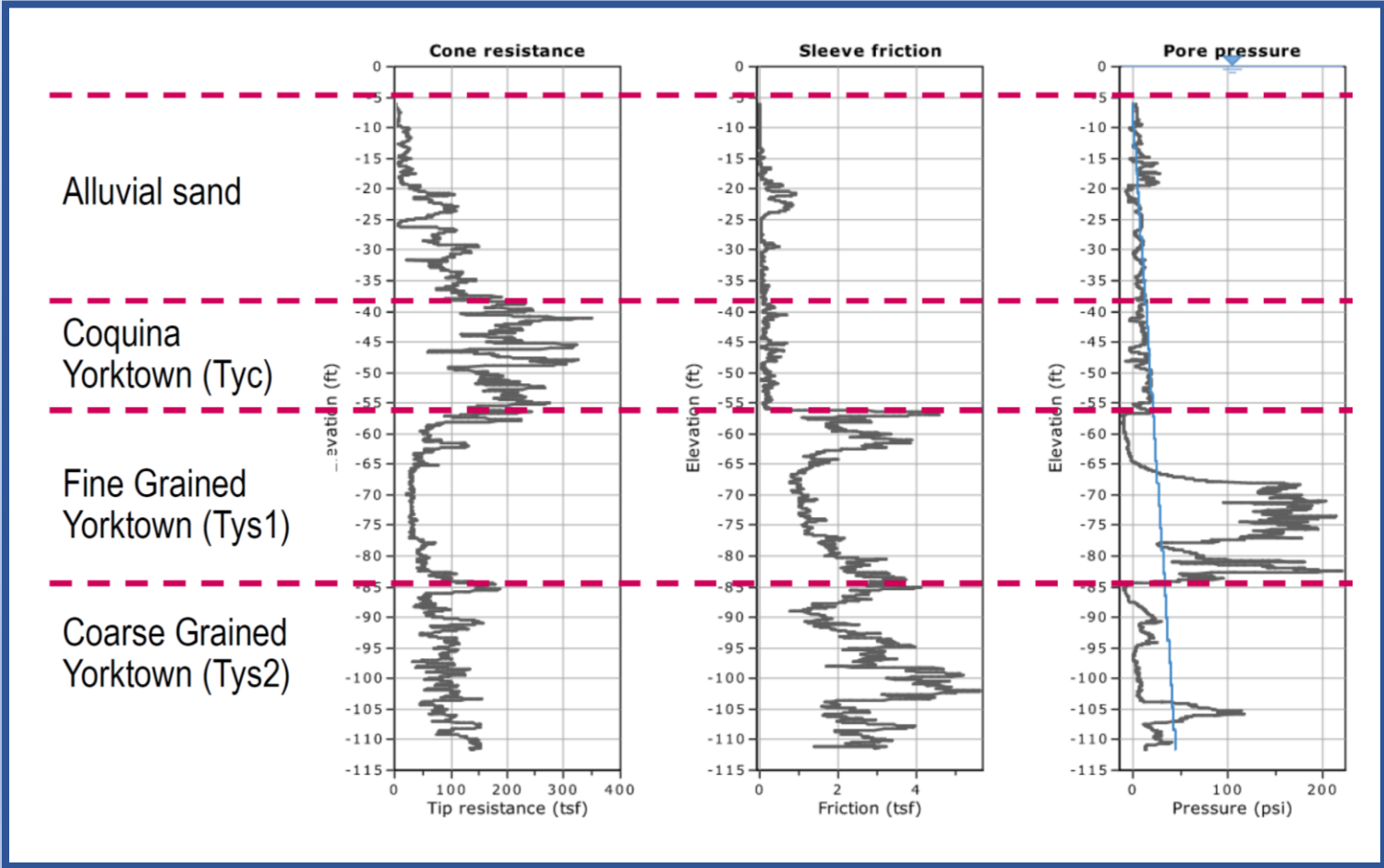
Case History No. 11: Continued**Subsurface Exploration**

- Historic VDOT Marine Trestle Data: 17 SPT and 35 CPTu
- Supplemental Marine Trestle Data: 135 SPT and 149 CPTu
 - ❖ *Jack up barges for deep water*
 - ❖ *Spud barges for shallow water*



Case History No. 11: Continued

Typical CPT Sounding



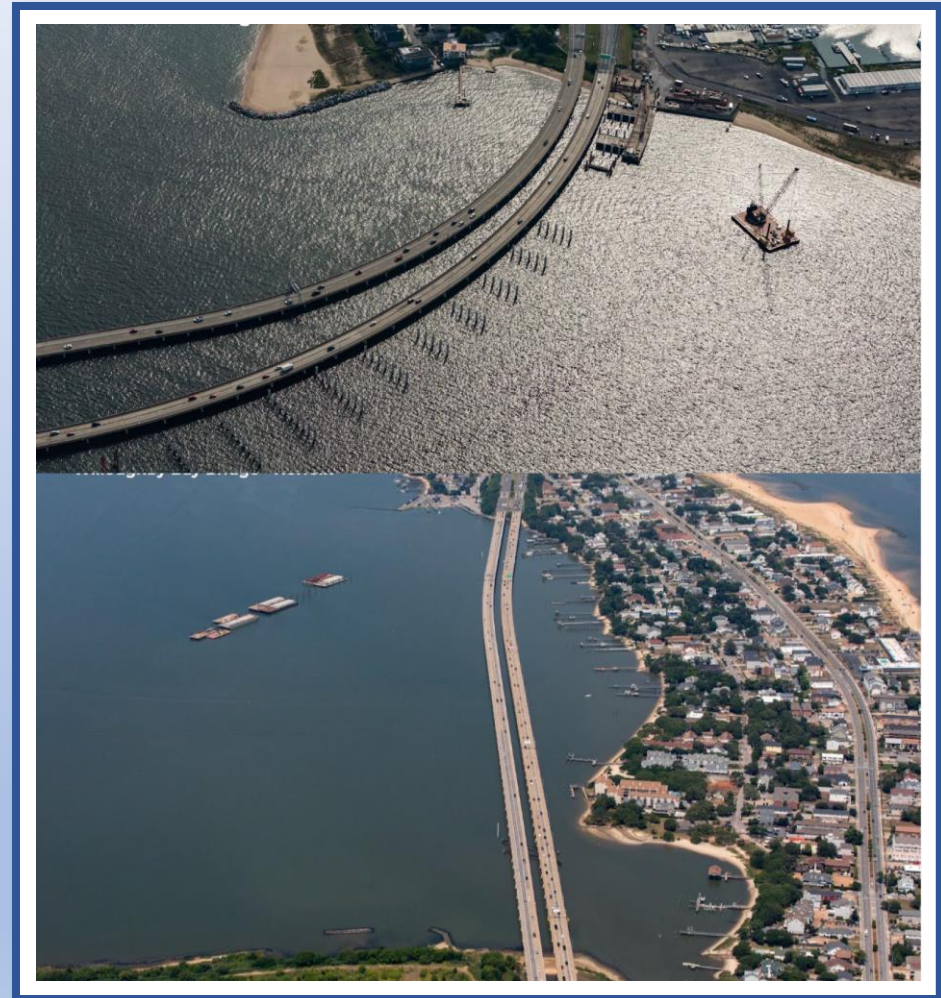
Case History No. 11: Continued**Pile Types**

- North & South Trestles:

***54-inch** precast prestressed concrete cylinder piles, 6.75-inch wall thickness, bed cast, NOT spun cast*

- Willoughby Bay Trestle:

***24-inch** precast prestressed concrete square piles*



Pile Load Tests

Case History No. 11: Continued

- North Trestle

2 Dynamic Load Test Piles

1 Static Load Test Pile

- South Trestle

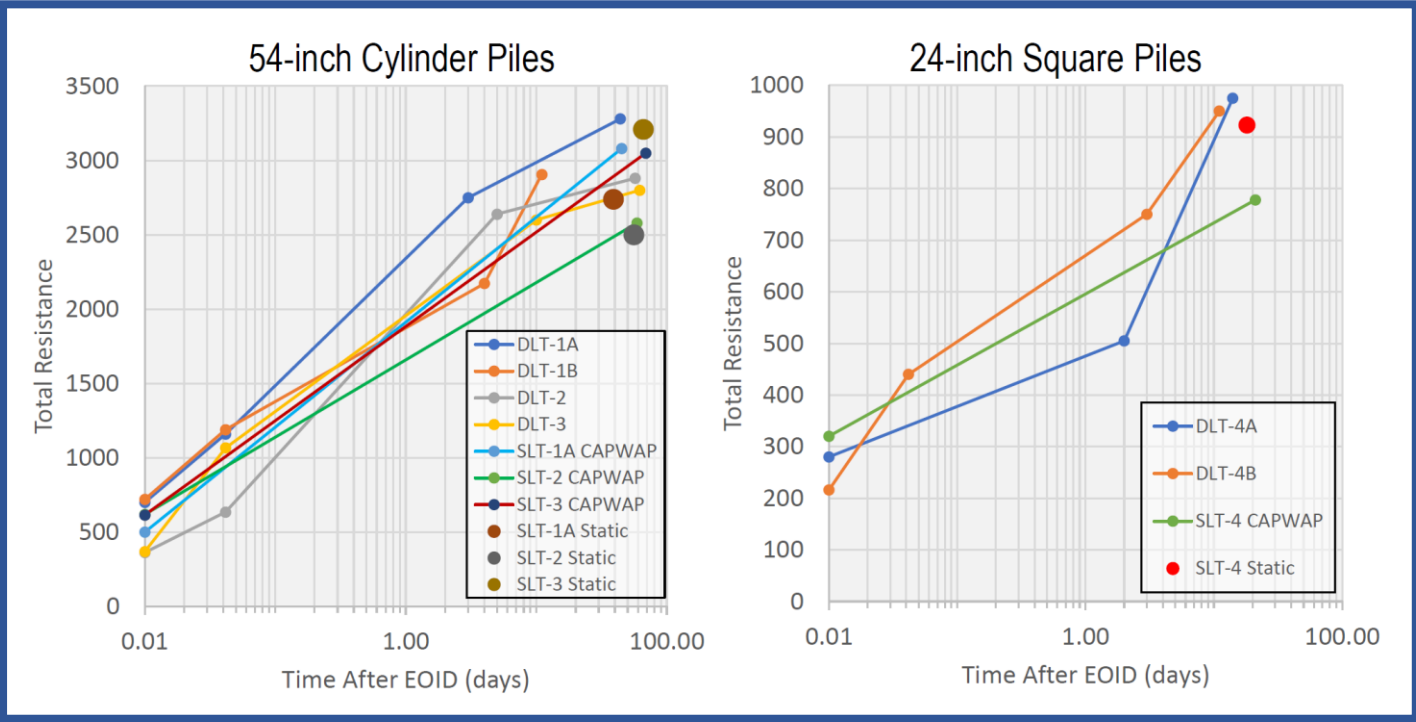
2 Dynamic Load Test Piles

2 Static Load Test Piles

- Willoughby Bay Bridge.

2 Dynamic Load Test Piles

1 Static Load Test Pile



Project-Based Calibration of Parameters

Case History No. 11: Continued

Soil Type	Soil Description	Original C_s (Fellenius 2021)	Calibrated Against HRBT Static Load Tests	
			C_s	Limiting q_{skin} (ksf)
1	Soft sensitive soils	0.08	0.150	None
2	Clay	0.05	0.066	1.5
3	Silty clay, stiff clay and silt	0.025	0.066	3.0
4a	Sandy silt and silt	0.015	0.030	3.0
4b	Fine sand or silty sand	0.010	0.017	3.0
5	Sand to sandy gravel	0.004	0.015	2.1

Pile ID	Calculated Axial Compression Total Resistance ¹				Max Static Axial Test Load		
	Nordlund (1963; 1979) / Tomlinson (1987)	Martin et al (1987) ²	Original Eslami and Fellenius (1997) ³	Calibrated Eslami and Fellenius (1997)	Total Load (kips)	Skin Friction (kips)	Toe Resistance (kips)
SLT-1	2,954	1,895	2,495	2,642	2,738	2,117	621
SLT-2	3,025	1,624	2,113	2,495	2,491	2,097	394
SLT-3	2,961	2,650	2,276	2,954	3,209	2,607	602
SLT-4	1,445	834	962	884	875	663	212

1 All axial resistance methods assumed an unplugged toe area for the open ended 54-inch cylinder piles.

2 The Martin et al (1987) method was only applied to pile embedment within the Yorktown strata. Conventional effective stress beta analysis was used to calculate unit skin friction for the Quaternary soils above the Yorktown.

3 The Original Eslami and Fellenius (1997) method calculations used a C_t coefficient of 1.0 for both pile sizes.

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I. AUT: Geo-Marine Database (AUT: GMD)

II. Relevant Data-Based Design (RDBD)

III. Piling in Marine Challenging Conditions

IV. Capacity Loss Under Dynamic Conditions

V. Load-Displacement (Stress-Strain) Approach: FELADD

VI. AI & ML Application for Helical Piles

VII. Summary & Conclusions

Piling in Marine Challenging Conditions
(Ebrahimipour & Eslami, 2024)



Contents lists available at [ScienceDirect](#)

Ocean Engineering

journal homepage: www.elsevier.com/locate/oceaneng



Research paper

Analytical study of piles behavior for marine challenging substructures

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ARTICLE INFO

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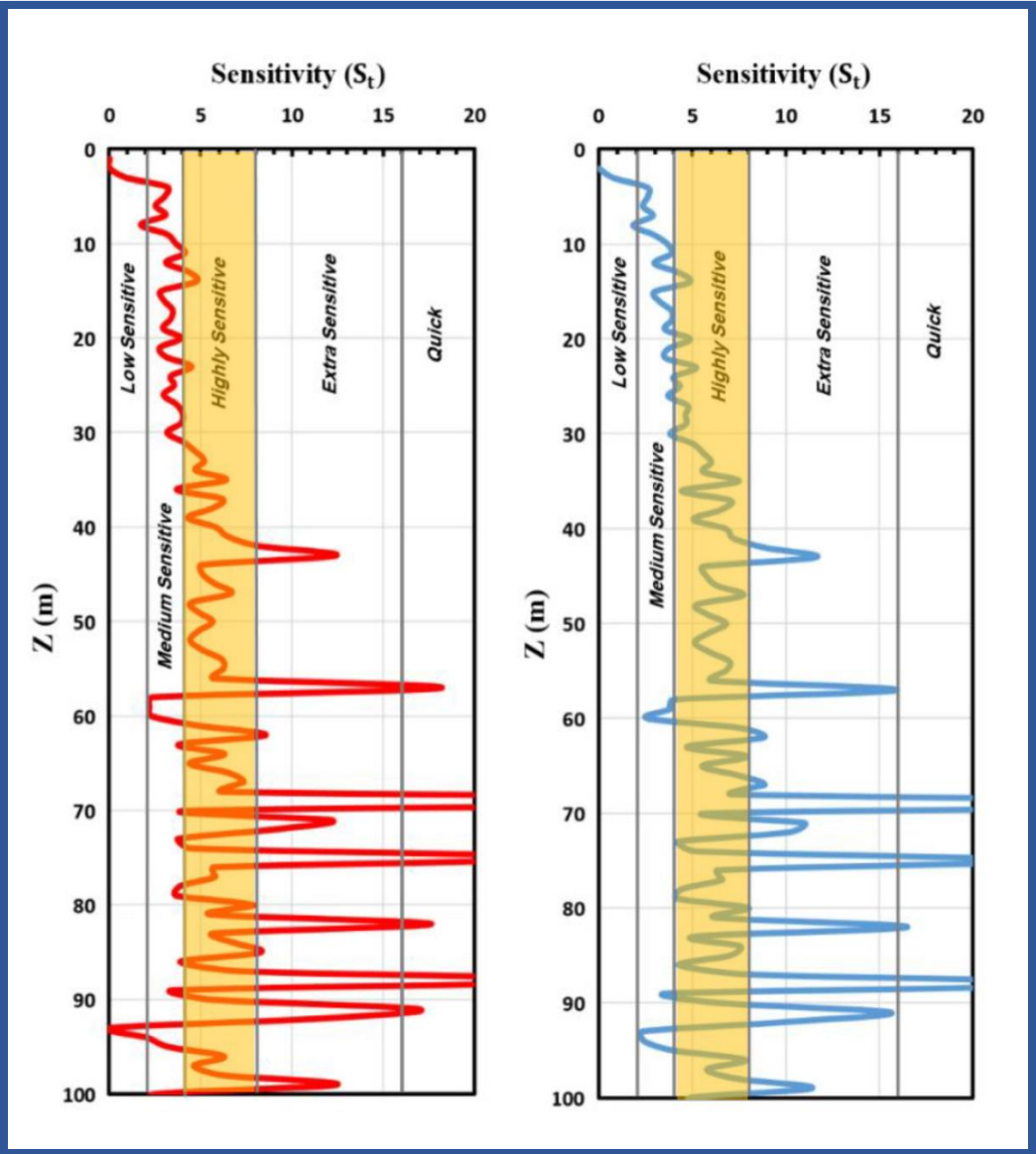
Keywords:
Analytical study
Pile behavior
Challenging deposits
CPT & CPTu
Neutral plane
Downdrag force

ABSTRACT

Based on a new categorization, significance and feasibility of vector-acting foundations for offshore challenging substructures are emphasized. A marine challenging status is typically related to loading, investigations, sub-surface, environment, construction and sustainability requirements. The issue of the interaction of piles and complex subsoil is discussed in this paper. Three scenarios are studied comprising sensitive deposits at the full depth, the most impressive one, compressible deposits at the top layer and soft soil underlain by strong deposits. The role of CPTu records is addressed in recognition of problematic layers, geotechnical design and embedment depth designation. The effect of soil sensitivity on shaft and toe resistance is quantified through static analysis and reduction factors are suggested. Since bearing capacity, settlement and axial load are interactive, the neutral plane concept is applied, unifying the mentioned aspects. Through the neutral plane approach and considering the downdrag force due to the collapse of sensitive soil, primary design criteria incorporating sensitivity are discussed and quantified. Applying ground modification as a supplement for deep foundations is realized through two case studies, leading to enhancement in geotechnical performance. Overall, the mentioned phenomena must be discovered comprehensively in extraordinary conditions, aiming for a safe, reliable, knowledge-based and optimum design.

Piling in Marine
Challenging Conditions
(Ebrahimipour & Eslami,
2024)

Sensitivity profiles of Urmia Lake
deposit via two approaches
(Ebrahimipour & Eslami, 2024)



Piling in Marine Challenging Conditions (Ebrahimipour & Eslami, 2024)

$$\Psi = \frac{S_u}{\sigma'_v} \quad S_t = \frac{S_{u-\text{undisturbed}}}{S_{u-\text{remolded}}}$$

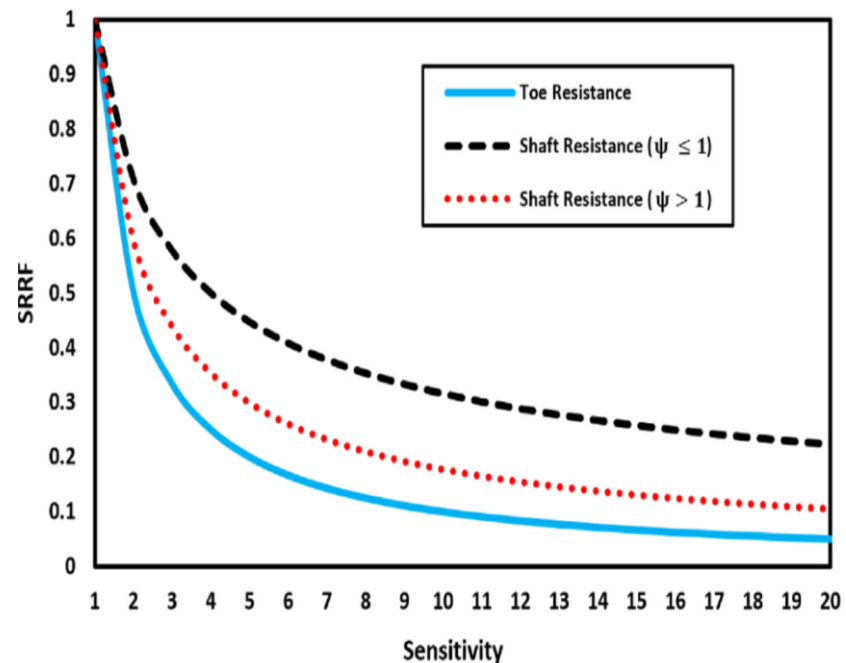
**Shaft
Resistance:**

$$\text{For } \Psi \leq 1 \rightarrow \frac{r_{s-\text{undisturbed}}}{r_{s-\text{disturbed}}} = S_t^{0.5}$$

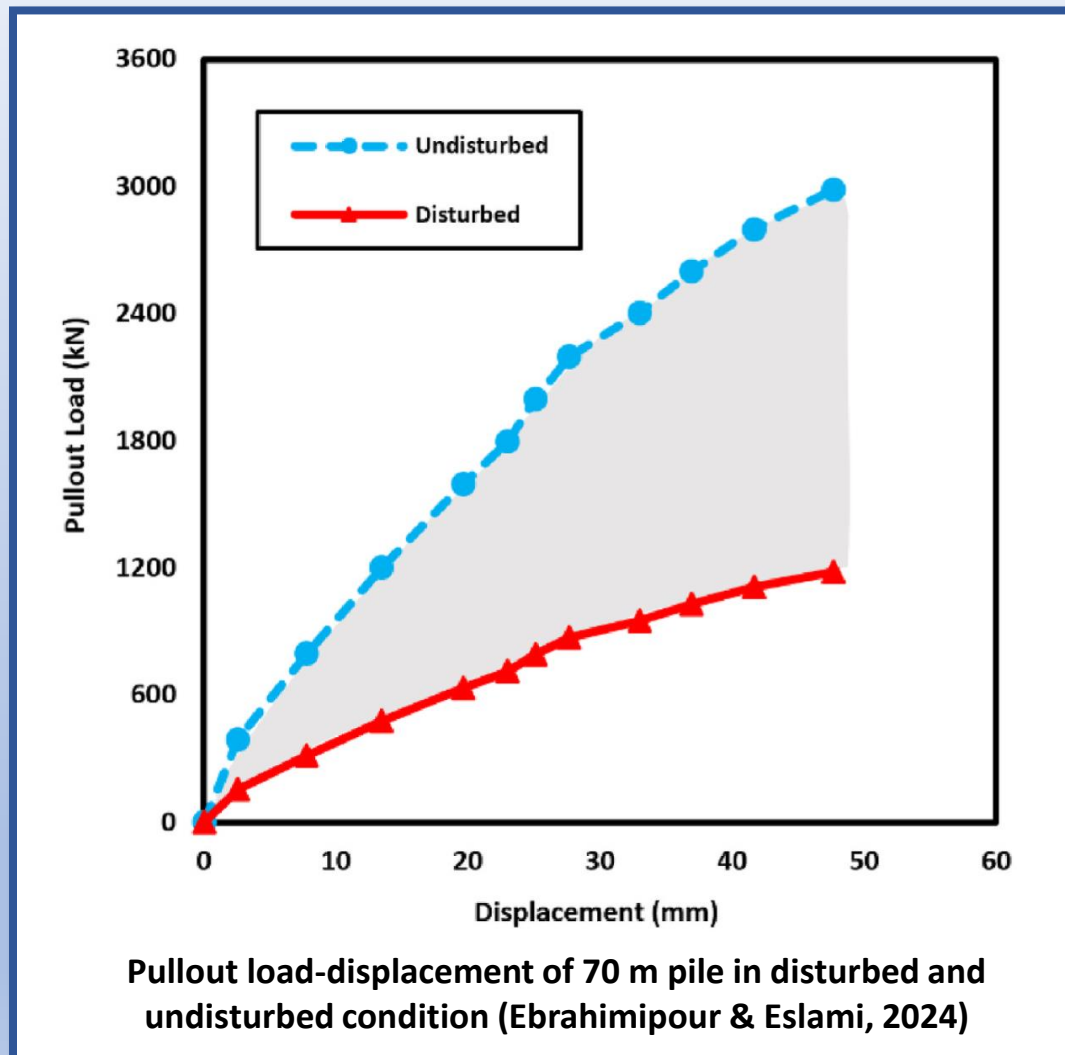
$$\text{For } \Psi > 1 \rightarrow \frac{r_{s-\text{undisturbed}}}{r_{s-\text{disturbed}}} = S_t^{0.75}$$

**Toe
Resistance:**

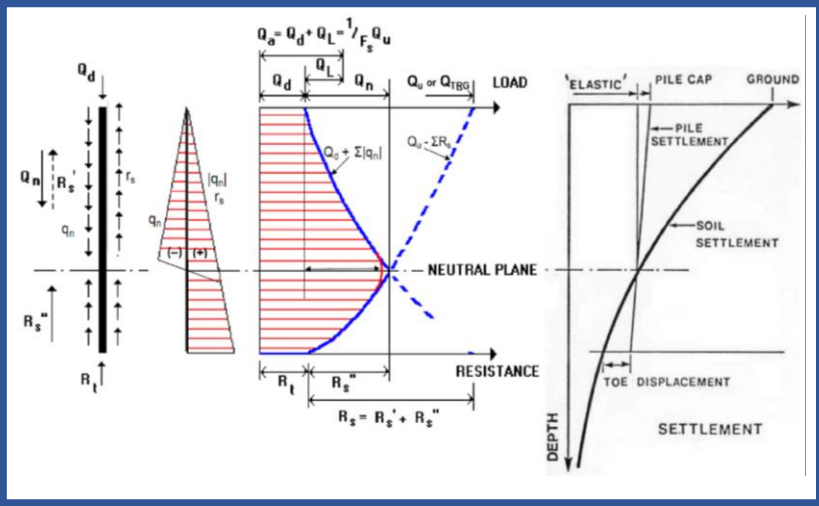
$$\frac{r_{t-\text{undisturbed}}}{r_{t-\text{disturbed}}} = S_t$$



**Sensitivity-based reduction factors
(Ebrahimipour & Eslami, 2024)**

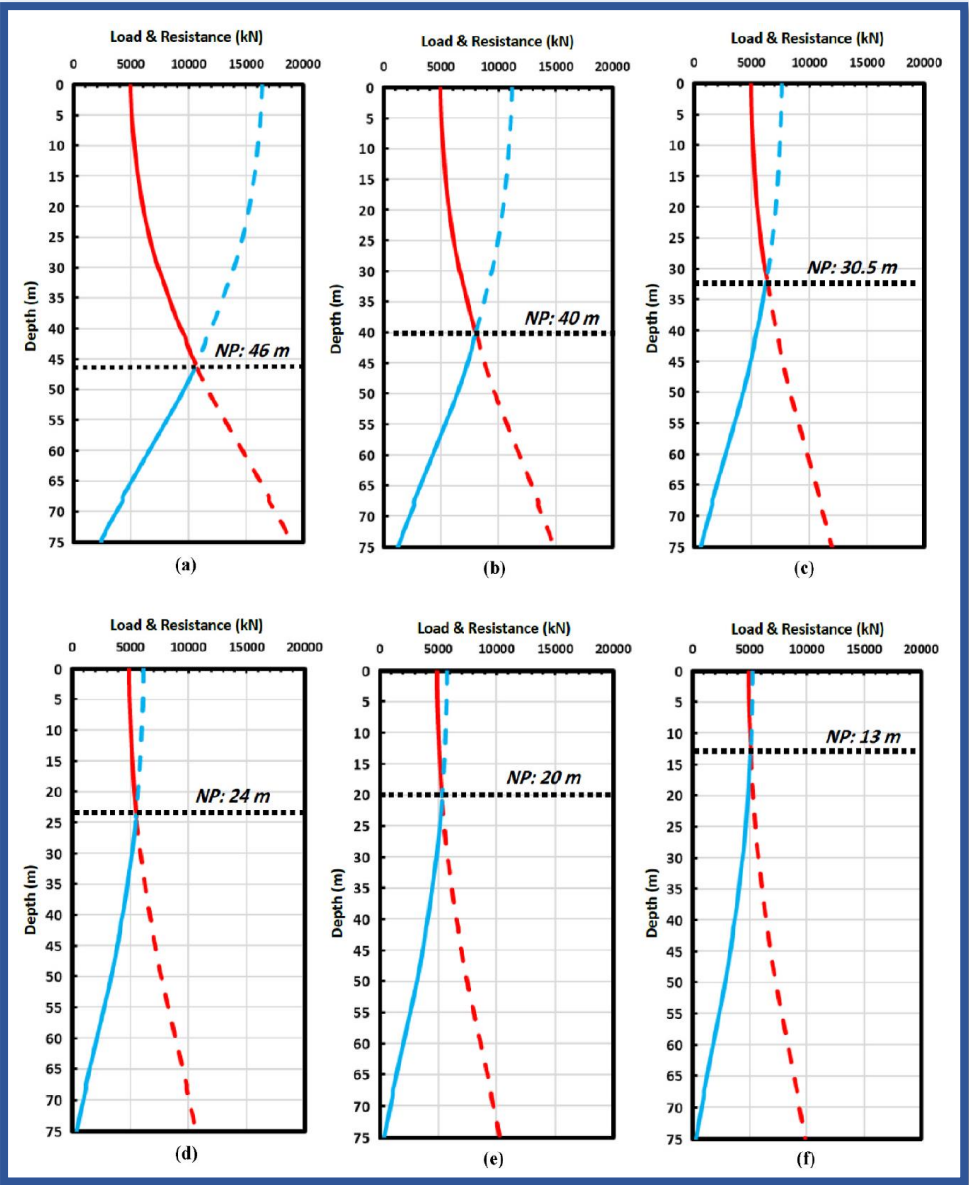
Piling in Marine Challenging Conditions (Ebrahimipour & Eslami, 2024)

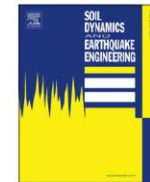
Piling in Marine Challenging Conditions
(Ebrahimipour & Eslami, 2024)



Neutral plane concept (Fellenius, 2023)

Variation of load, resistance & neutral plane depth through altering the sensitivity for a typical pipe pile in the Urmia lake: a) reference condition, b) St = 2, c) St = 4, d) St = 6, e) St = 6.75, f) St = 8 (Ebrahimipour & Eslami, 2024)



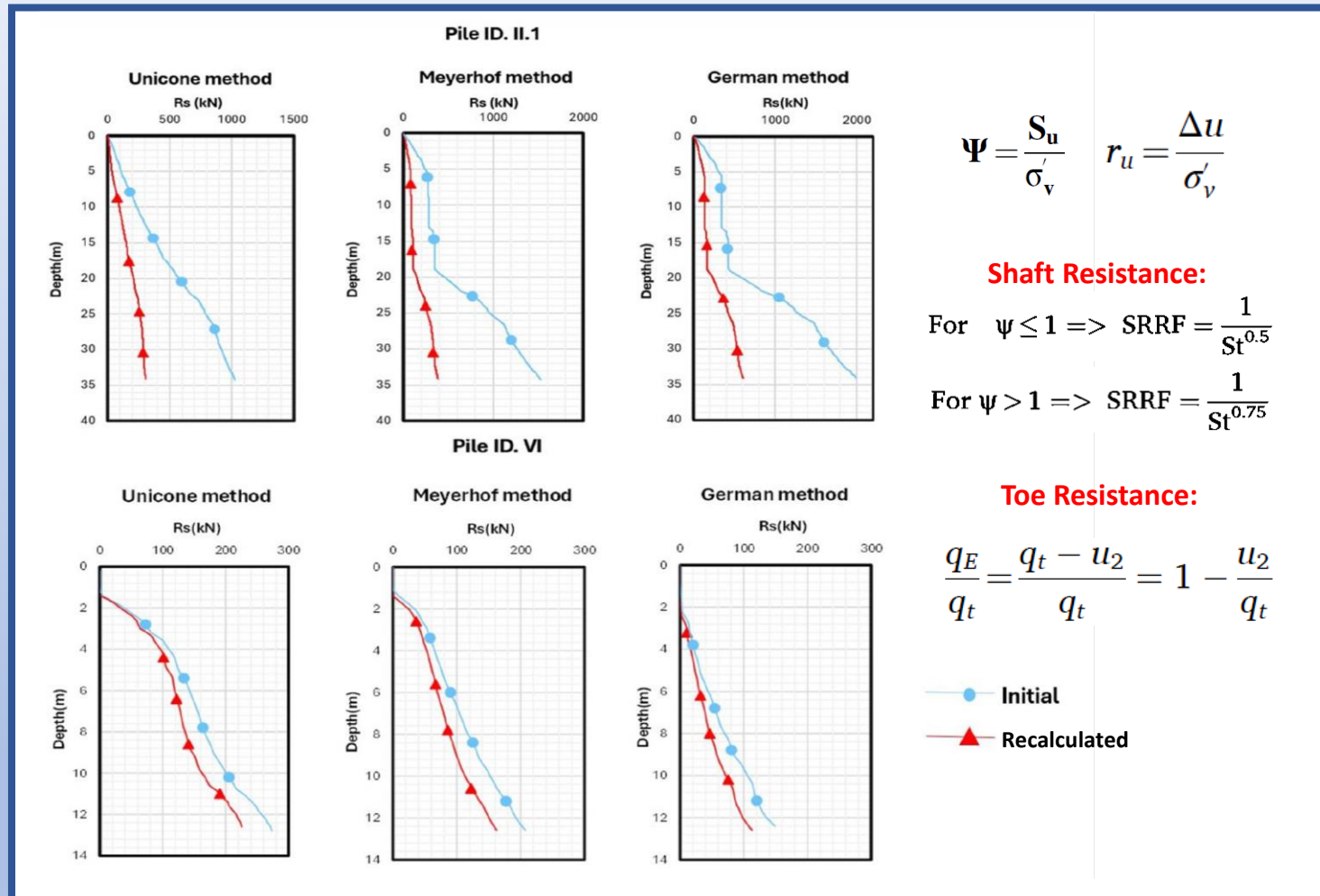
Capacity Loss Under Dynamic Conditions (Eslami et al., 2025)Contents lists available at [ScienceDirect](https://www.sciencedirect.com)**Soil Dynamics and Earthquake Engineering**journal homepage: www.elsevier.com/locate/soildyn**Pore water pressure generation and sensitivity aspects for pile dynamics and capacity loss: CPTu records and case studies**Abolfazl Eslami^{*}, Dorsa Shadlou, Amirhossein Ebrahimipour*Civil and Environmental Engineering Department, Amirkabir University of Technology, Tehran, Iran***ARTICLE INFO****Keywords:**

Pore water pressure
Sensitivity
Pile dynamics
Capacity loss
CPTu
Case studies

ABSTRACT

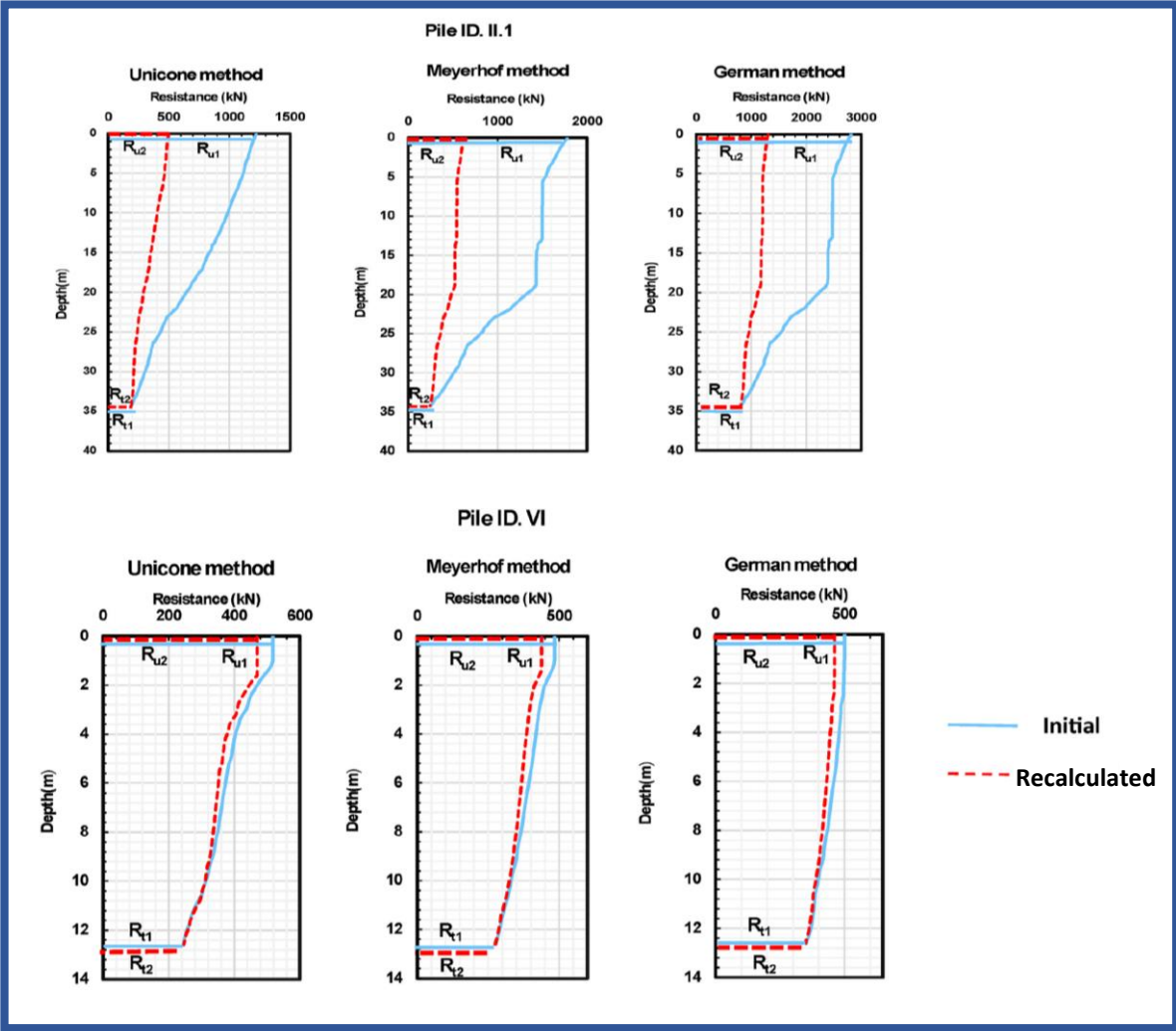
Soil disturbance and excess pore water pressure generation, induced by dynamics and transient excitations such as pile driving, seismic loading, and impact effects, can significantly degrade the geotechnical strength and stiffness. Given the critical importance of axial capacity in sustaining superstructures, it is essential to recognize and mitigate potential damages. This research investigates the piles reduction of axial capacity through CPTu records, which offer rapid and reliable data. Aiming to quantify the consequences of soil sensitivity and excess pore water pressure, a comprehensive dataset has been compiled comprising CPTu and pile performance records from 11 diverse sites worldwide, focusing on soft and loose deposits. The research identifies problematic sub-layers and, by incorporating an analytical approach, evaluates the intact and reduced shaft and toe resistance through three distinct methods. Results indicate a substantial reduction in bearing capacity due to dynamic loading on piles. Four levels of capacity loss concern are recognized quantitatively. Through case studies, the response of the problematic deposit under dynamic loading is more apprehended, conforming with the findings. The current research addresses and emphasizes the necessity of realizing pile dynamics and problematic deposit interaction. It can lead to safe, reliable, and optimal design practices based on a comprehensive understanding of soil-pile interaction.

Capacity Loss Under Dynamic Conditions (Eslami et al., 2025)



Shaft distribution before and after revision based on SRRF

Capacity Loss Under Dynamic Conditions (Eslami et al., 2025)



Total resistance before and after revision in pile cases II.1, VI

FELADD (Eslami et al., 2023 - Ongoing)

Foundation Engineering Load And Displacement Database

Foundation Categories for Database Arrangement

Categories		Foundation Types		Acronym
A	Physical Modeling	I	Model-Scale	MS
		II	Plate Load Test (PLT)	PLT
B	Shallow & Semi-deep Foundation	III	Spread Footings	SF
		IV	Semi-Deep	SD
C	Deep Foundations	V	Driven Piles	DP
		VI	Drilled Shafts	DS
		VII	Rock Socketed	RS
D	Special Deep Foundations	VIII	Micro Piles	MP
		IX	Helical & Expanded Piles	HP & ExP
		X	Drilled Displacement Piles	DD
E	Block & Massive Foundations	XI	Pile Groups & Piled Raft Foundations	PG & PRF
F	Rigid Intrusions	XII	Stone Columns, Deep Mixing & Jet Grouting	RISC, RIDM or IRJG

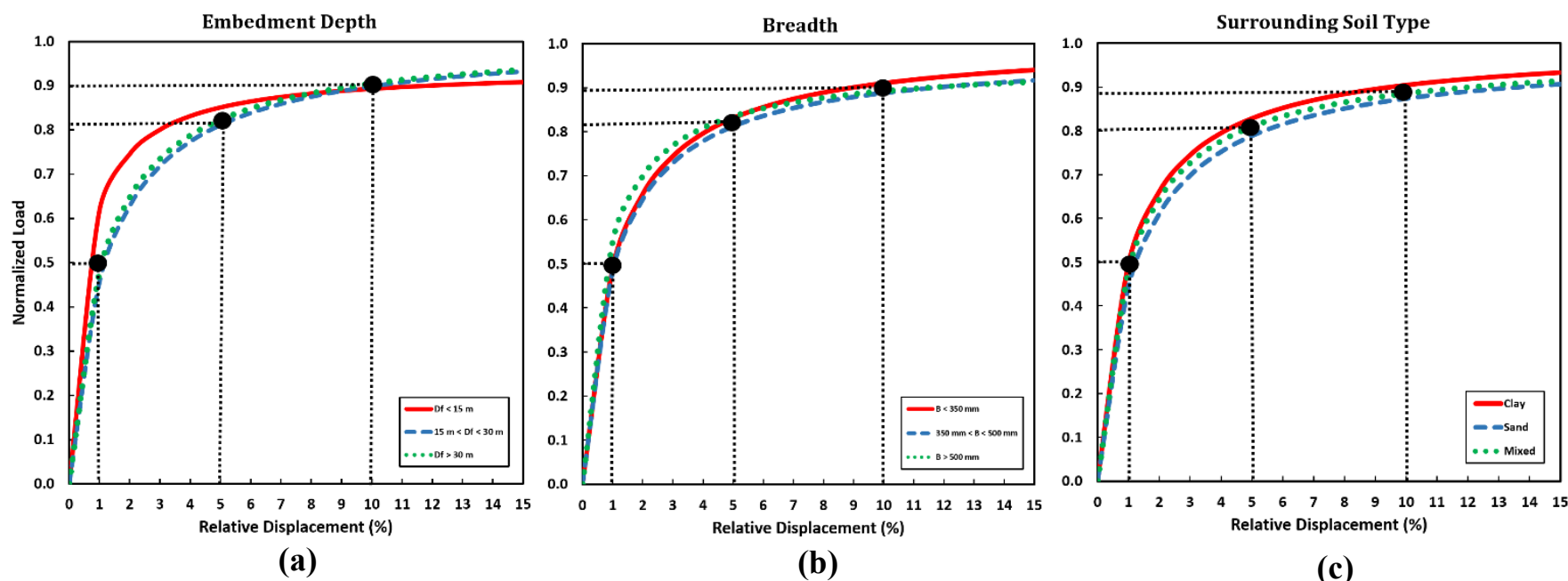
Driven Piles

Normalization Approach:

- Load: Brinch-Hansen 80% (1963)
- Displacement: Breadth

Relative Displacement & Normalized Load:

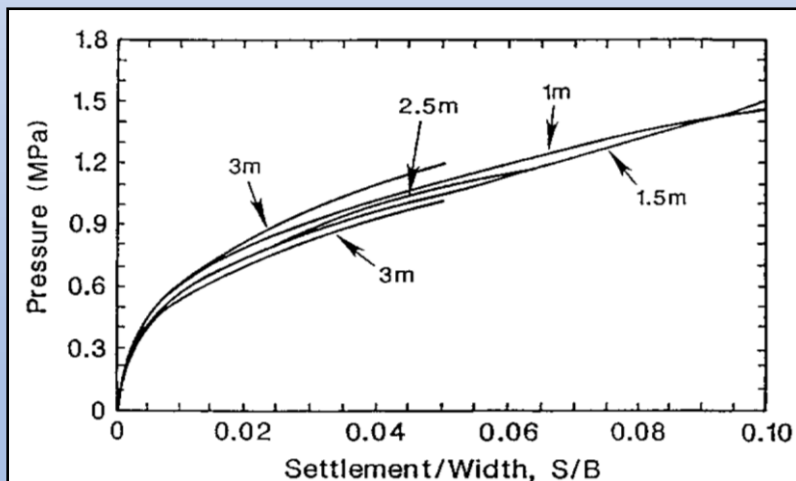
- 1 % $\rightarrow$ 0.5 P_u (FS=2)
- 5 % $\rightarrow$ 0.8 P_u
- 10 % $\rightarrow$ 0.9 P_u



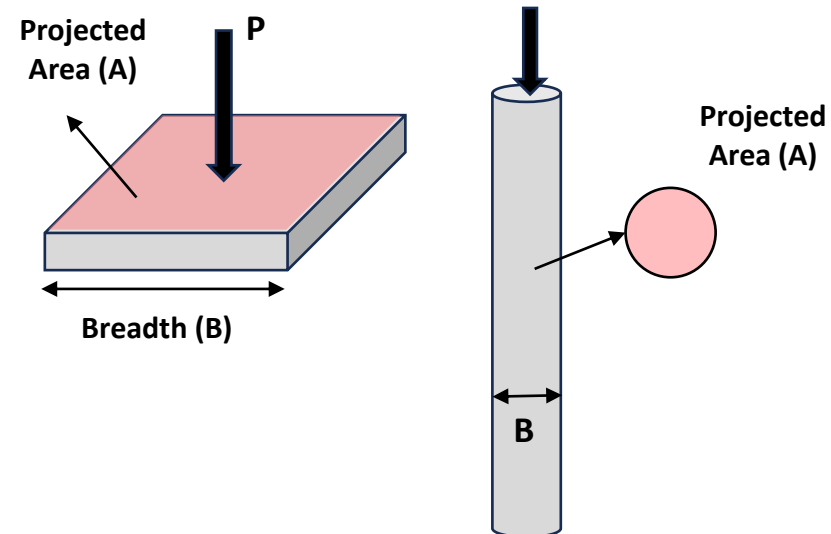
Normalized hyperbolic trending of load-displacement for dominant factors: a) embedment depth, b) breadth, c) surrounding soil type (Eslami & Ebrahimipour, 2024)

Stress – Strain Approach in Foundation Engineering

- ❖ Providing a Unitless Framework
- ❖ Facilitating Broader Practical Application
- ❖ Enhancing Foundation Selection
- ❖ Aligning with Established Engineering Principles



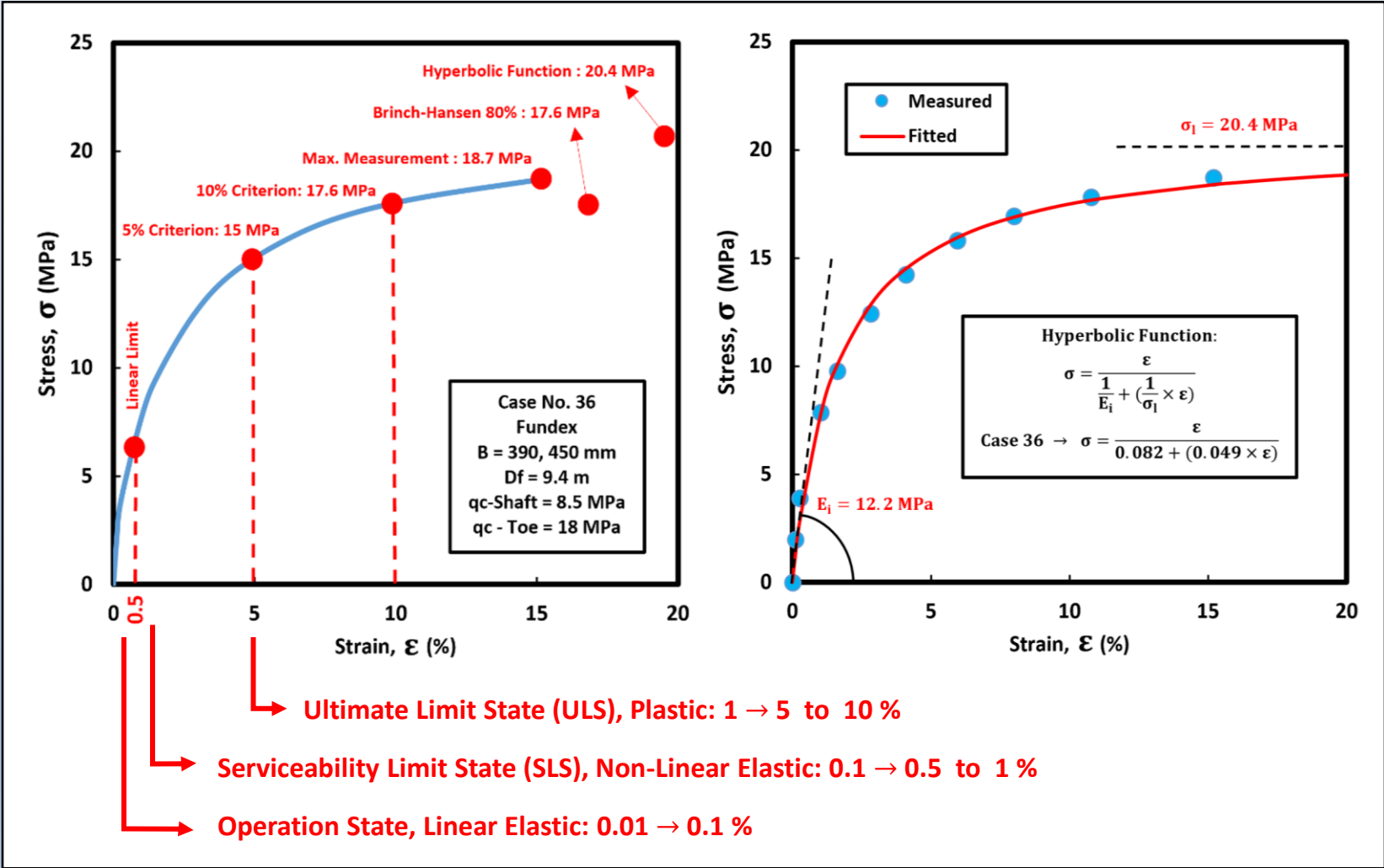
Footings stress - strain (Briaud & Gibbens, 1999)



$$\text{Stress } (\sigma) = \frac{\text{Axial Load (P)}}{\text{Projected Area (A)}}$$

$$\text{Strain } (\epsilon) = \frac{\text{Displacement}}{\text{Breadth (B)}}$$

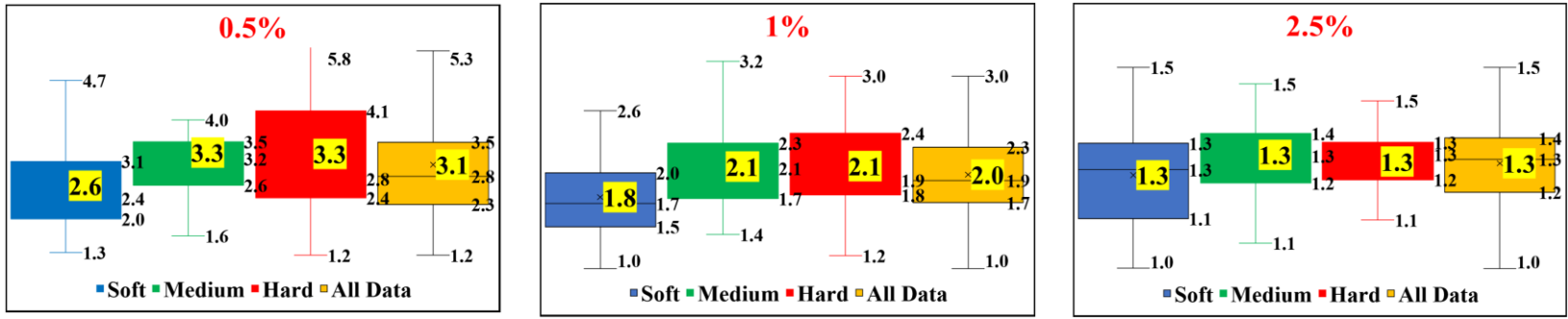
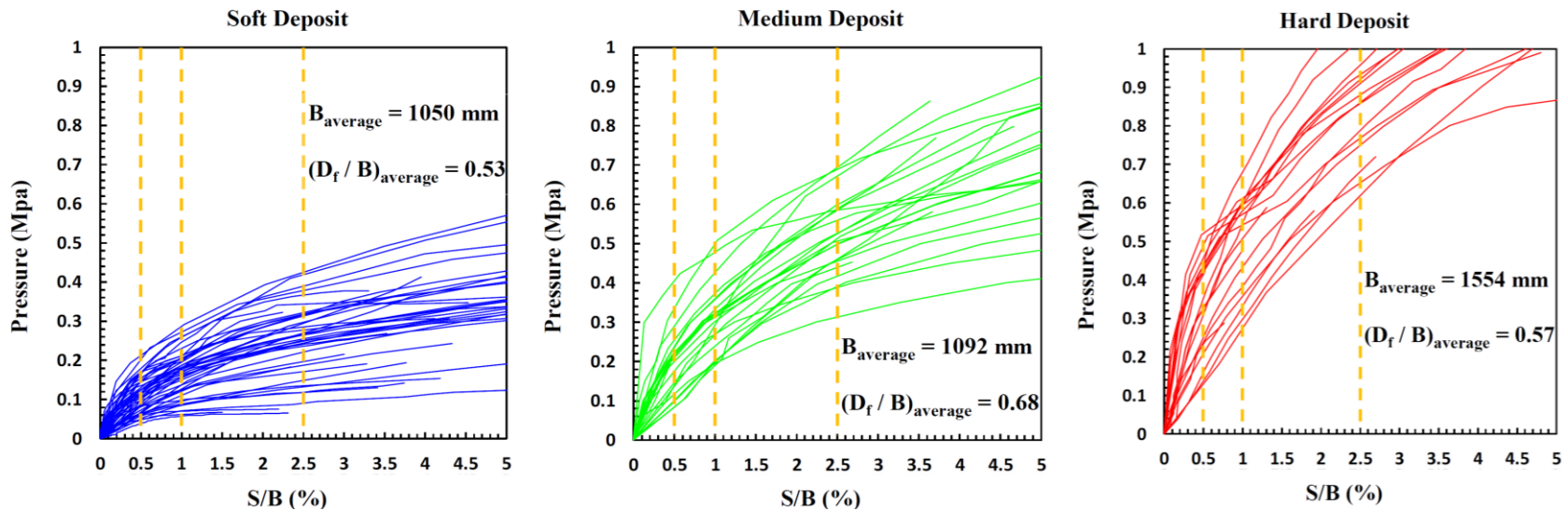
Dominant Criteria & Hyperbolic Fitting



Spread Footings

- 70 Cases of Spread Footings
 - Implemented on Sand, Clay and Mixed Deposits
- Embedment Depths between 0 to 3 m
 - Breadth between 0.5 to 2.2 m

Assuming Ultimate Load at S/B = 5%



Evaluating factor of safety for spread footings based on displacement ratios

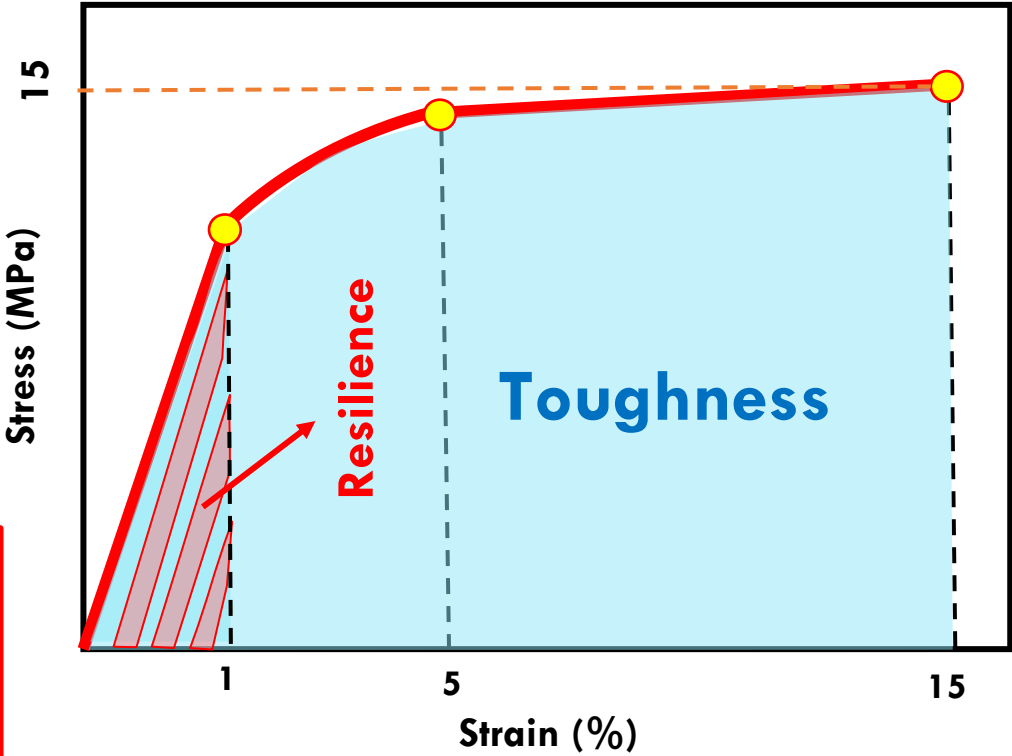
Energy-Based Evaluation of DD Piles (Eslami et al., 2025)

Toughness and Resilience

$$\frac{Energy}{Volume} = \int_0^\epsilon \sigma d\epsilon$$

ϵ = Strain,
 σ = Stress

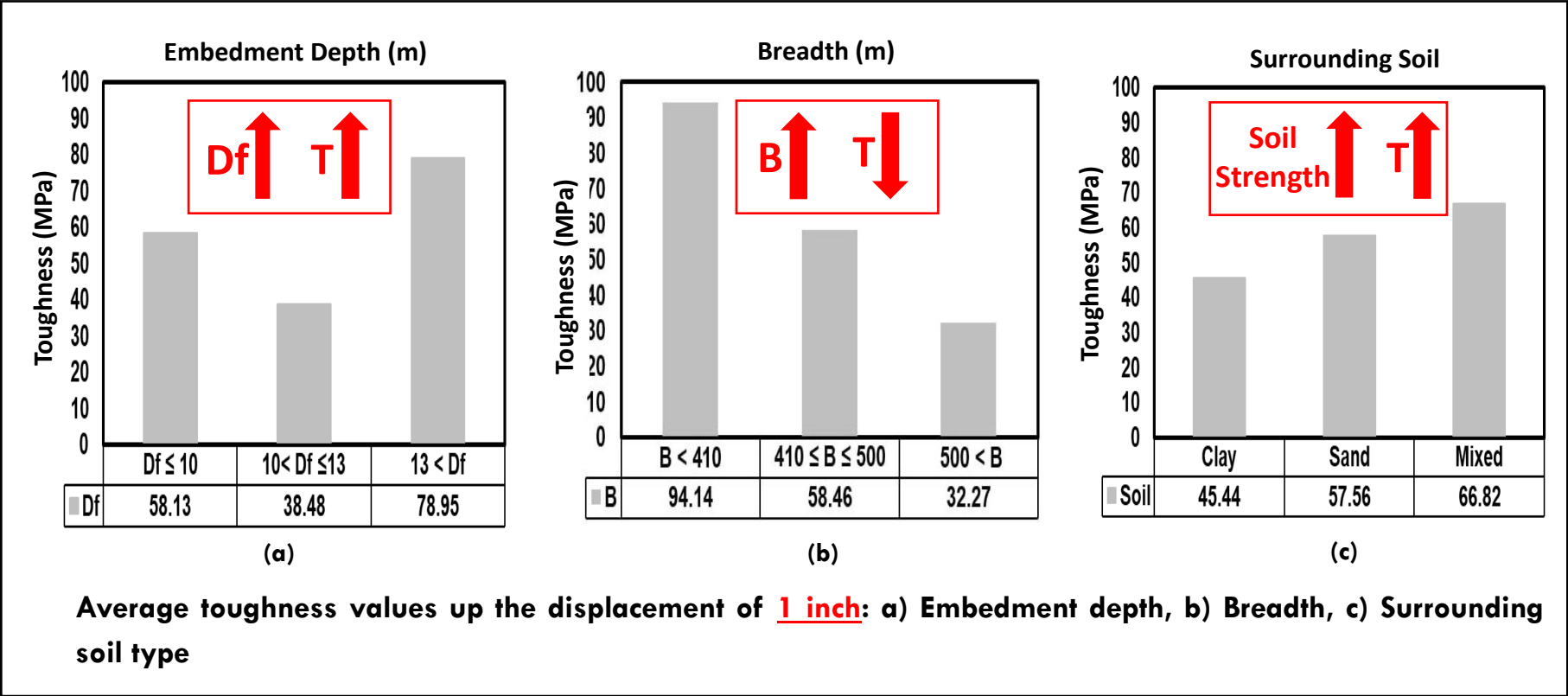
Energy Absorption;
Resilience: Elastic Region
Toughness: Fracture Threshold



Resilience and toughness Concept

Energy-Based Evaluation of DD Piles (Eslami et al., 2025)

Dominant Factors on Toughness (T) Value



Longer, Narrower piles in Mixed soil condition lead to Higher toughness value

- **Characterization: CPT & CPTu Records**
 - ❖ Continuous, high-resolution in-situ measurements (q_t , f_s , u_2)
 - ❖ Reducing uncertainty, supplementing lab tests
 - ❖ Soil behavior captured efficiently and comprehensively
- **Quantification: Interpretation & Parameters**
 - ❖ Translate CPT data into soil behavior classifications (SBC)
 - ❖ Identify installation depth, bearing capacity, settlement, and resistance distribution
 - ❖ Support reliable load-displacement predictions
- **Validation: Databases & Method Development**
 - ❖ CPT-based pile capacity methods: scale-aware, data-driven
 - ❖ Recalibration and validation using case histories and field comparisons
 - ❖ Screening methods for efficient design: less testing, more modeling

- **Performance: Enhanced Pile Foundation Design**

- ❖ Confident, advanced CPT-based design approaches
- ❖ Risk-aware, resilient, and sustainable foundation solutions
- ❖ Integration with soft computing, AI/ML, and challenging site applications

- ***Takeaways***

Participants can confidently:

- ❖ Interpret CPT data,
- ❖ Predict pile performance,
- ❖ Apply advanced methods,
- ❖ Manage and mitigate risk,
- ❖ Deliver resilient and sustainable solutions.

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